

Kinetic Simulations of Magnetic Reconnection

towards multi-scale simulation...

SF2A

Lyon

17/06/2016

Nicolas Aunai

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Mathieu Drouin

J. Dargent

M. Hesse

B. Lavraud

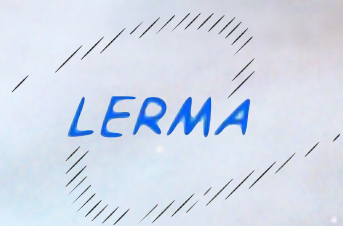
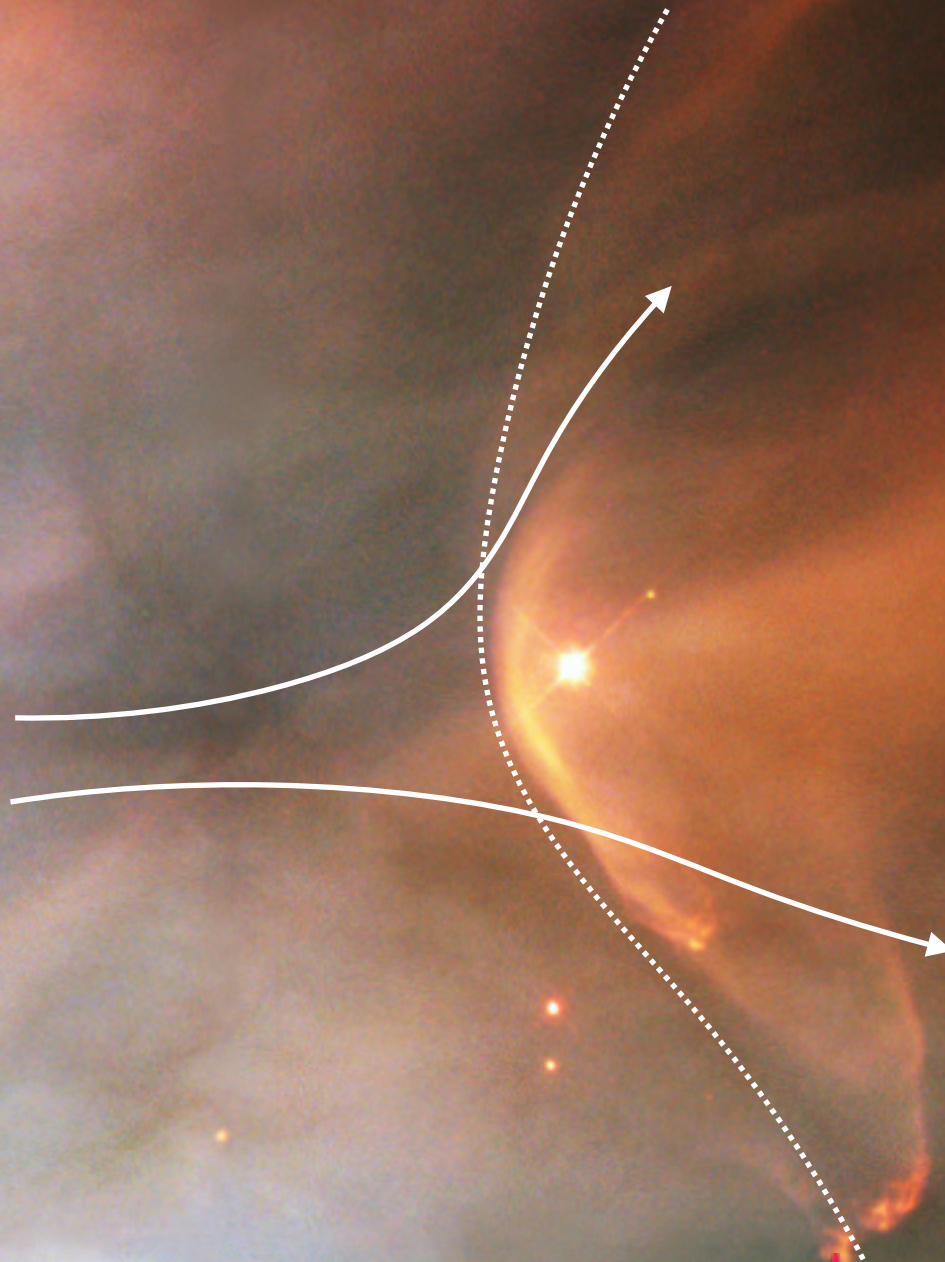
M. Grech

J. Derouillat

F. Perrez

T. Vinci

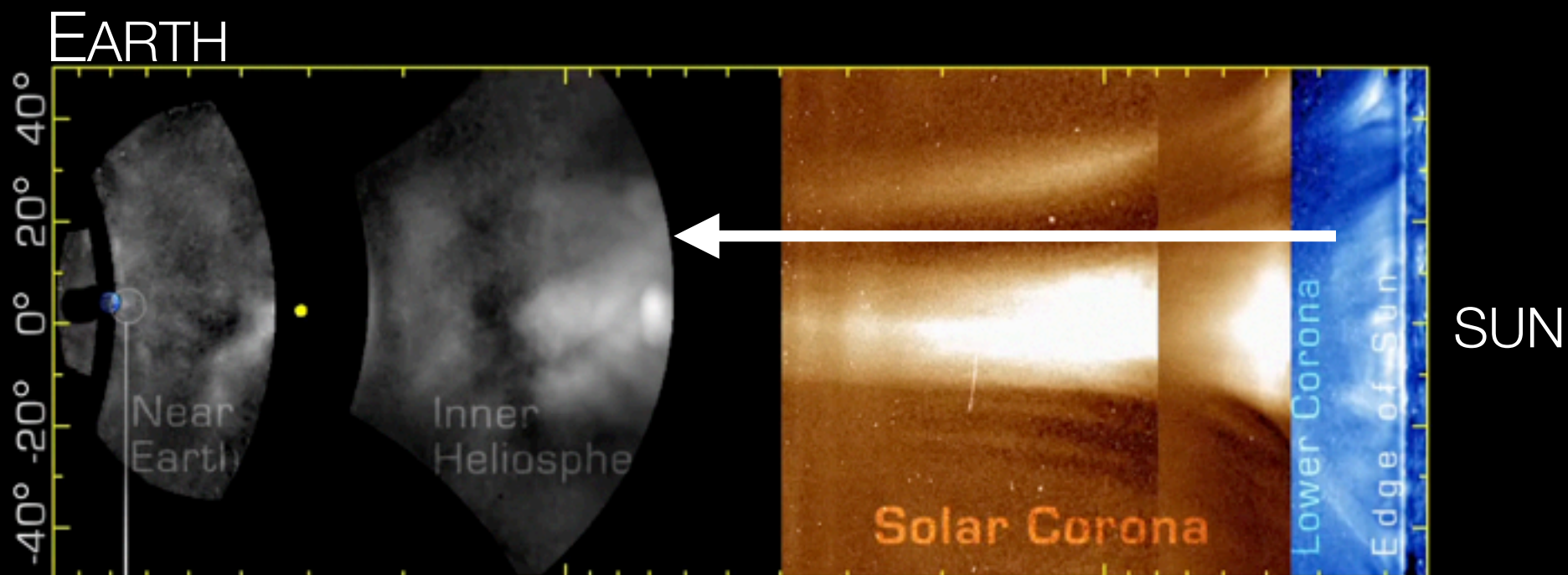
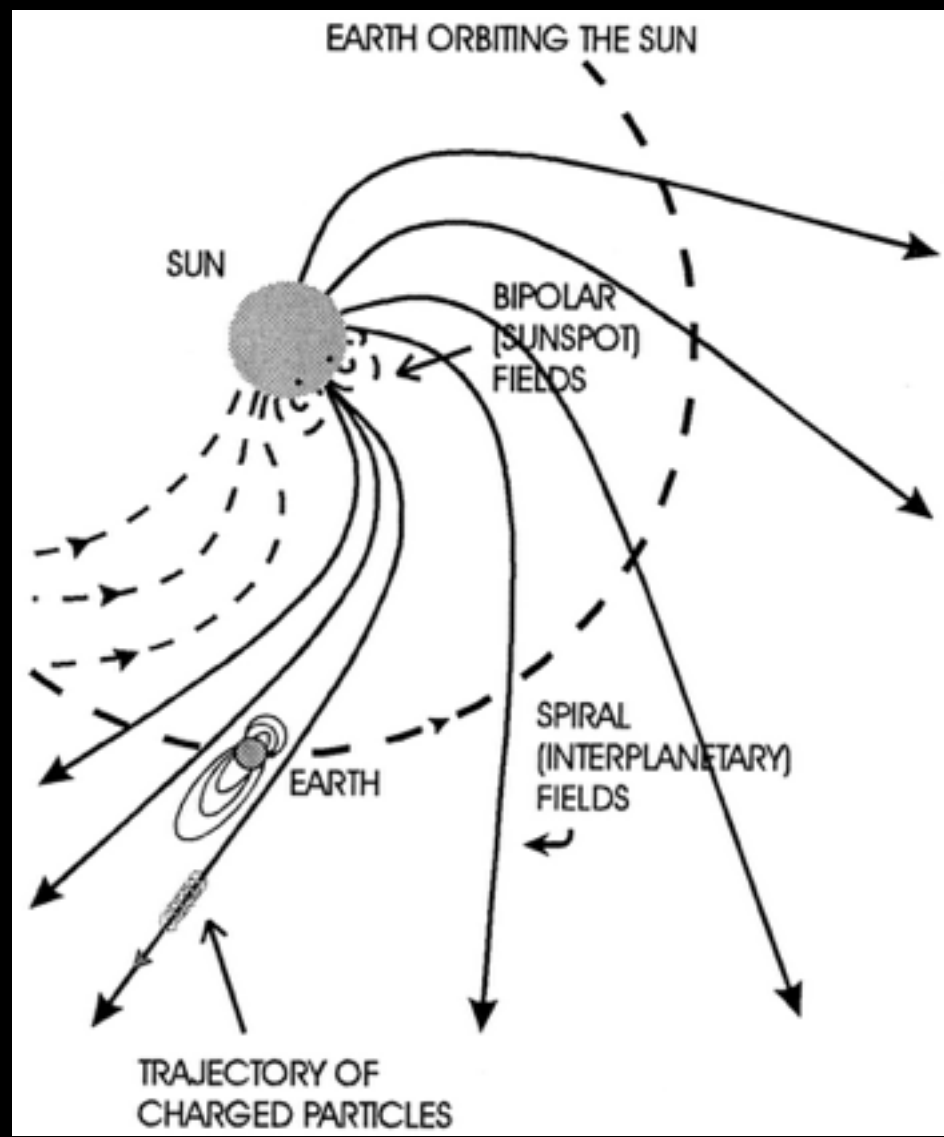
A. Beck



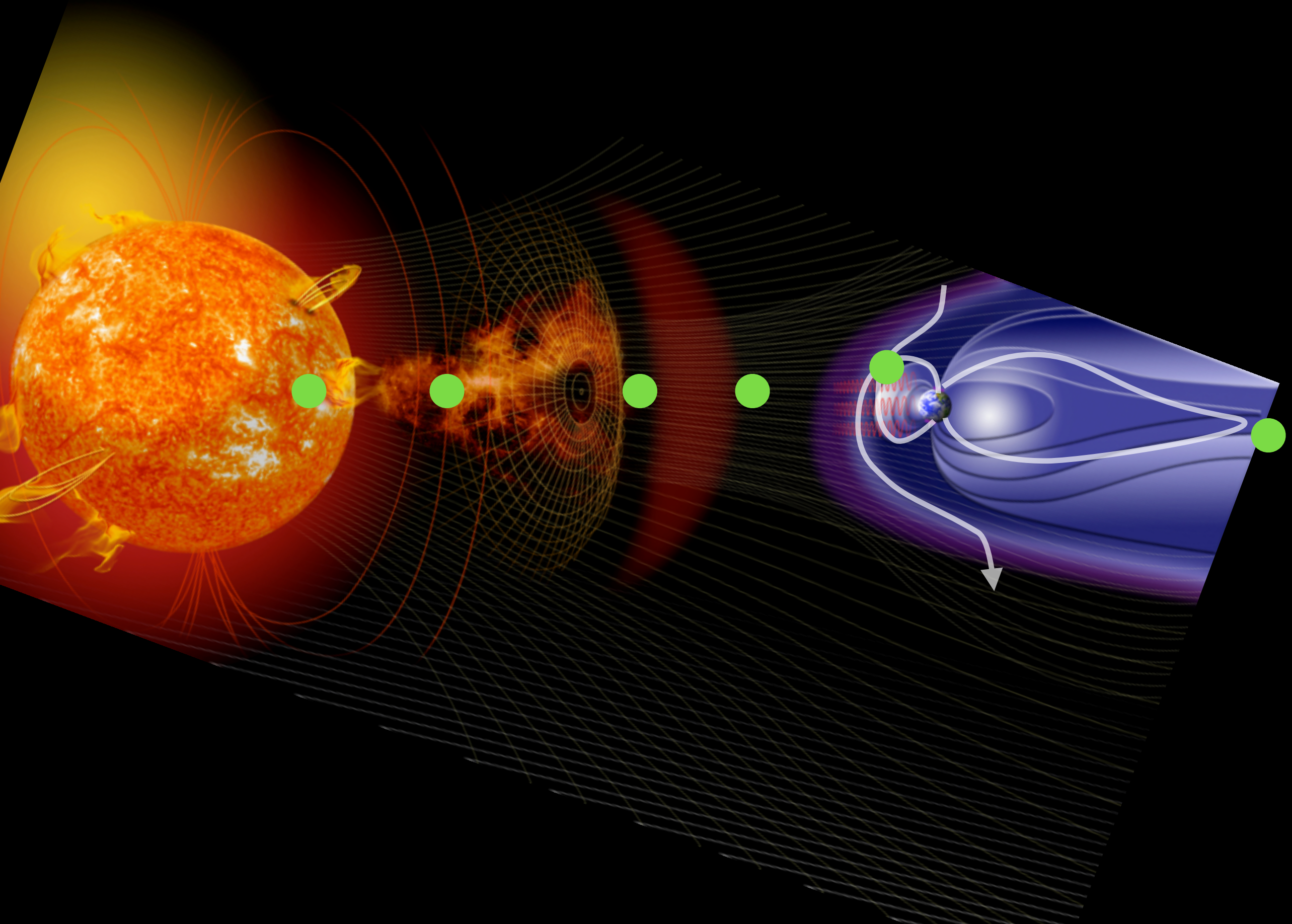
INTERPLANETARY SPACE

SOLAR WIND

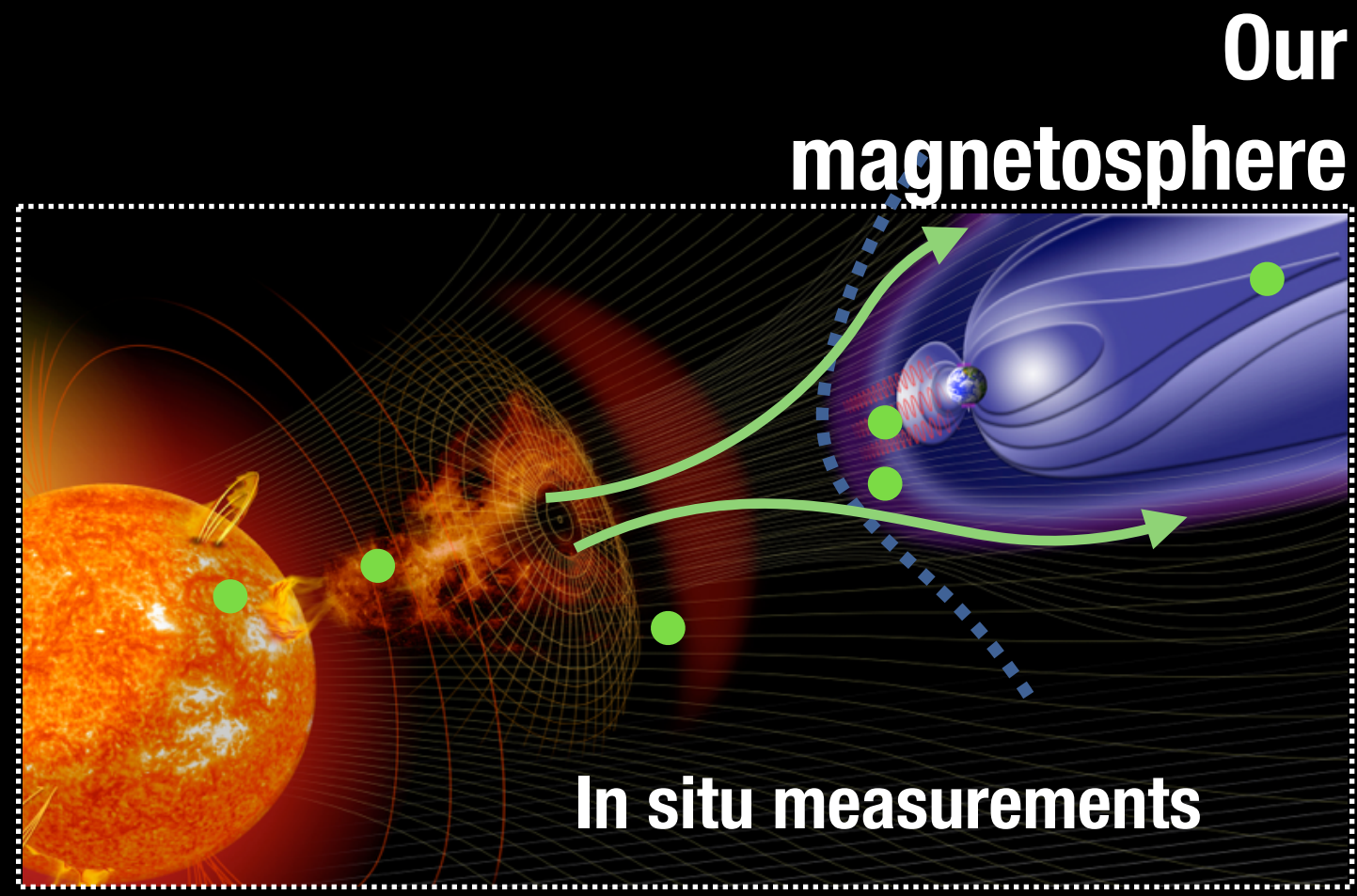
PREDICTED BY PARKER 1958, CONFIRMED EXPLORER 12 IN 1962



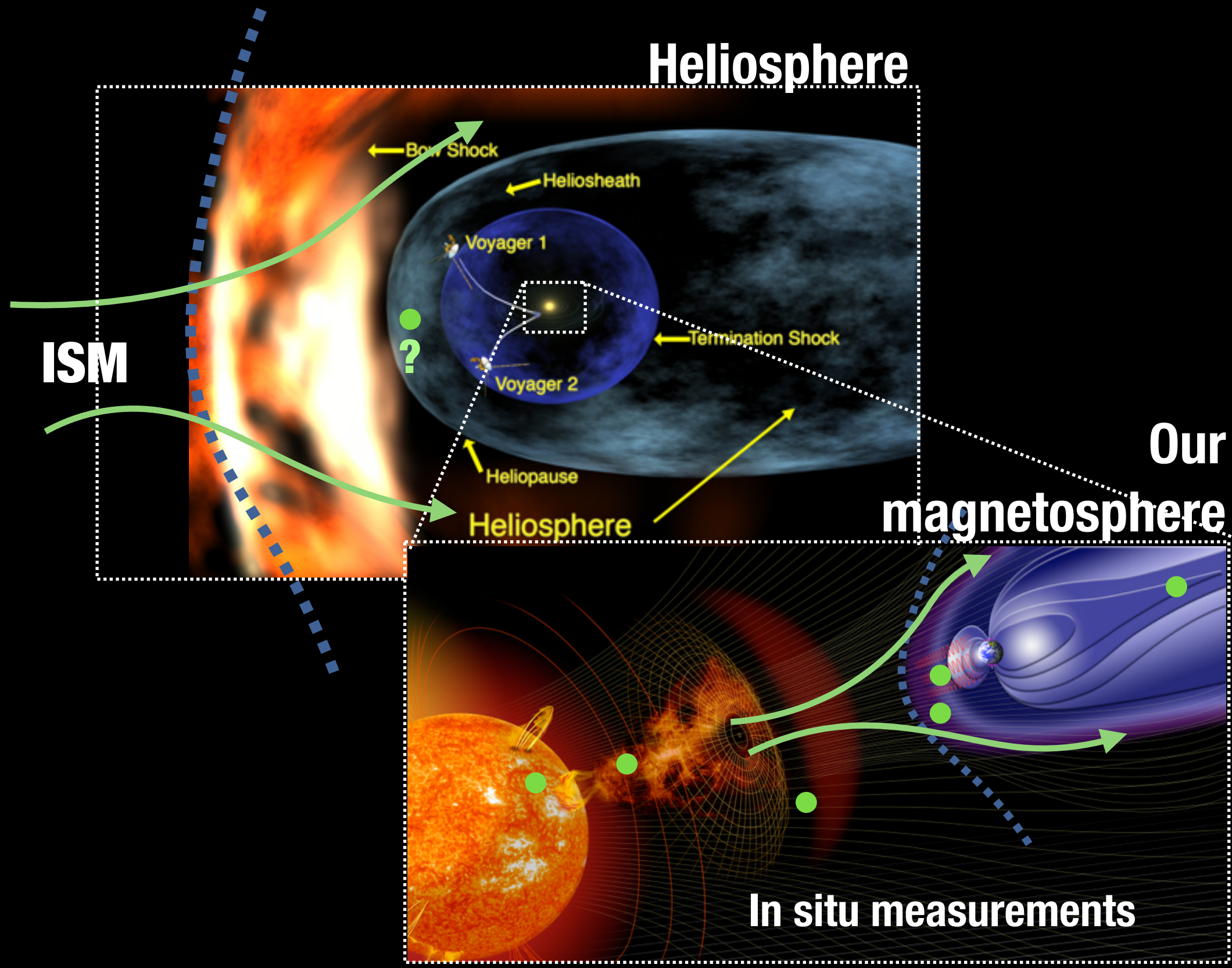
MAGNETIC RECONNECTION... KEY PROCESS IN SUN-EARTH COUPLING



ZOOMING OUT...



ACTUALLY ALSO OCCURS THROUGHOUT THE HELIOSPHERE



Astrospheres?

UNIVERSAL PROCESS??

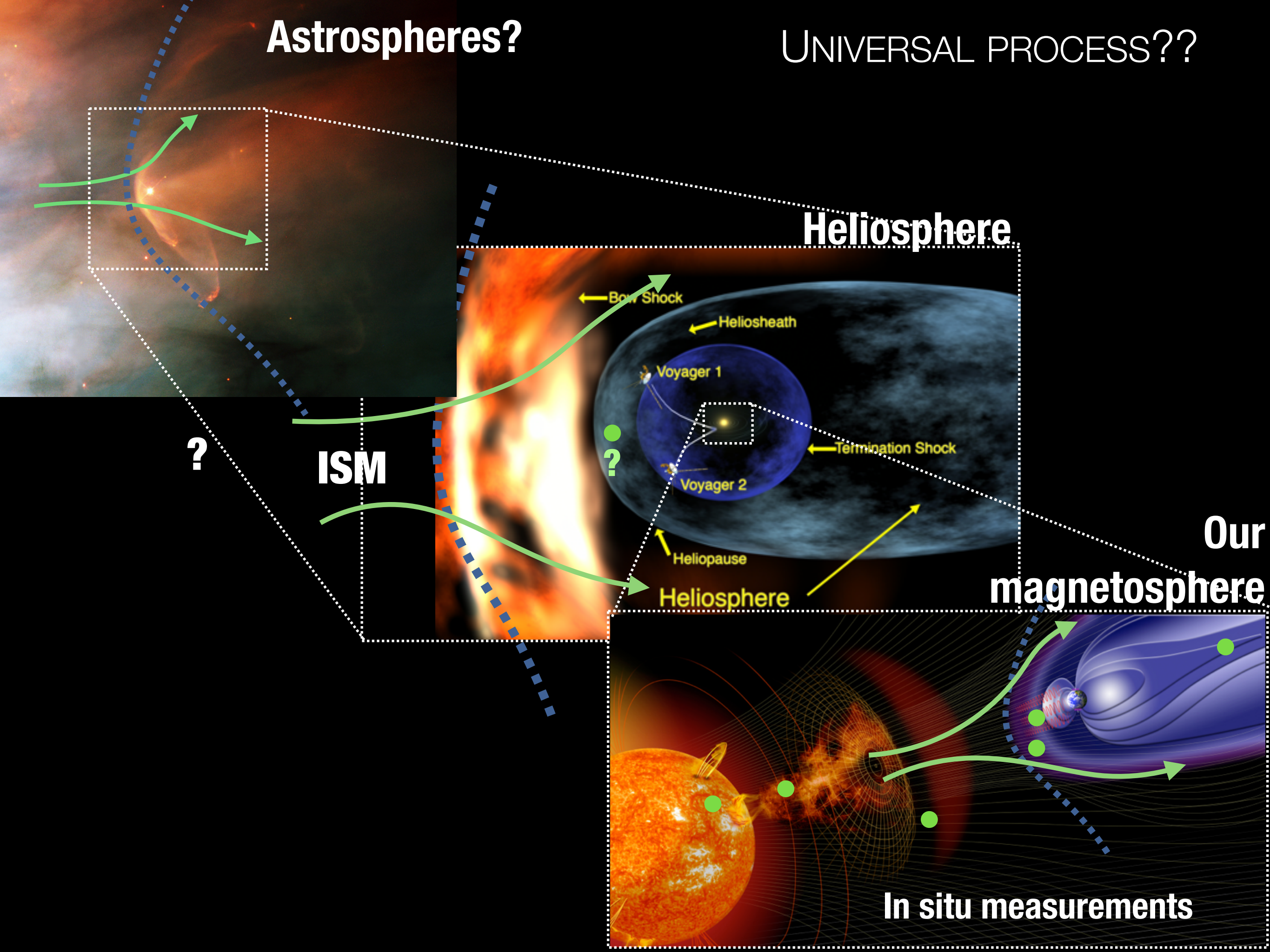
Heliosphere

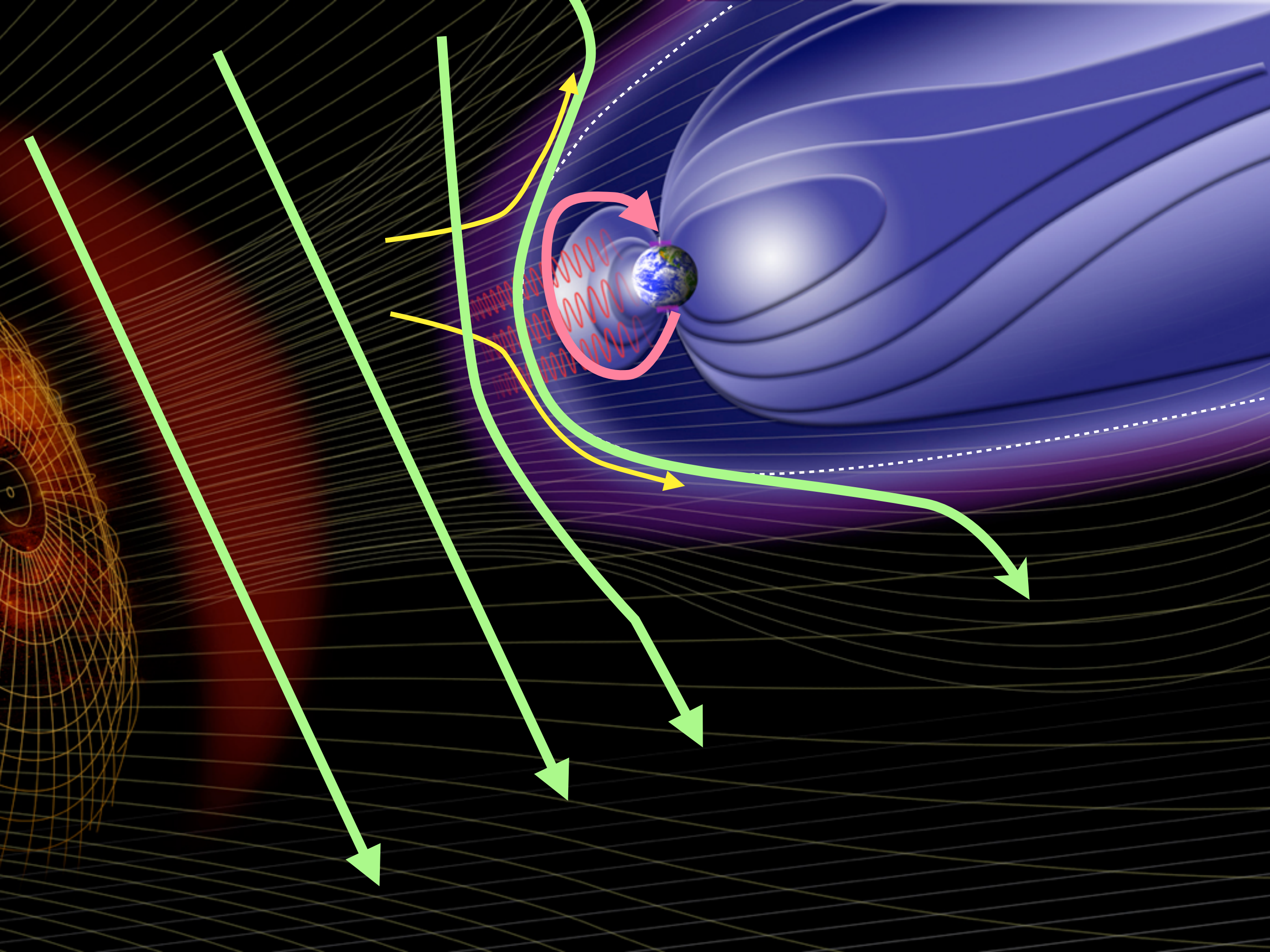
ISM

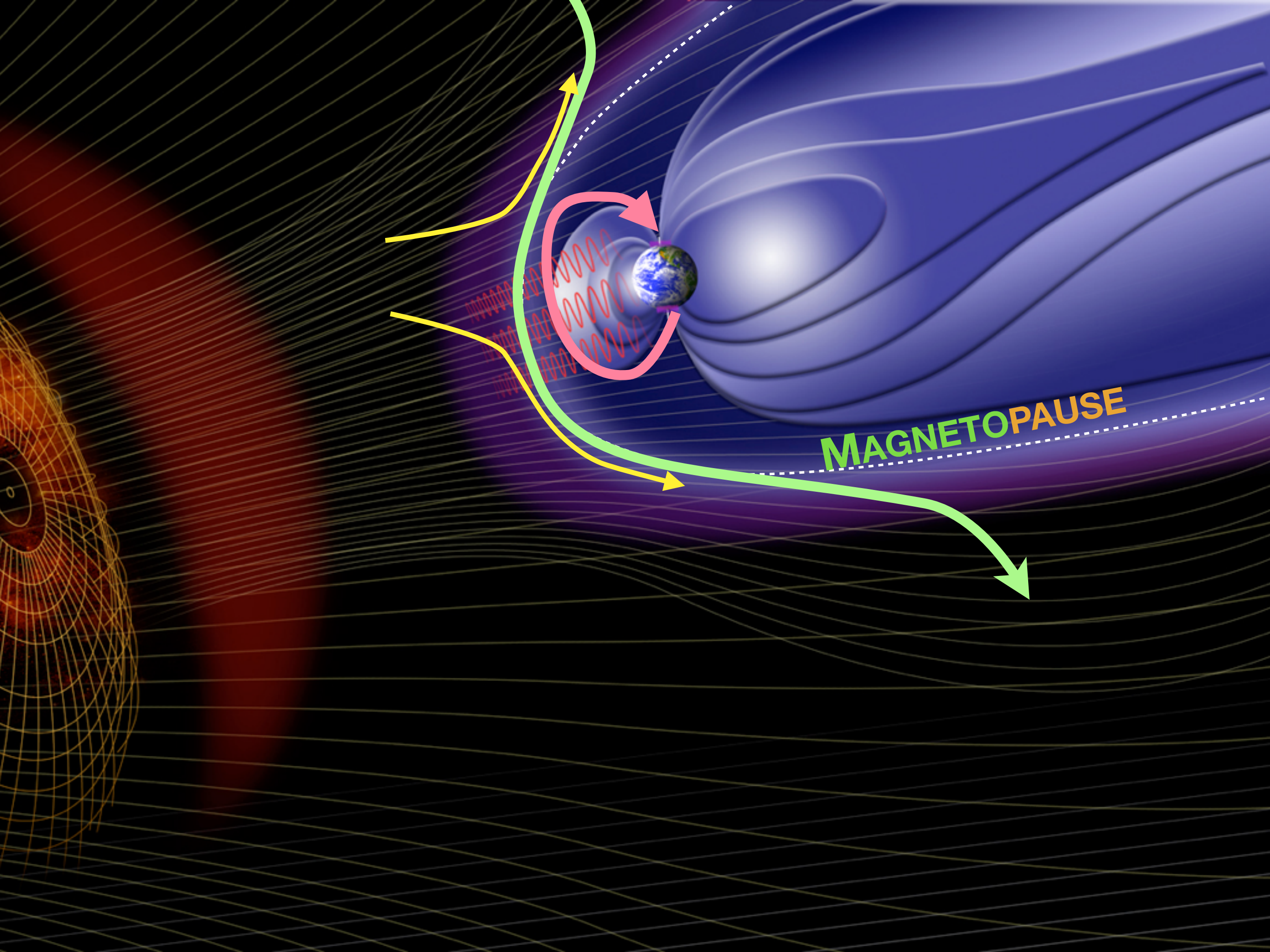
Our

magnetosphere

In situ measurements



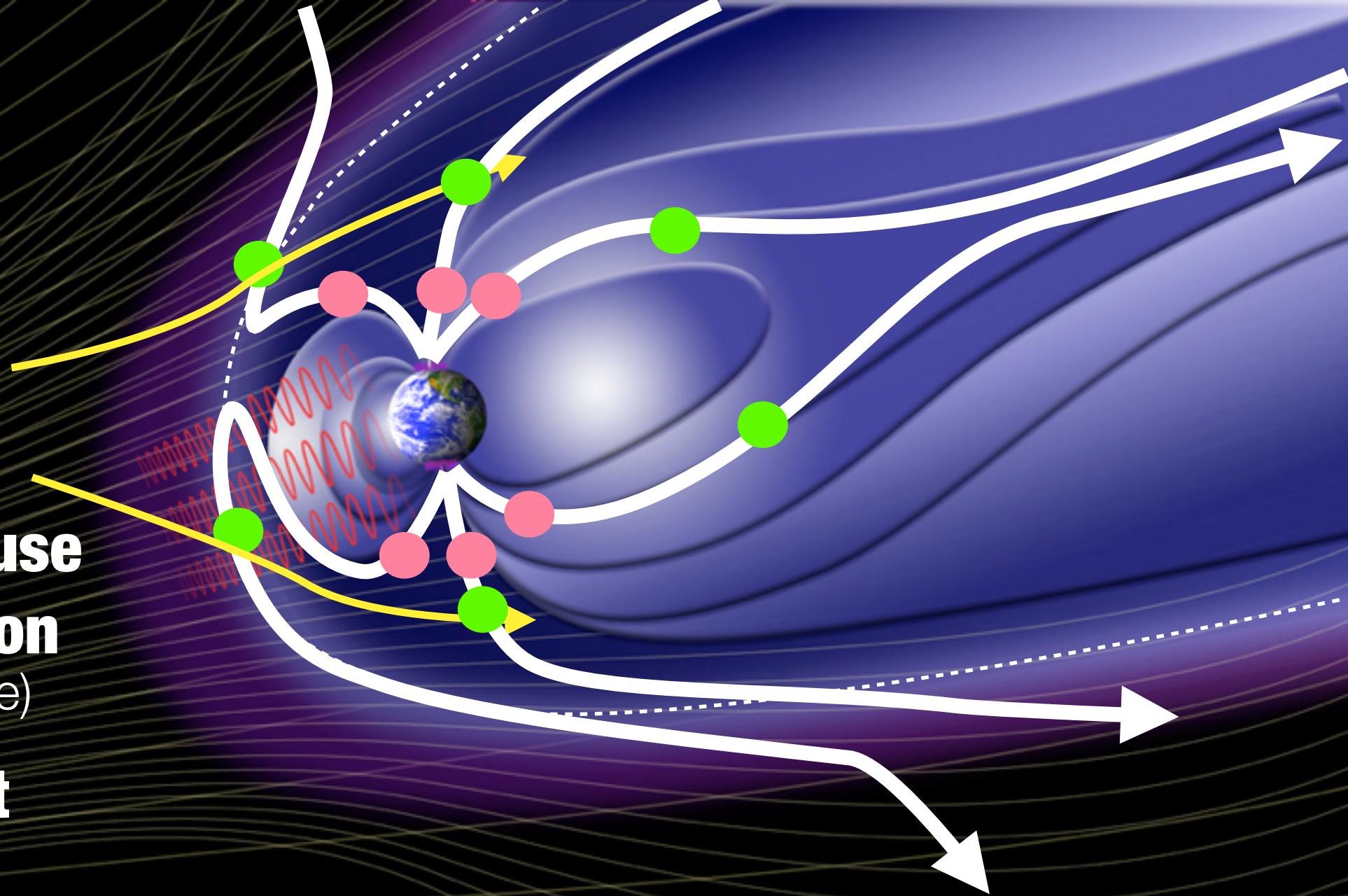




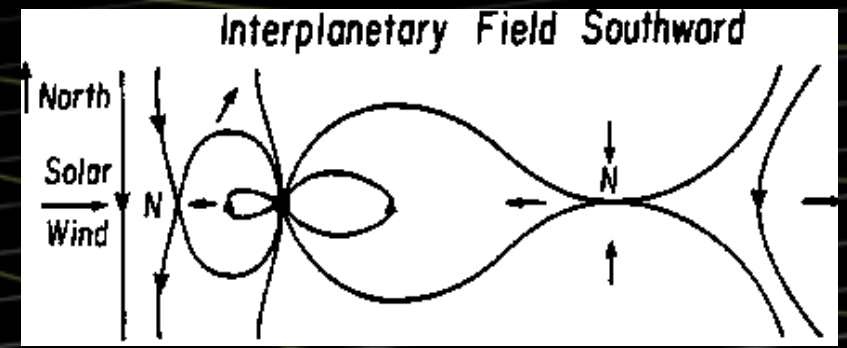
MAGNETOPAUSE

Magnetopause reconnection (growth phase)

1 Transport

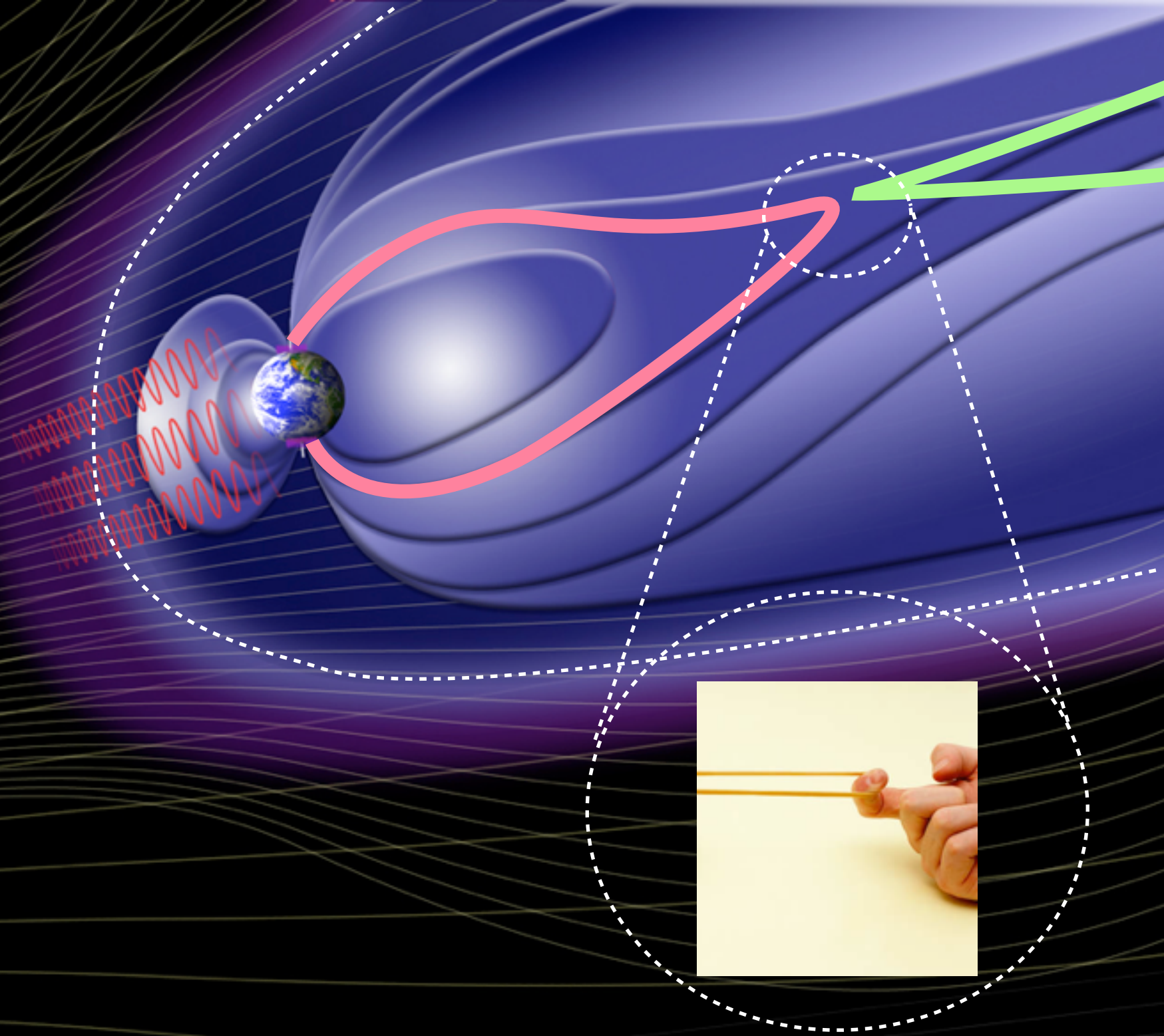


► [Dungey 1950's] (F. Hoyle student)

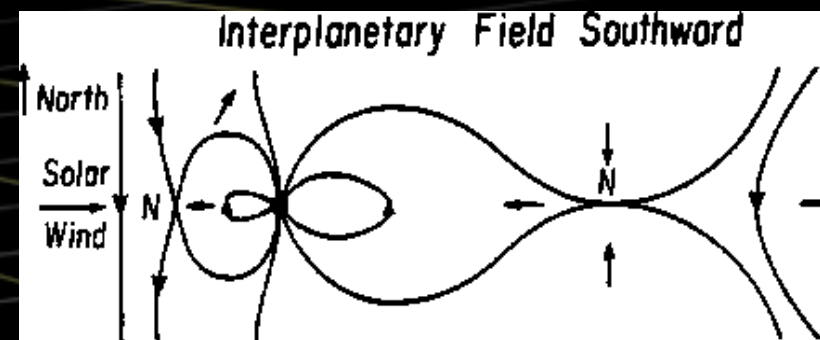


Tail reconnection (expansion phase)

2 Accélération

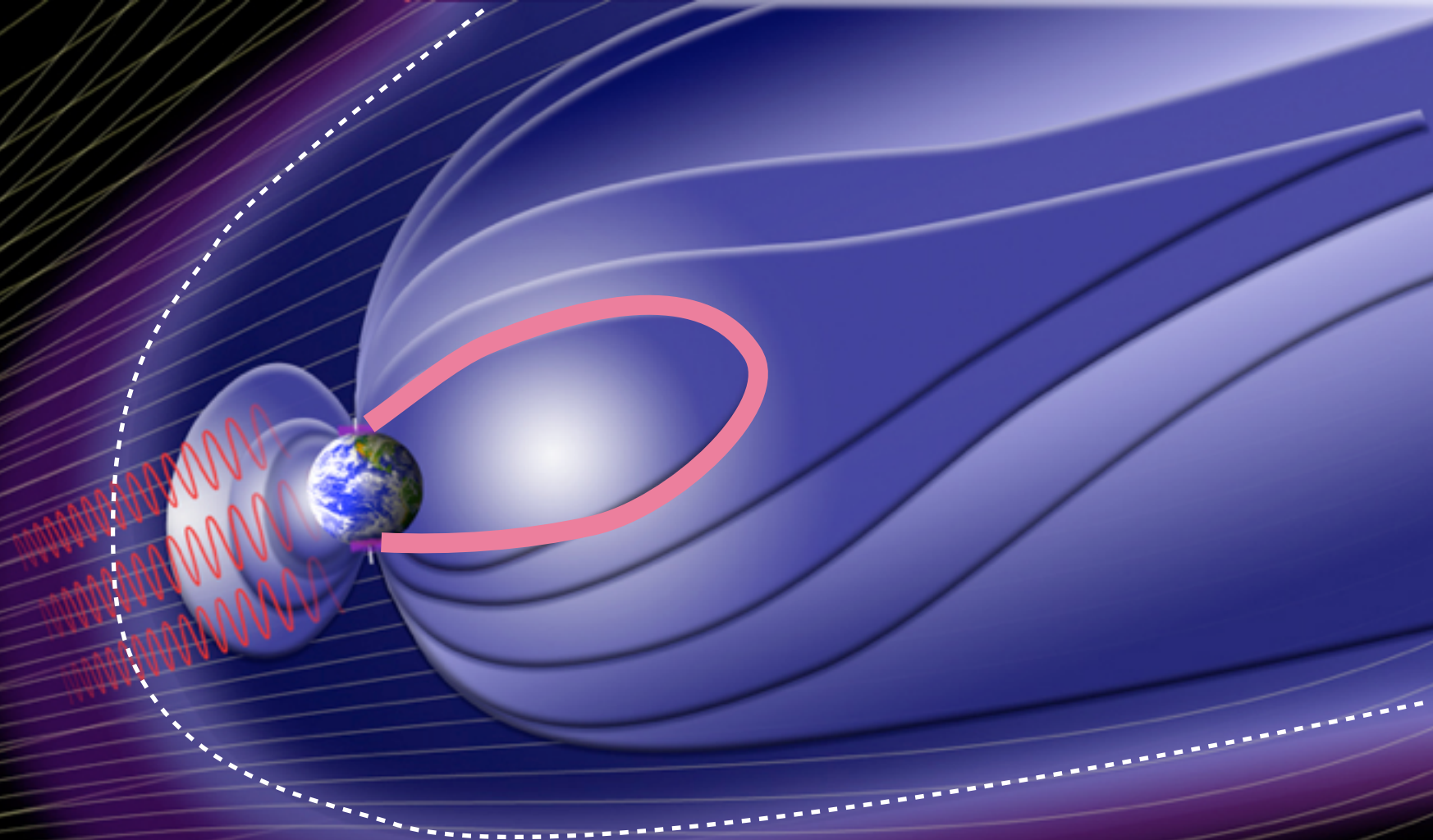


► [Dungey 1950's] (F. Hoyle student)

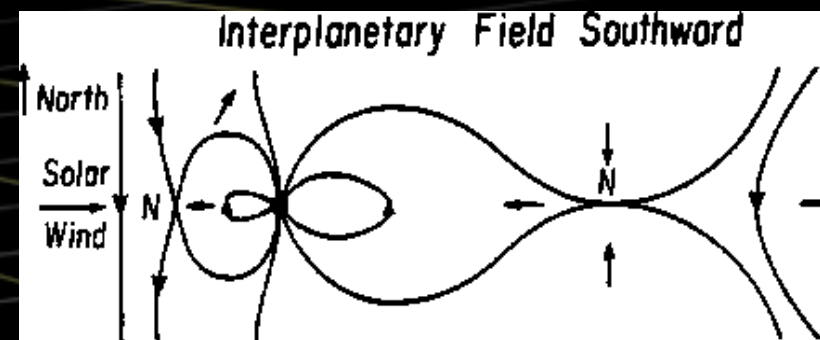


Dipolarization

(recovery phase)

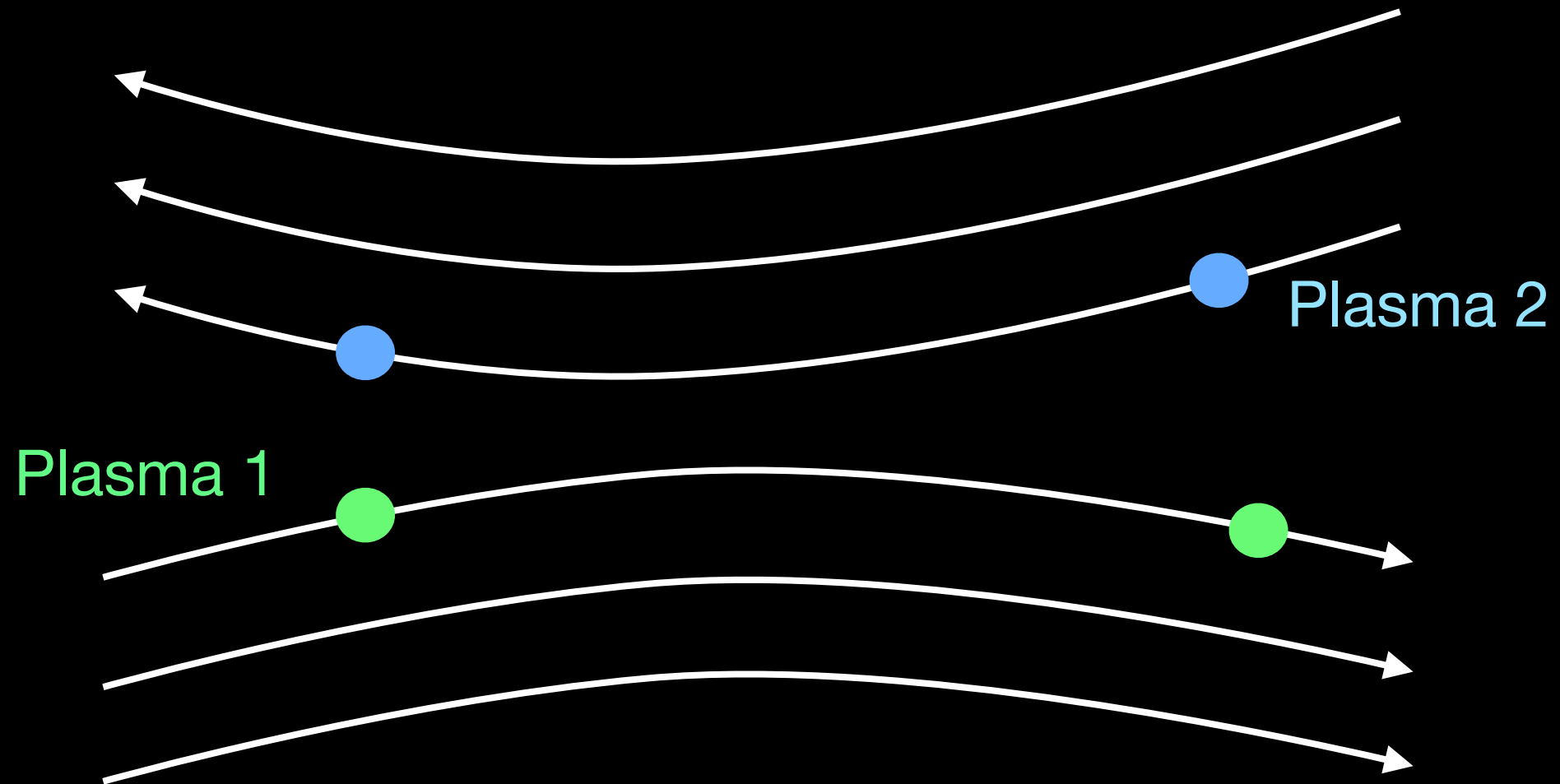


► [Dungey 1950's] (F. Hoyle student)

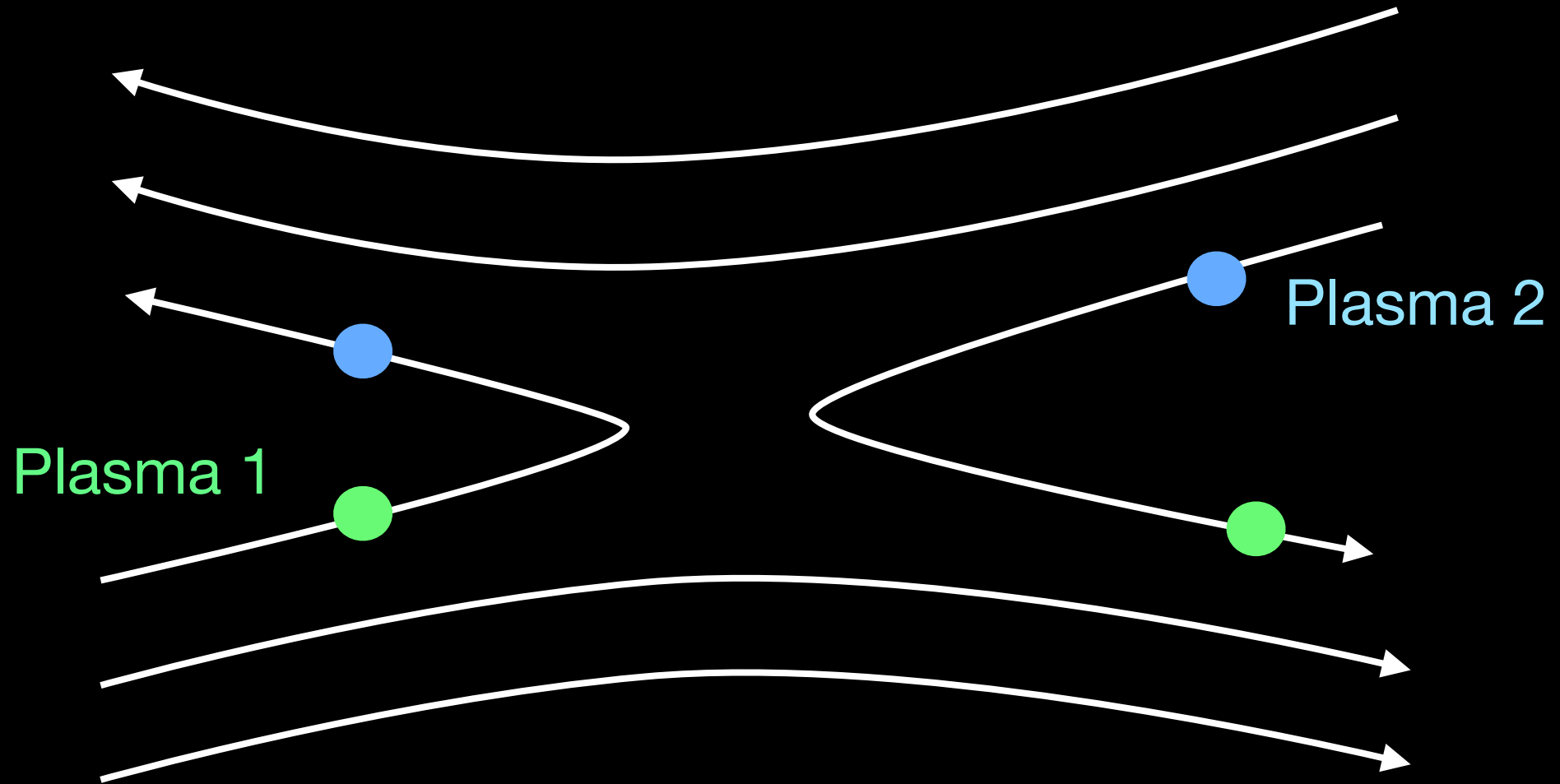


HOW DOES RECONNECTION WORK?

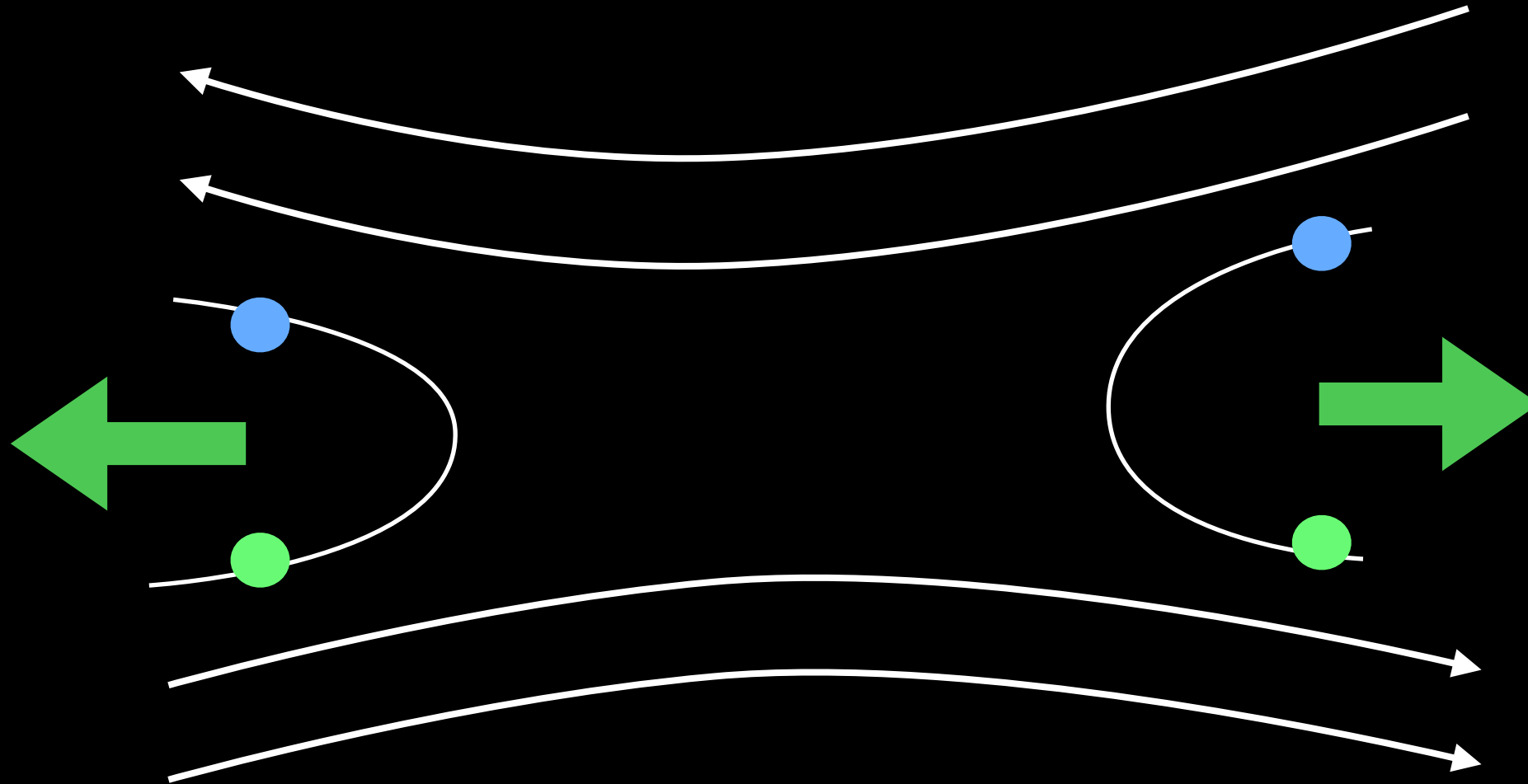
TWO MAGNETIZED PLASMAS IN « CONTACT »



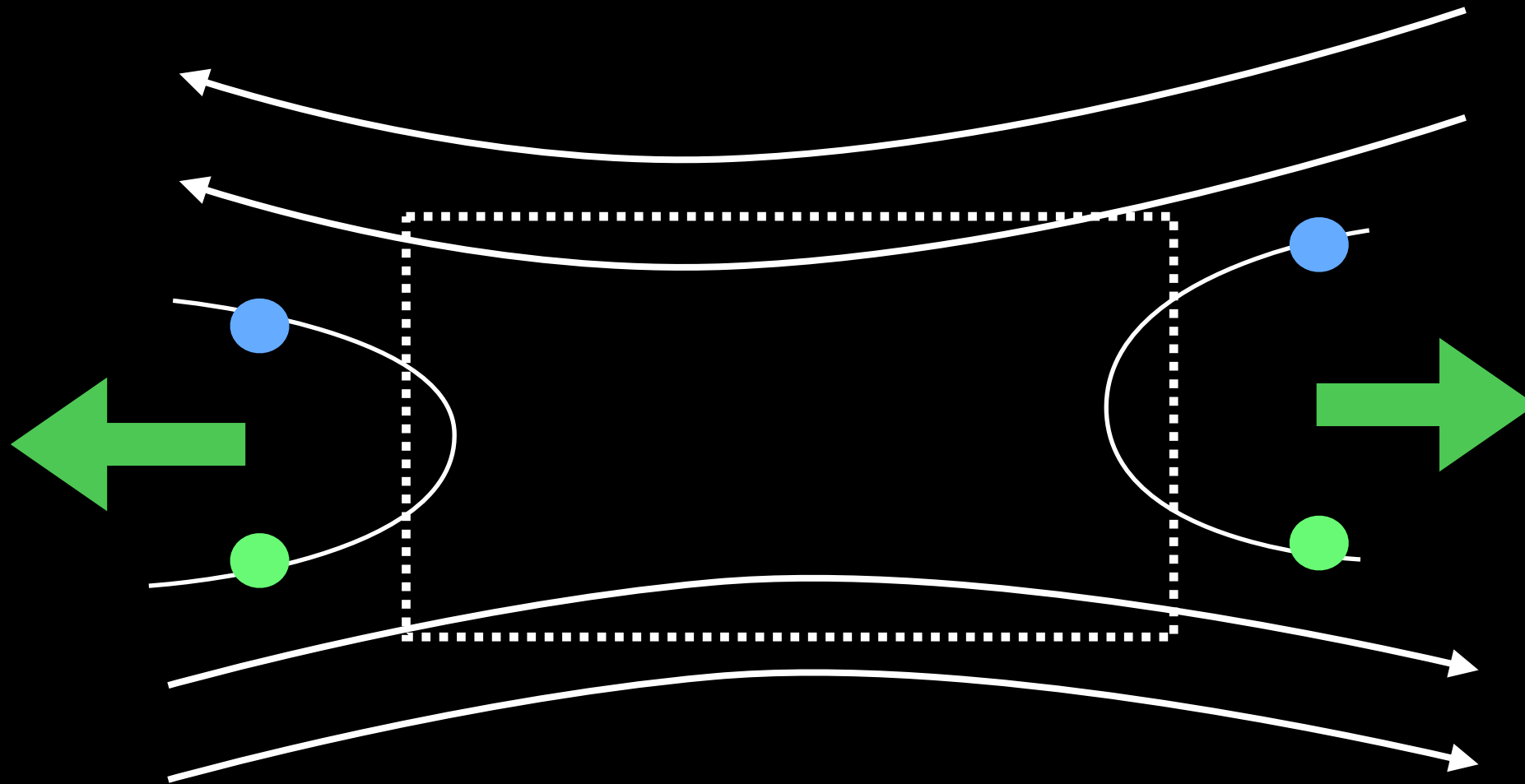
CAN BE RECONNECTED



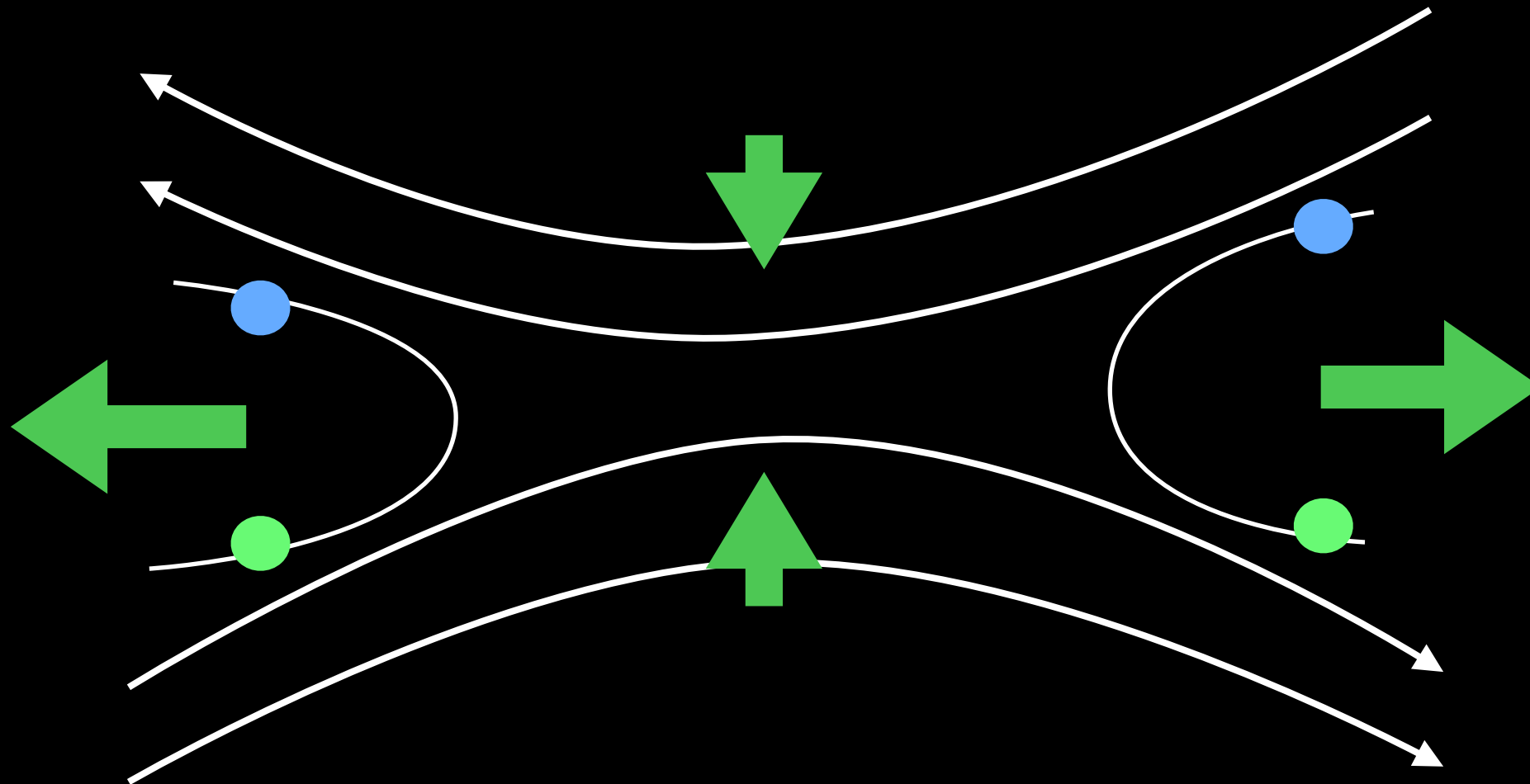
EJECTED FROM THE RECONNECTION SITE



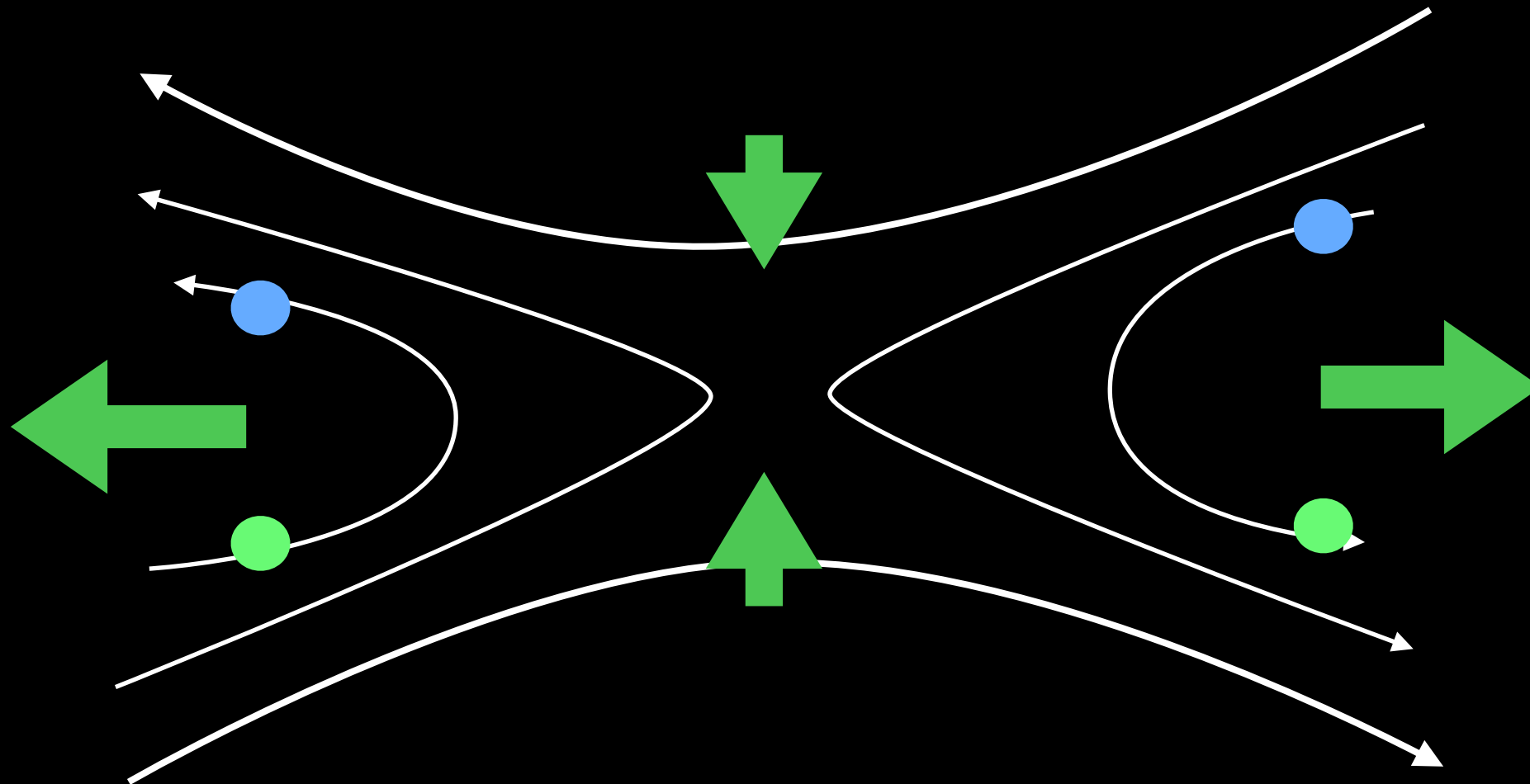
EJECTED FROM THE RECONNECTION SITE



THIS DRIVES THE PULLING OF UPSTREAM FLUX AND PLASMA



WHICH IS RECONNECTED AND EJECTED
ETC. ETC. AND THE PROCESS IS SELF MAINTAINED

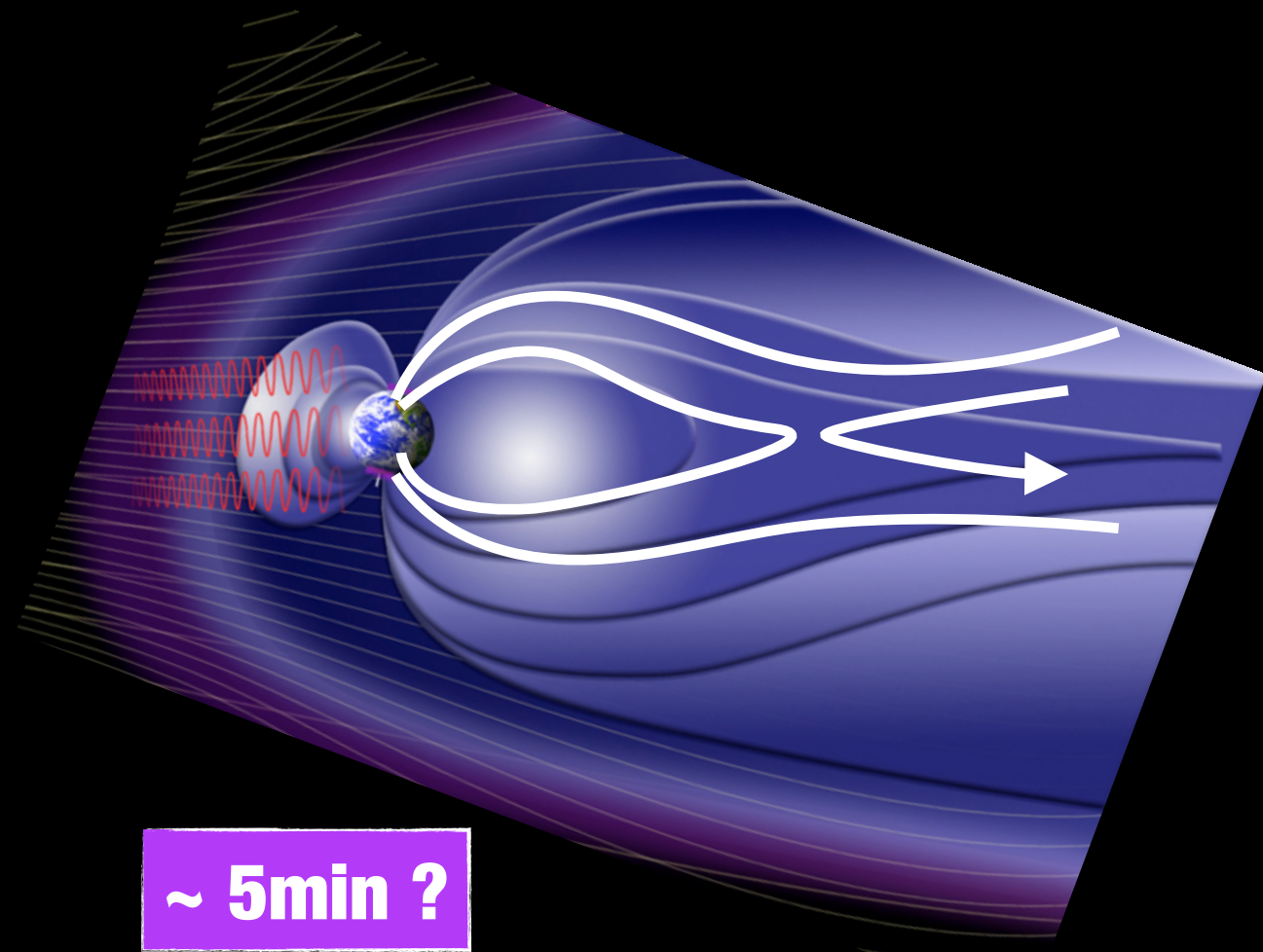


HOW MUCH FLUX DOES IT RECONNECT PER TIME UNIT?

HOW DO FIELD LINES TO CHANGE THEIR CONNECTIVITY?

WHAT MINIMAL MODEL FOR REALISTIC RECONNECTION EFFECTS?

MAGNETOHYDRODYNAMICS MODELS



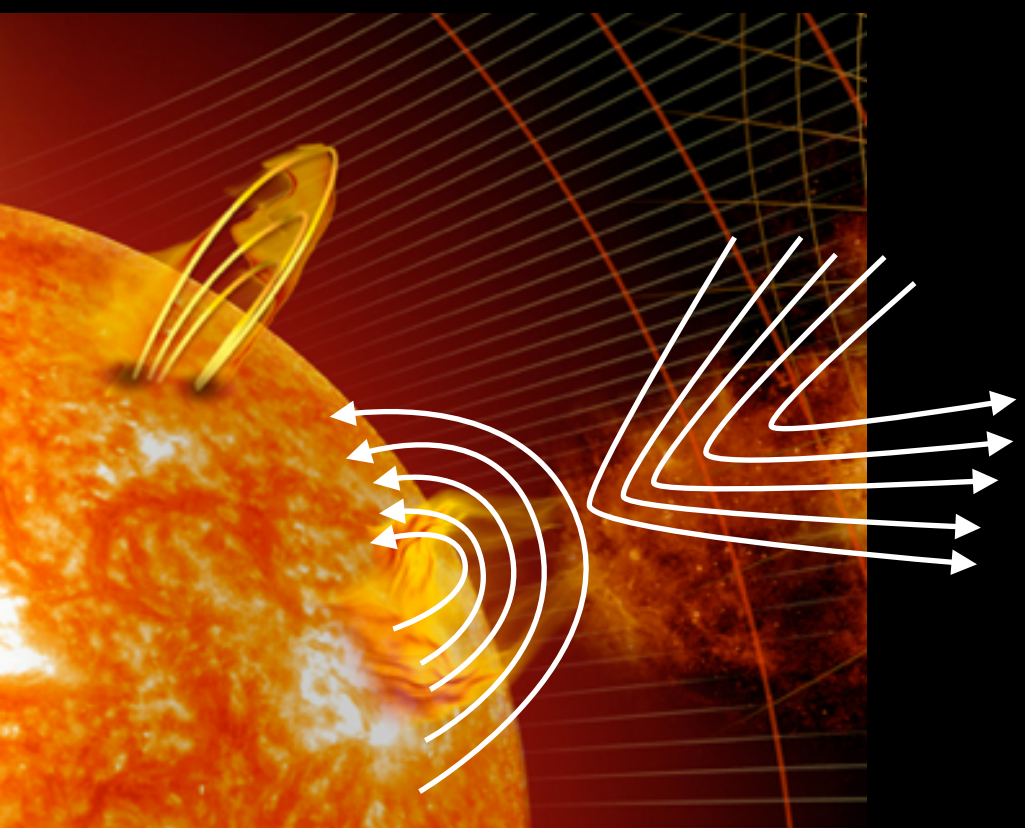
P. Sweet



E. Parker

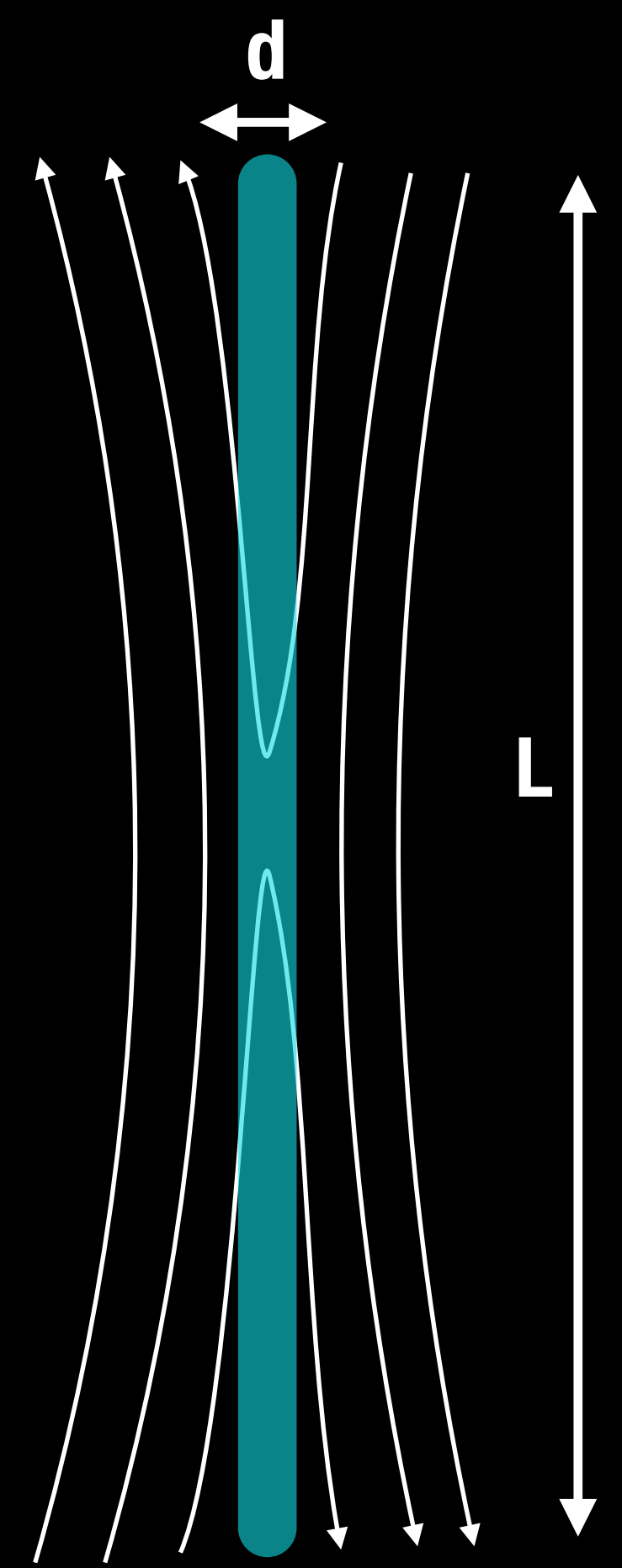
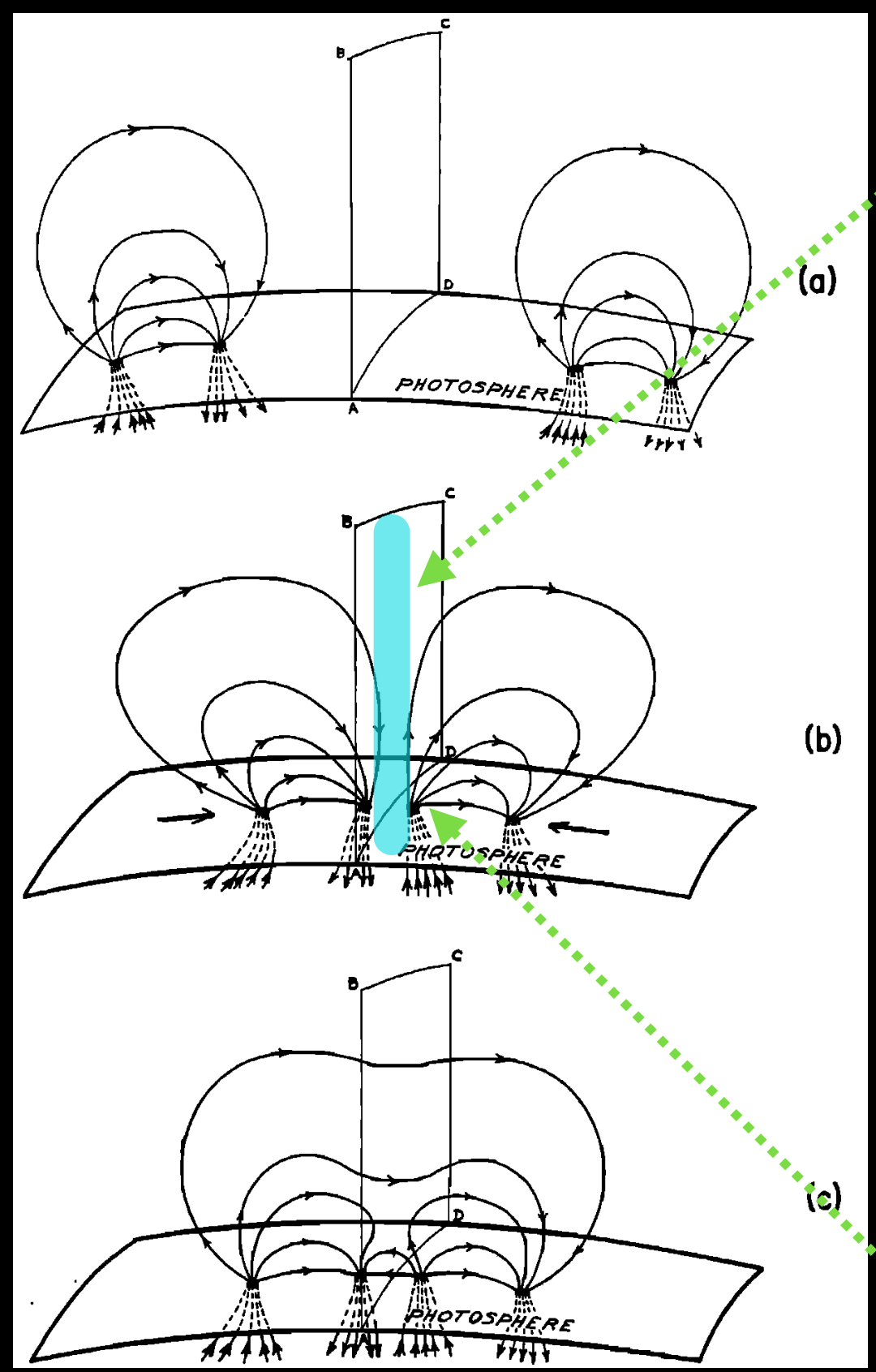


H. Petschek



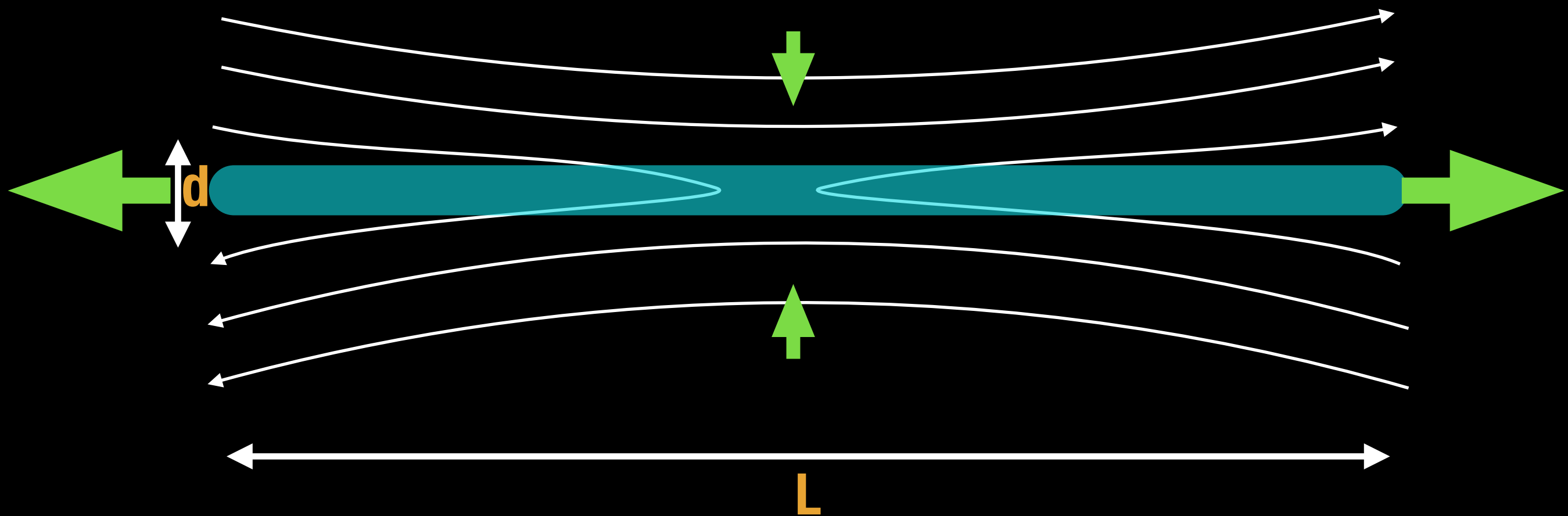
SWEET-PARKER RECONNECTION MODEL

1950's



SWEET-PARKER RECONNECTION MODEL

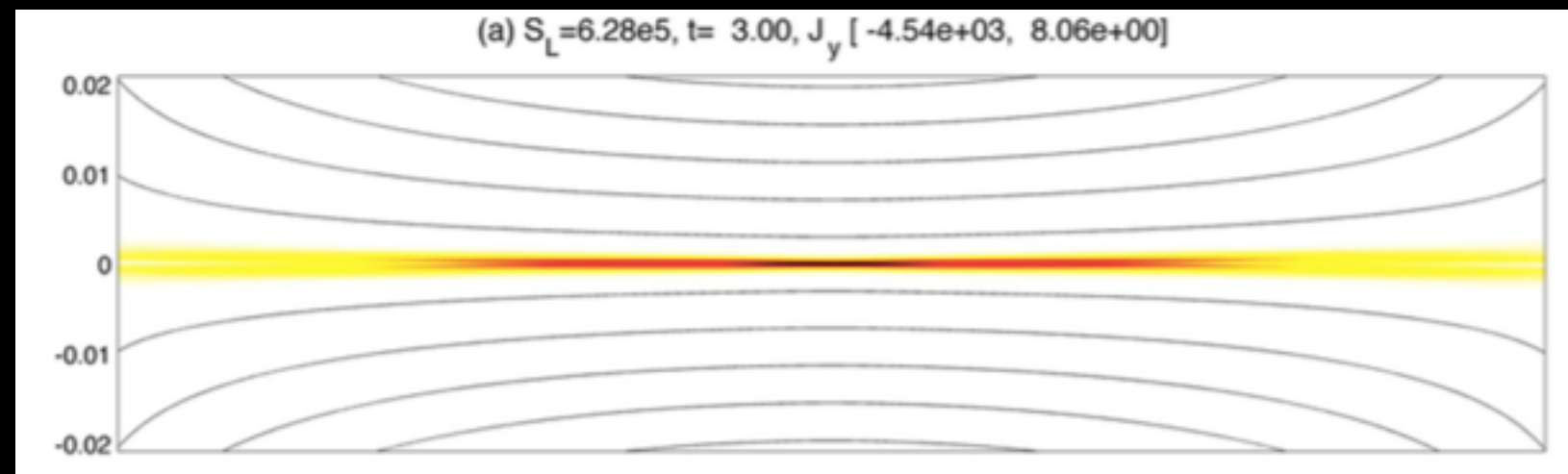
1950's



D : IS THE DIFFUSION SCALE LENGTH : VERY SMALL IN WEAKLY COLLISIONAL PLASMAS

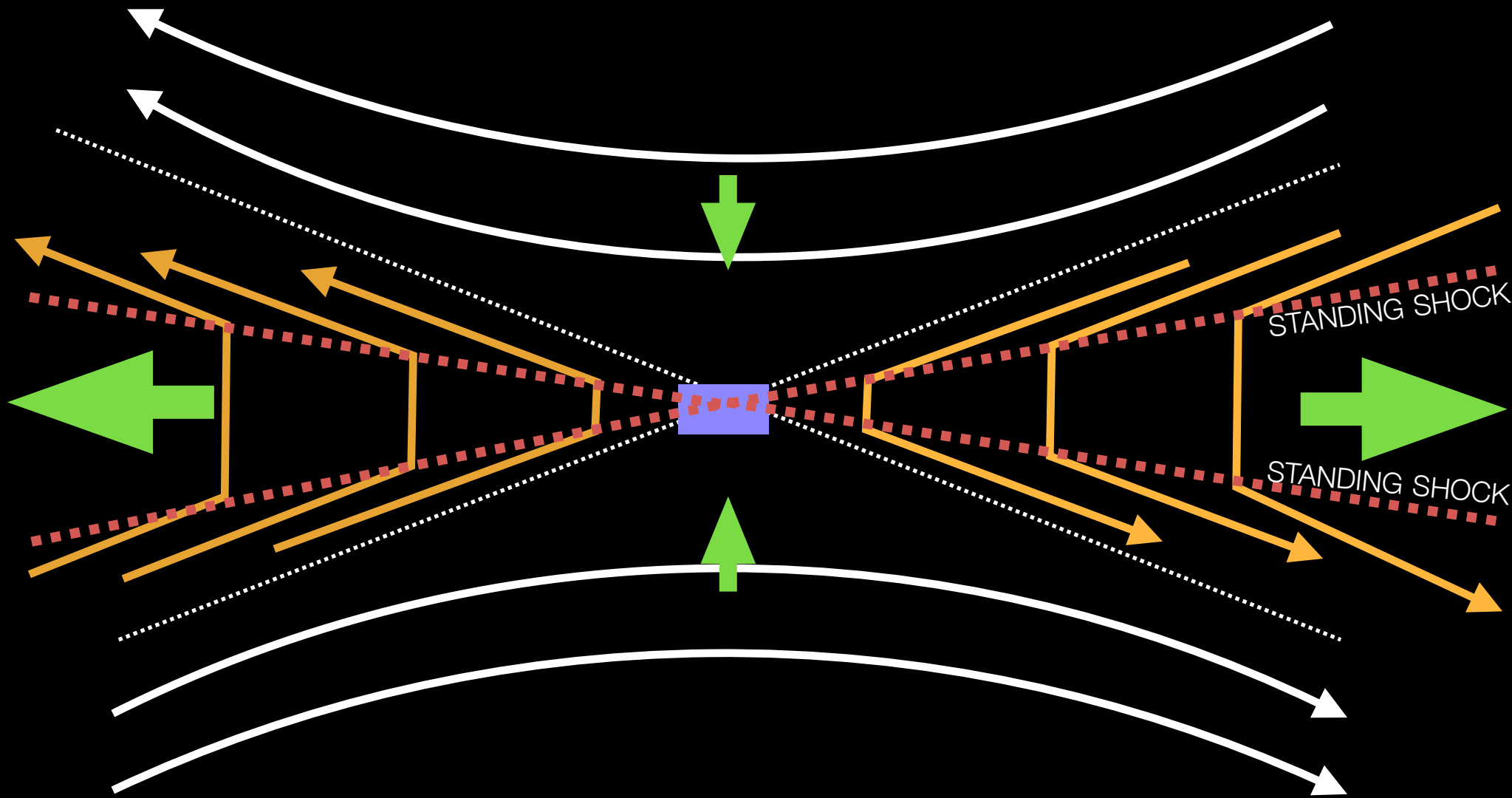
L : IS COMPARABLE TO THE CHARACTERISTIC SIZE OF THE RECONNECTING SYSTEM : HUGE IN ASTROPHYSICS

$$v_{in} \sim \frac{d}{L} V_A$$



[BHATTACHARJEE ET AL. 2009]

PETSCHEK RECONNECTION MODEL 1960's



DISSIPATION REGION IS (CHOSEN TO BE)
LOCALIZED IN BOTH DIRECTIONS

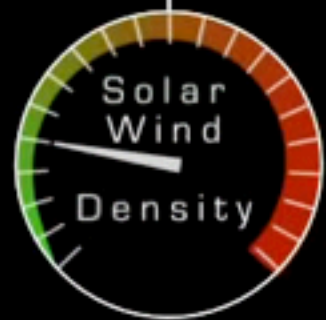
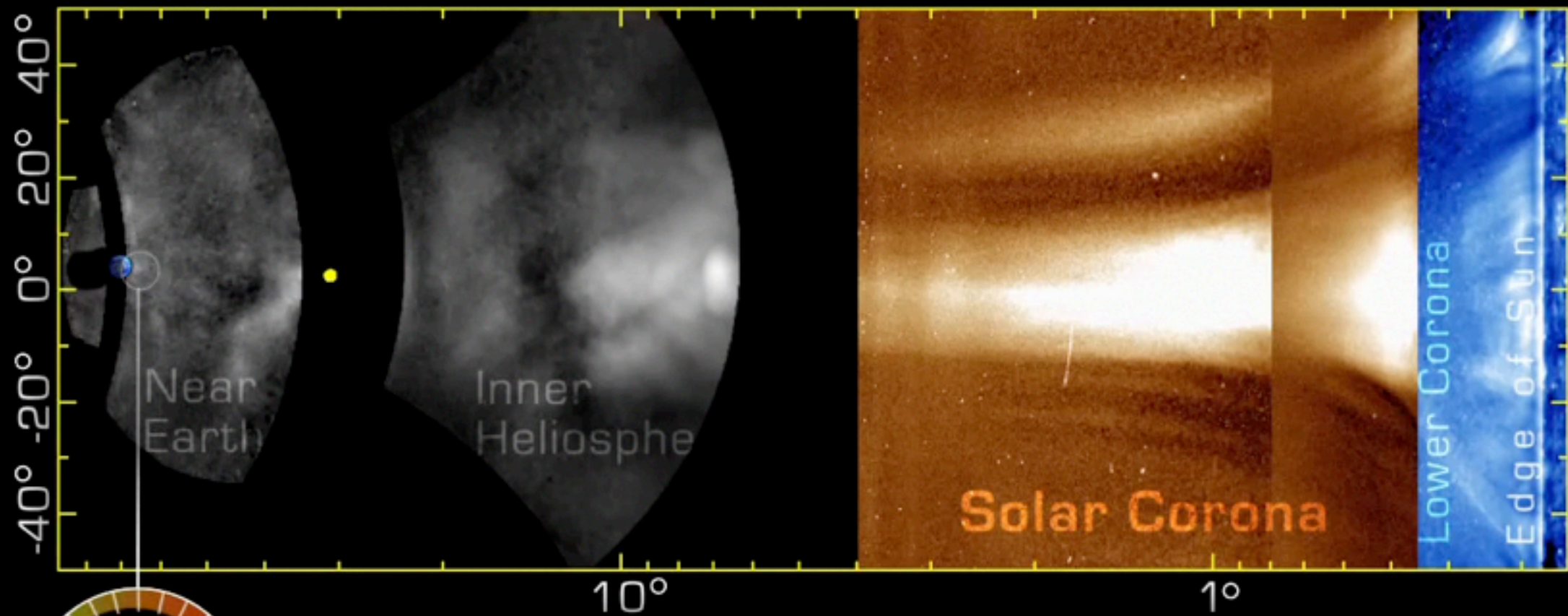
THE PLASMA IS ACCELERATED THROUGH
SHOCKS (SWITCH-OFF SLOW SHOCKS)

NO BOTTLENECK, FAST RECONNECTION

PROBLEM : CAN'T JUSTIFY THE LOCAL ENHANCEMENT OF RESISTIVITY

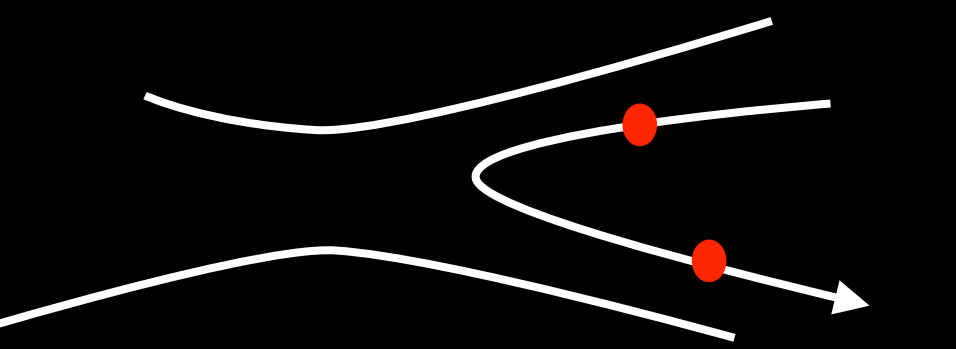
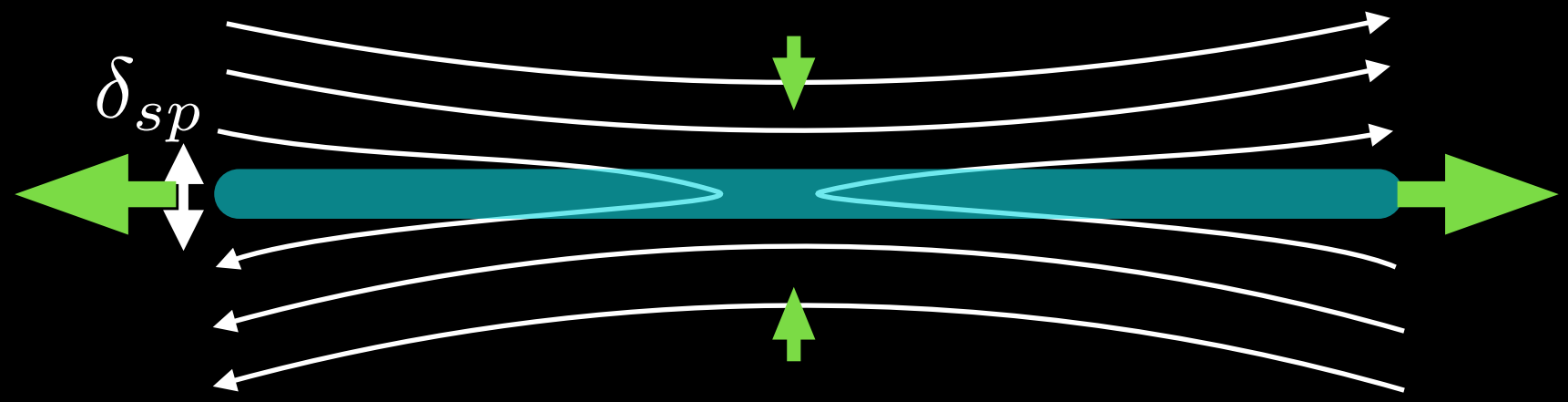
THE PLASMA IS COLLISIONLESS

MEAN FREE PATH

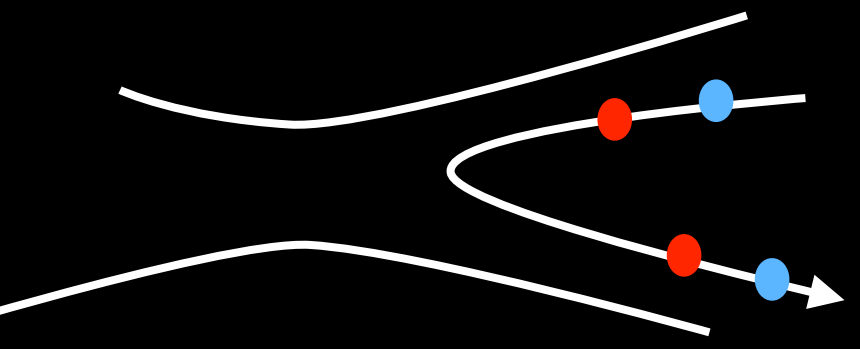


STEREO-A:12/11/08 12:40:00 AM

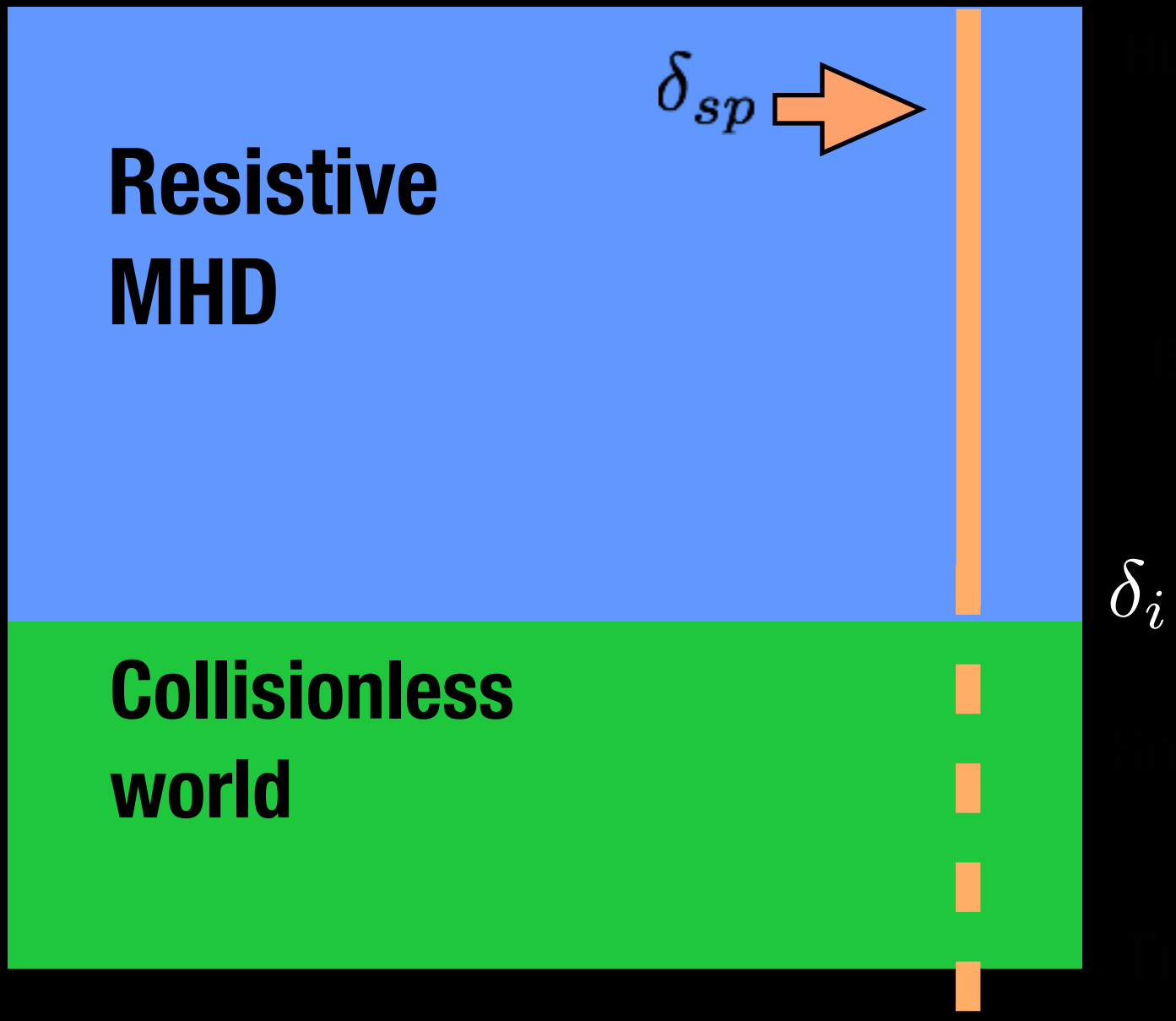
COLLISIONLESS EFFECTS



SINGLE FLUID FROZEN IN THE MAGNETIC FIELD



ONLY **ELECTRONS** ARE ASSUMED TO BE FROZEN IN **B**. **ION** INERTIA ALLOW THEM TO DETACH AT SMALL SCALES

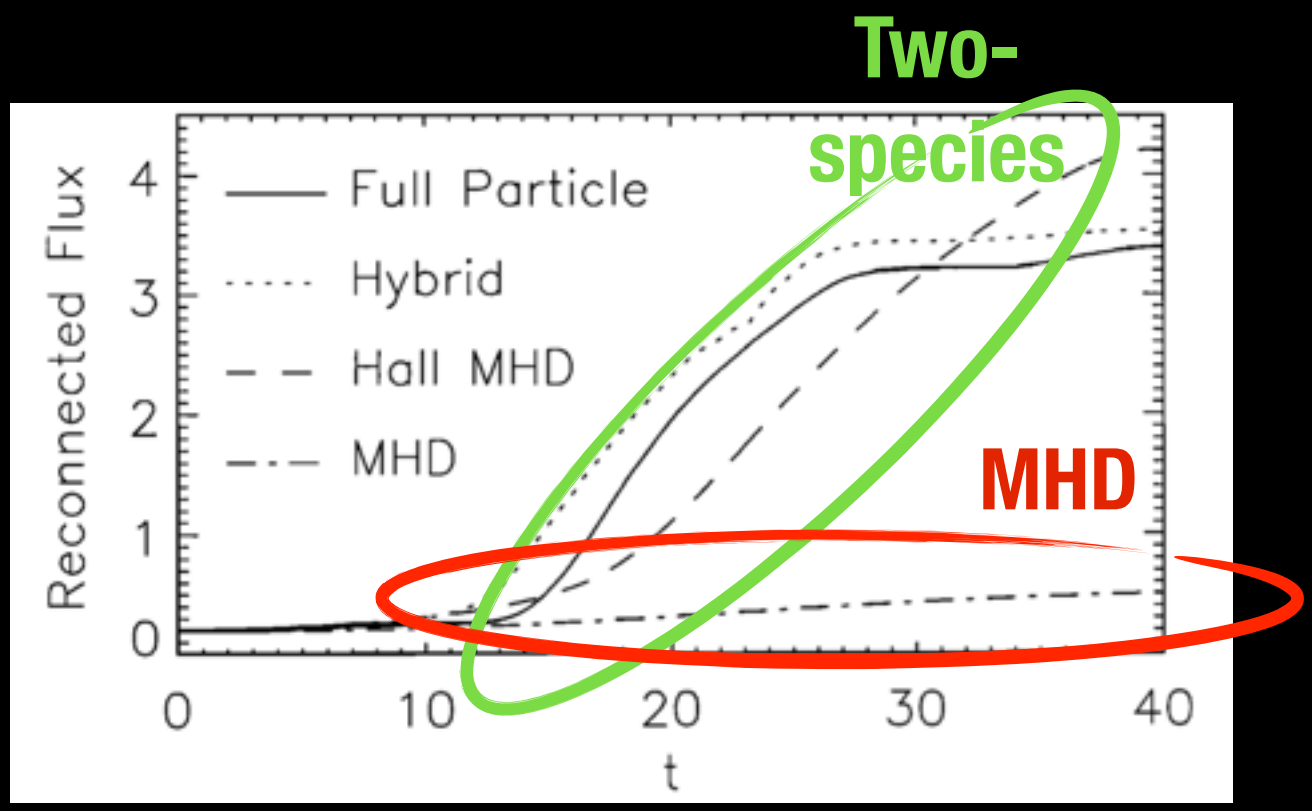


« STANDARD » COLLISIONLESS RECONNECTION MODEL

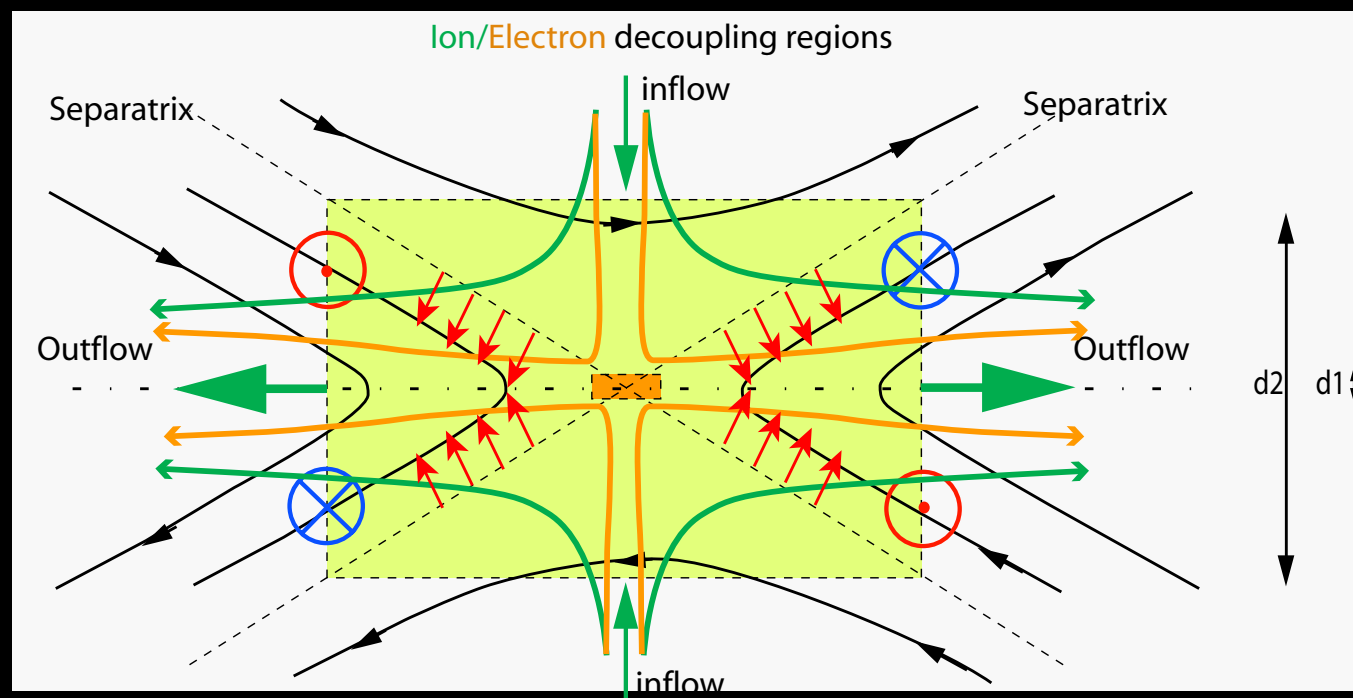
$$\mathbf{E} = \underbrace{-\mathbf{v}_i \times \mathbf{B}}_{\text{MHD}} + \underbrace{\frac{1}{ne} (\mathbf{j} \times \mathbf{B} - \nabla \cdot \mathbf{P}_e)}_{\text{Two-fluid}}$$

Just electron momentum eq. **Electrons** are frozen in B

$$\mathbf{E} = -\mathbf{v}_e \times \mathbf{B} - \frac{1}{ne} \nabla \times \mathbf{P}_e$$

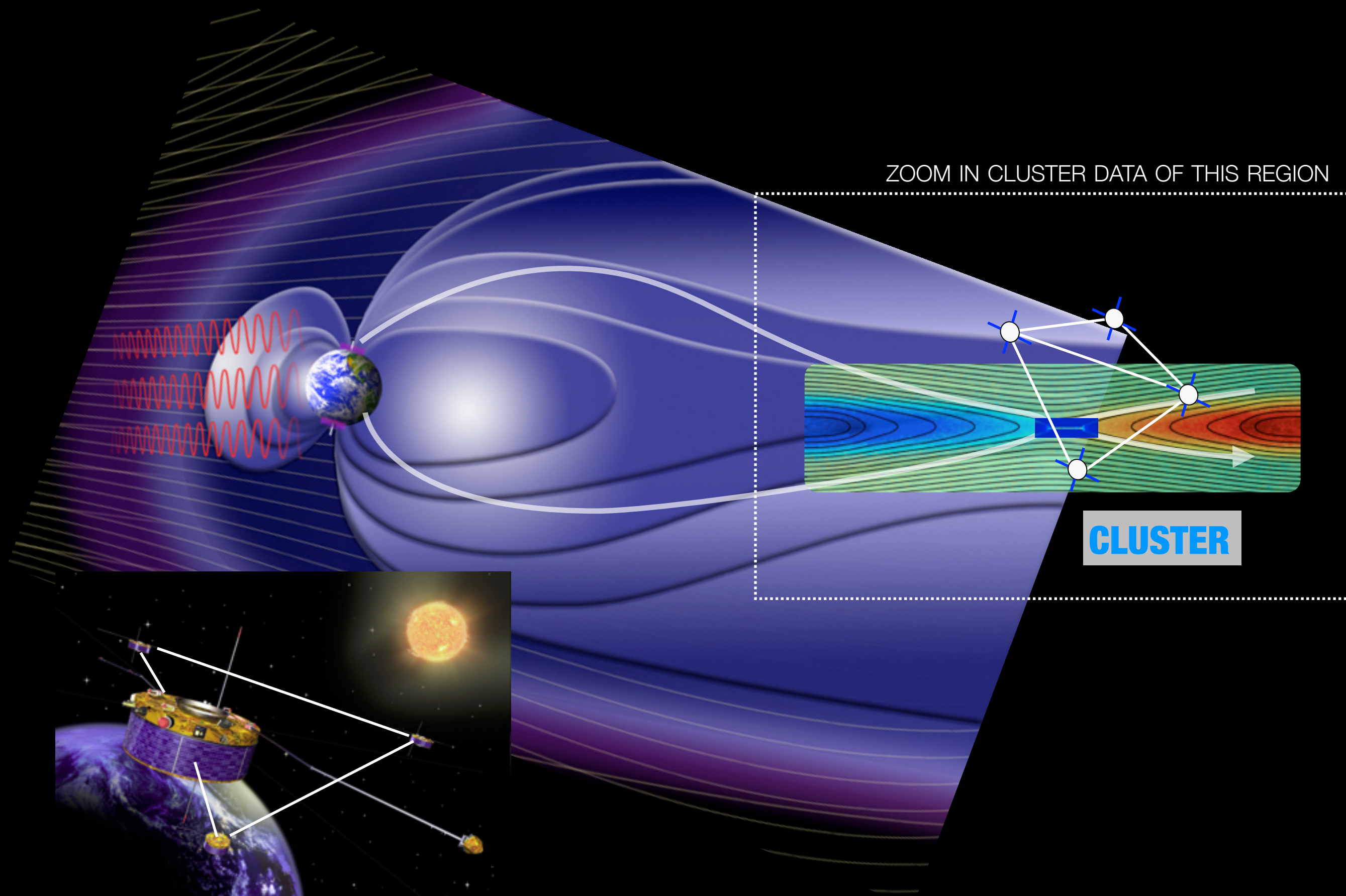


[Birni et al. JGR 2001]

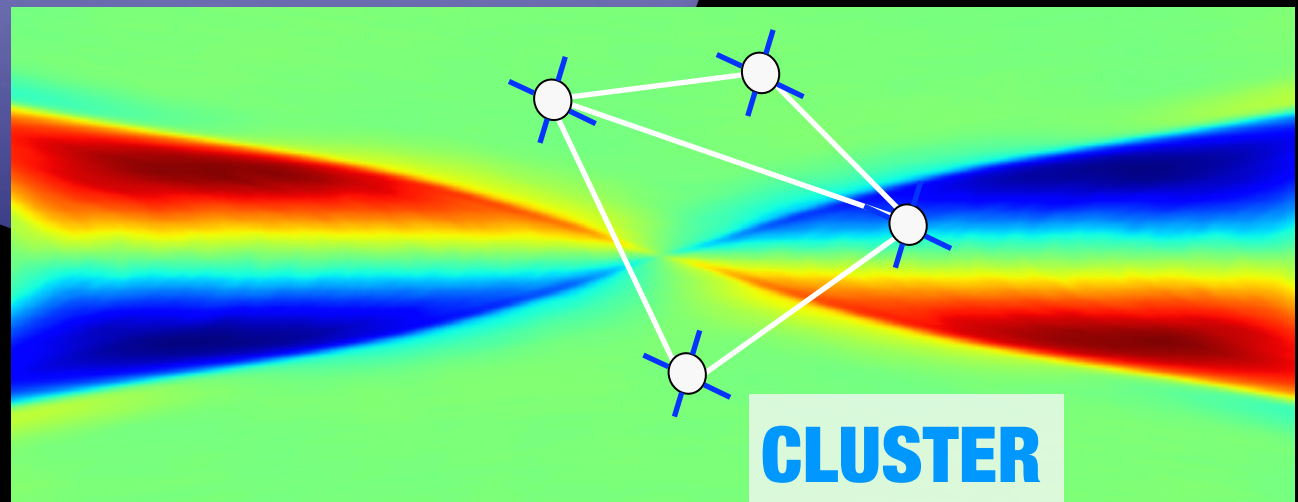
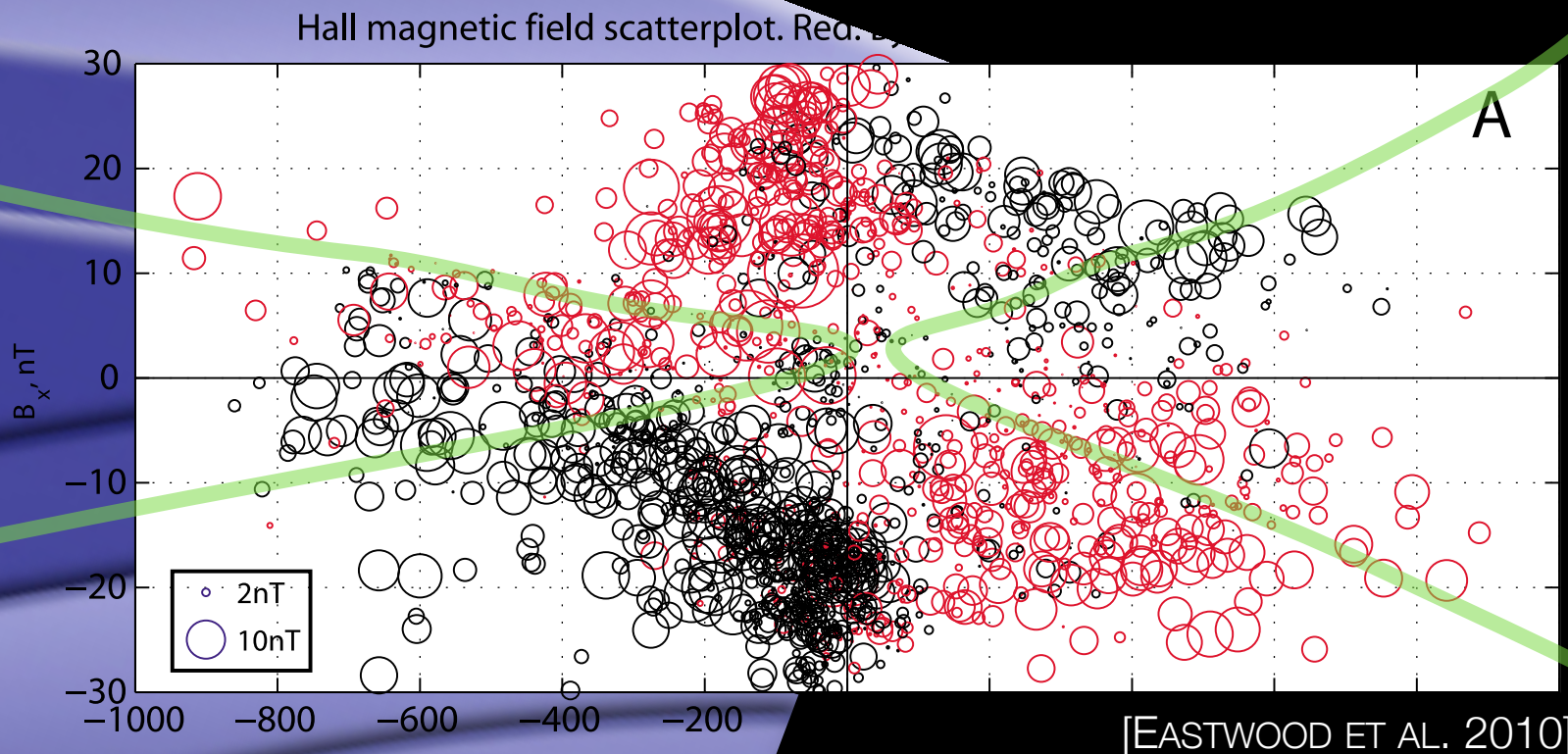


[Aunai et al. JGR 2011]

SUCCESS OF ION SCALE MULTI-SPACECRAFT MEASUREMENTS



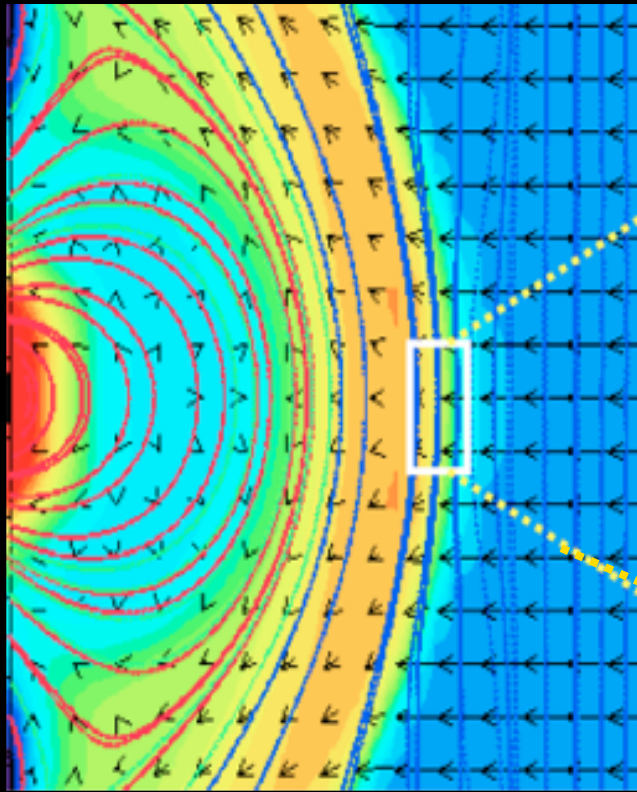
SUCCESS OF ION SCALE MULTI-SPACECRAFT MEASUREMENTS



SIMULATION

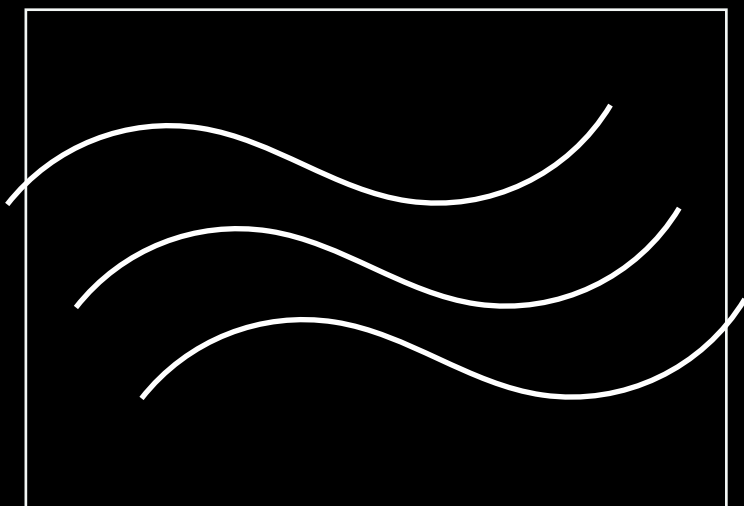
MULTI-SCALES - MULTI-PHYSICS - KEY INGREDIENTS?

Global Scale

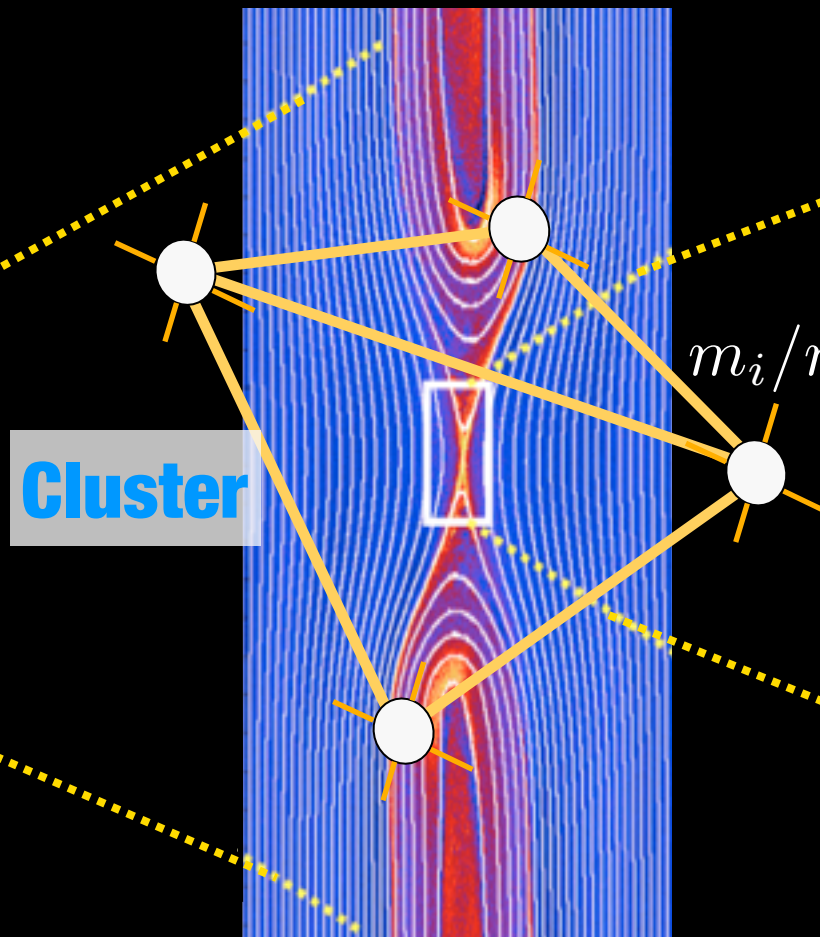


10^5 km

Fluid models

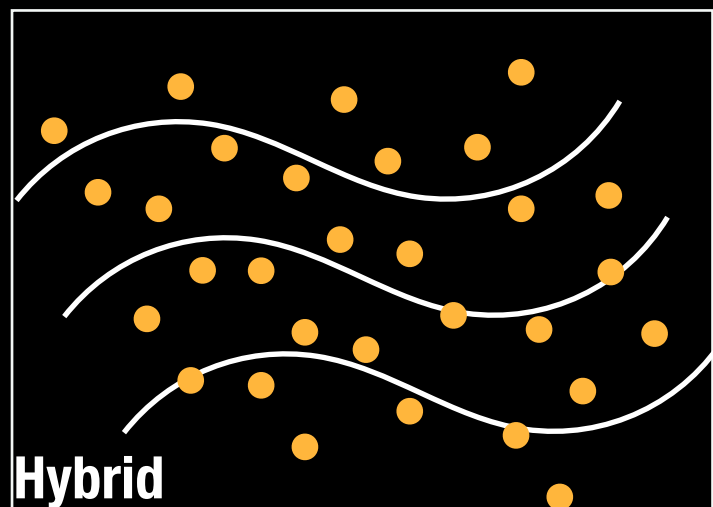


Ion Scale



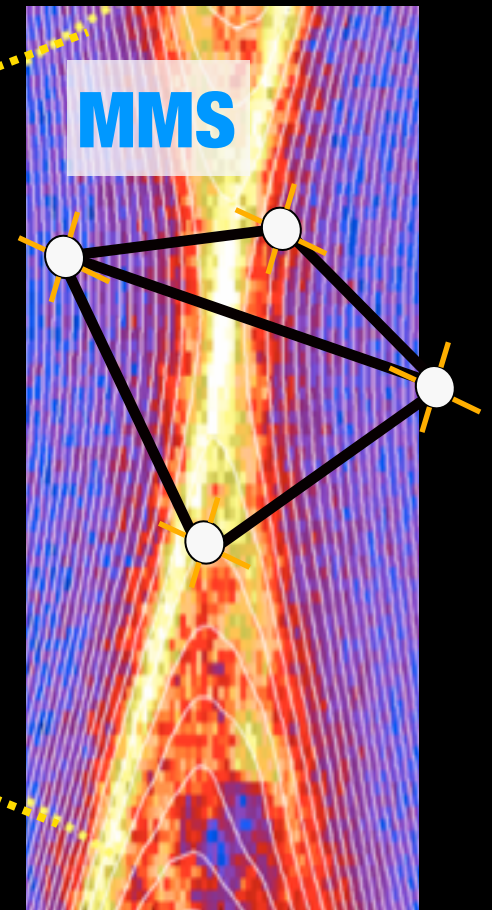
10^3 km

Ion particles - fluid electrons



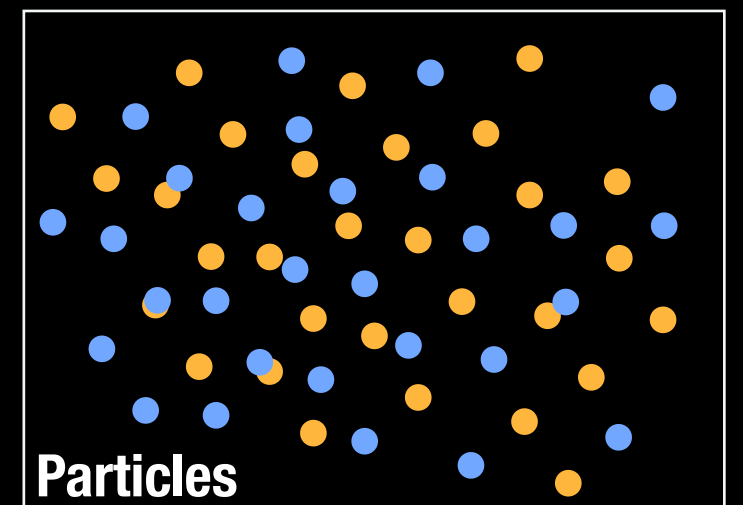
Hybrid

Electron Scale



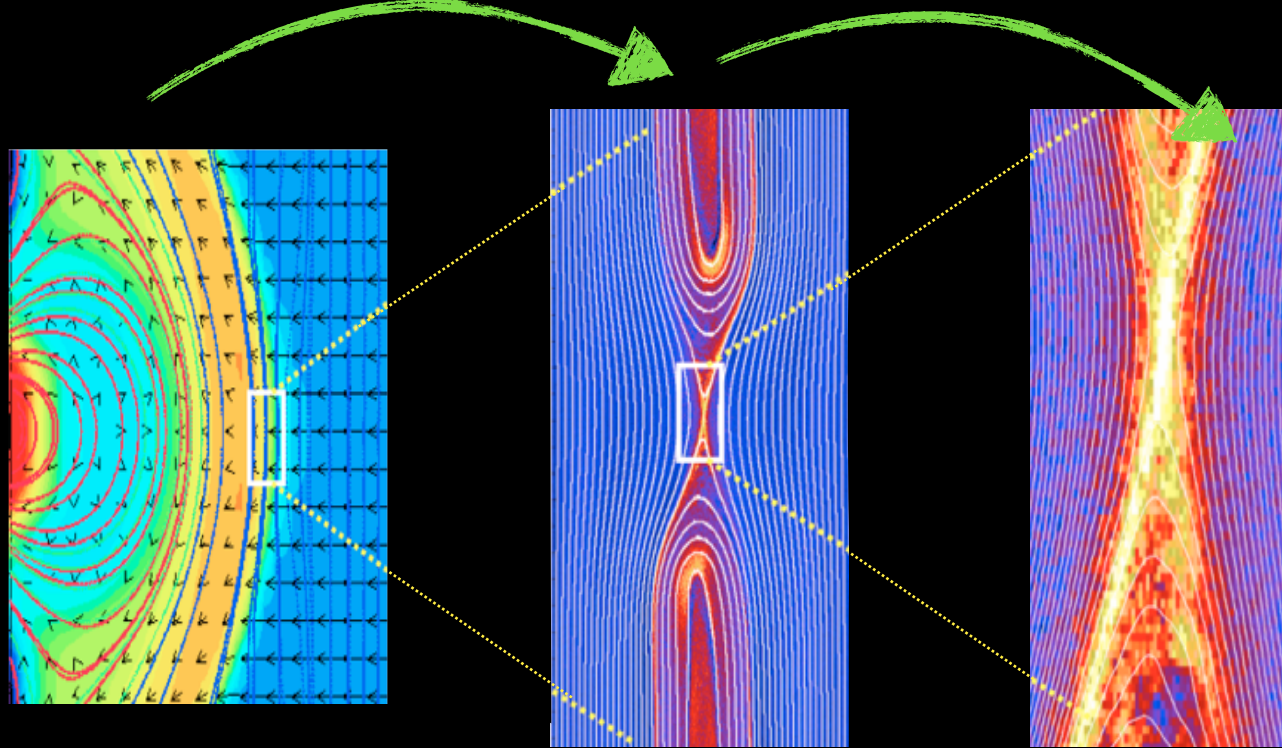
10 km

Both ion and electron particles



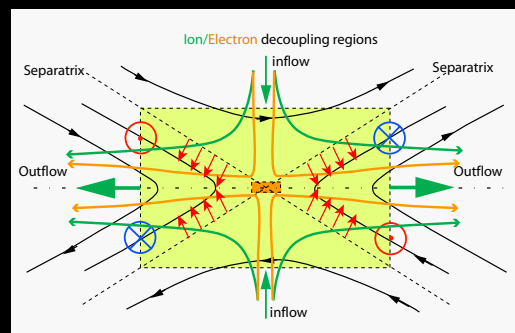
Particles

$$m_i/m_e = 1836$$



2005's -> ...

Multi-Scale



1990-2005

HALL RECONNECTION



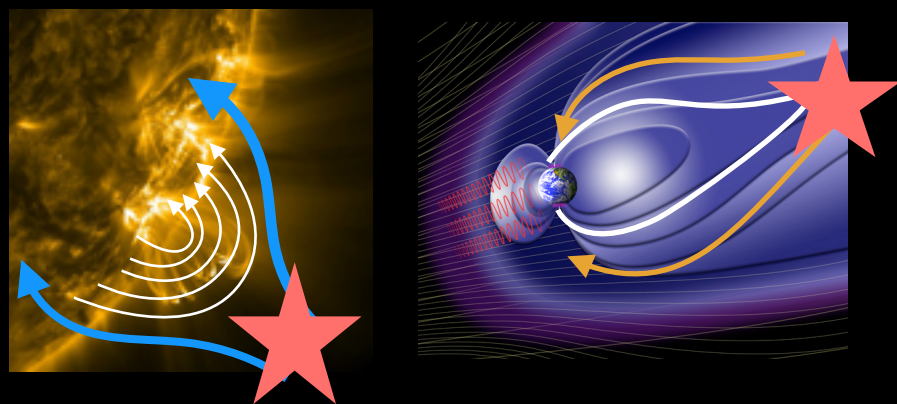
P. Sweet

E. Parker

H. Petschek

1950's 60's

FIRST MHD MODELS



Giovanelli

Dungey

1940's

BIRTH OF RECONNECTION

Particle-Mesh code

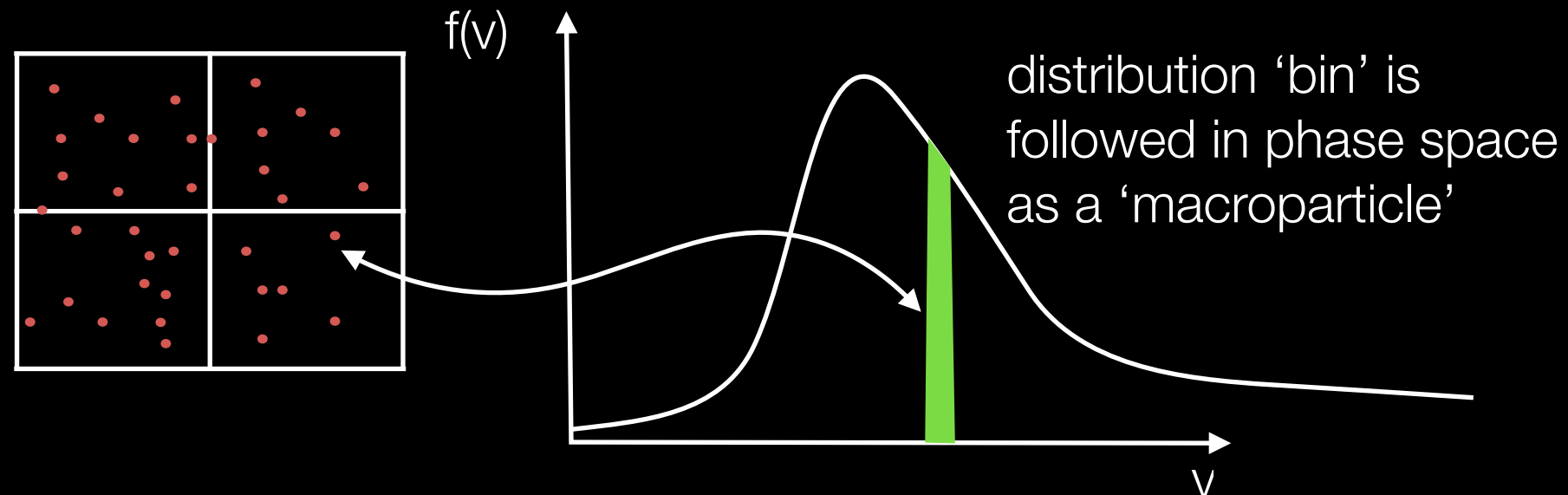
$$m \frac{d\mathbf{v}}{dt} = q\mathbf{E} + q\mathbf{v} \times \mathbf{B}$$

$$\mathbf{v} = \frac{d\mathbf{r}}{dt}$$

$$\frac{\partial \mathbf{B}}{\partial t} + \nabla \times \mathbf{E} = 0$$

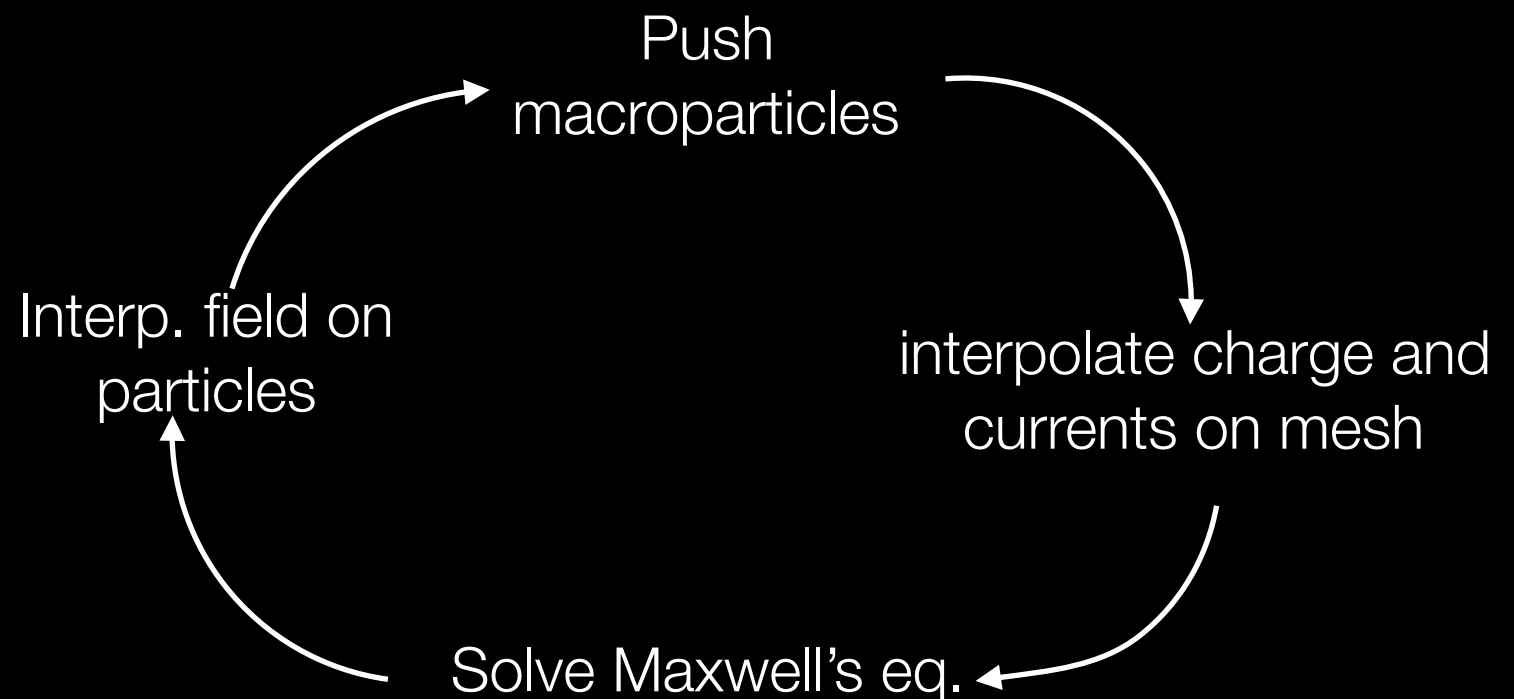
$$\frac{\partial \mathbf{E}}{\partial t} - c^2 \nabla \times \mathbf{B} + c^2 \mu_0 \mathbf{j} = 0$$

- Lagrangian version of Vlasov-Maxwell (eulerian codes are insanely expensive)



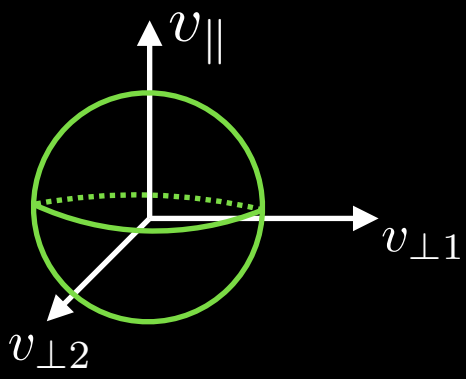
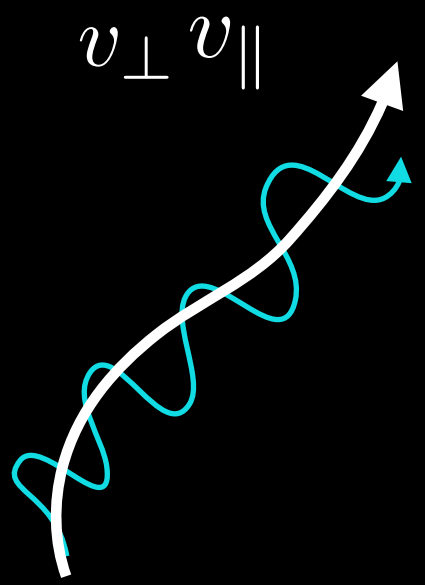
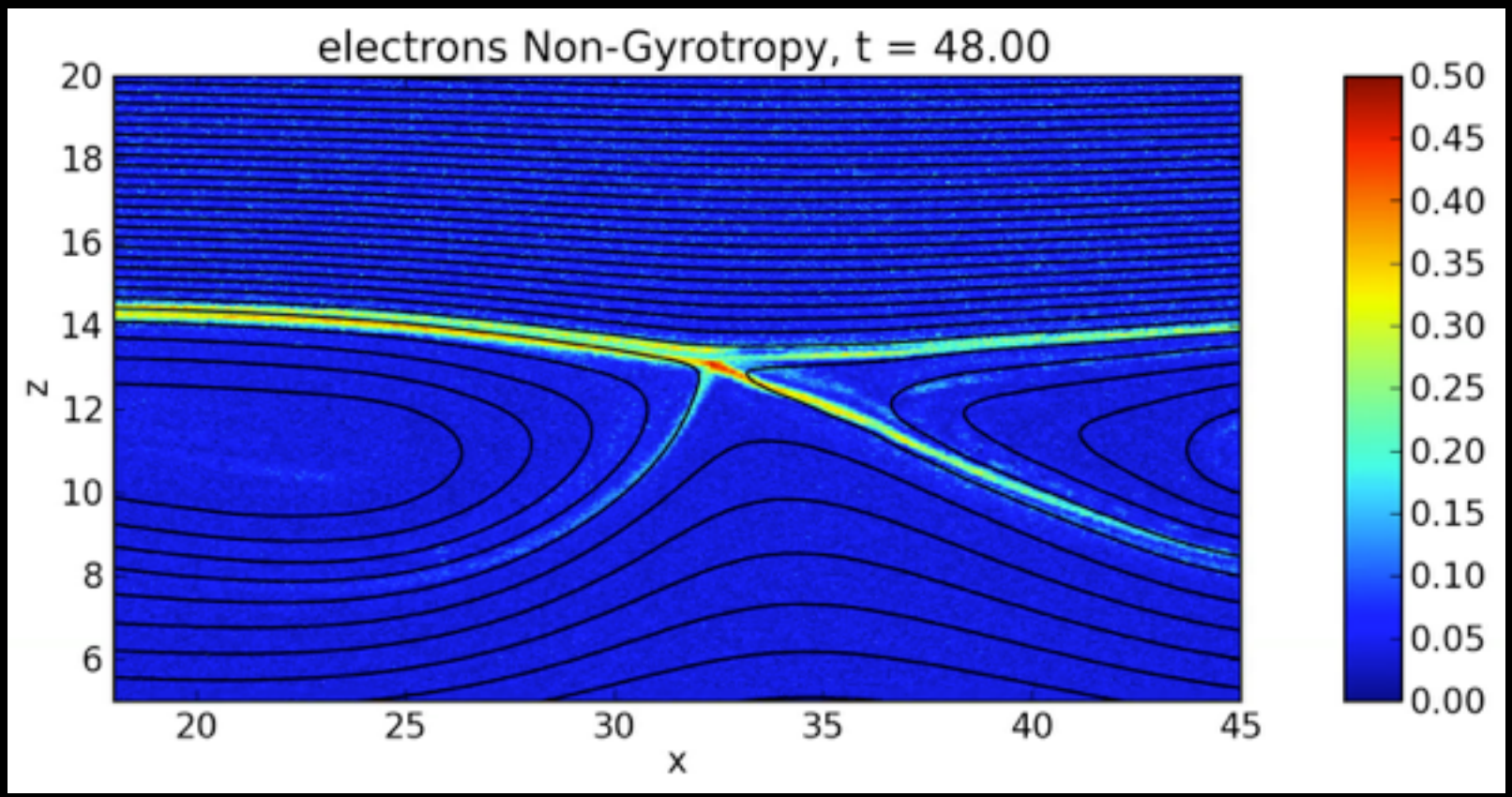
Include all relevant physics but:

- statistical noise
- still have to cheat with m_e/m_i
 c/V_A



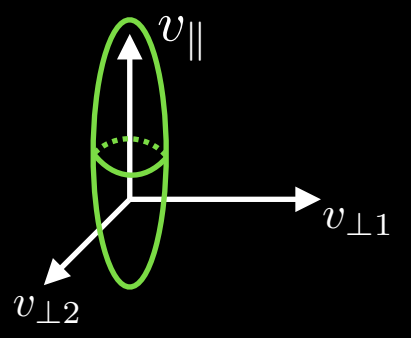
ELECTRON SCALE MECHANISMS - NON-GYROTROPY

[AUNAI ET AL. 2013]



isotropic distribution

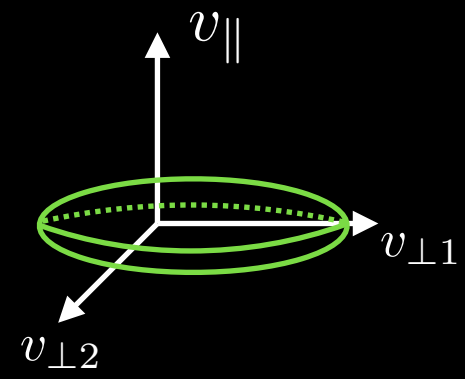
$$\begin{pmatrix} P & 0 & 0 \\ 0 & P & 0 \\ 0 & 0 & P \end{pmatrix}$$



anisotropic distribution $T_{\parallel} > T_{\perp}$

$$T_{\parallel} > T_{\perp}$$

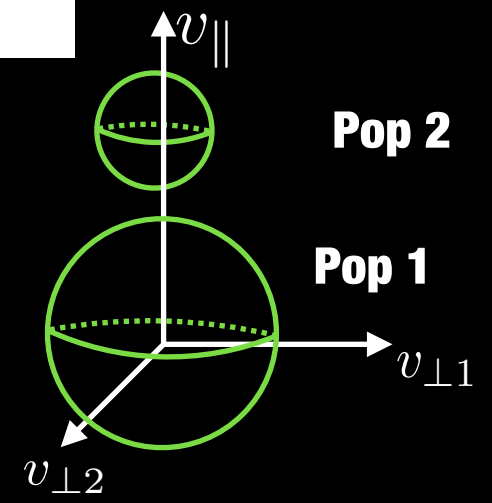
$$\begin{pmatrix} P_{\parallel} & 0 & 0 \\ 0 & P_{\perp} & 0 \\ 0 & 0 & P_{\perp} \end{pmatrix}$$



anisotropic distribution $T_{\parallel} < T_{\perp}$

$$T_{\parallel} < T_{\perp}$$

$$\begin{pmatrix} P_{\parallel} & 0 & 0 \\ 0 & P_{\perp} & 0 \\ 0 & 0 & P_{\perp} \end{pmatrix}$$



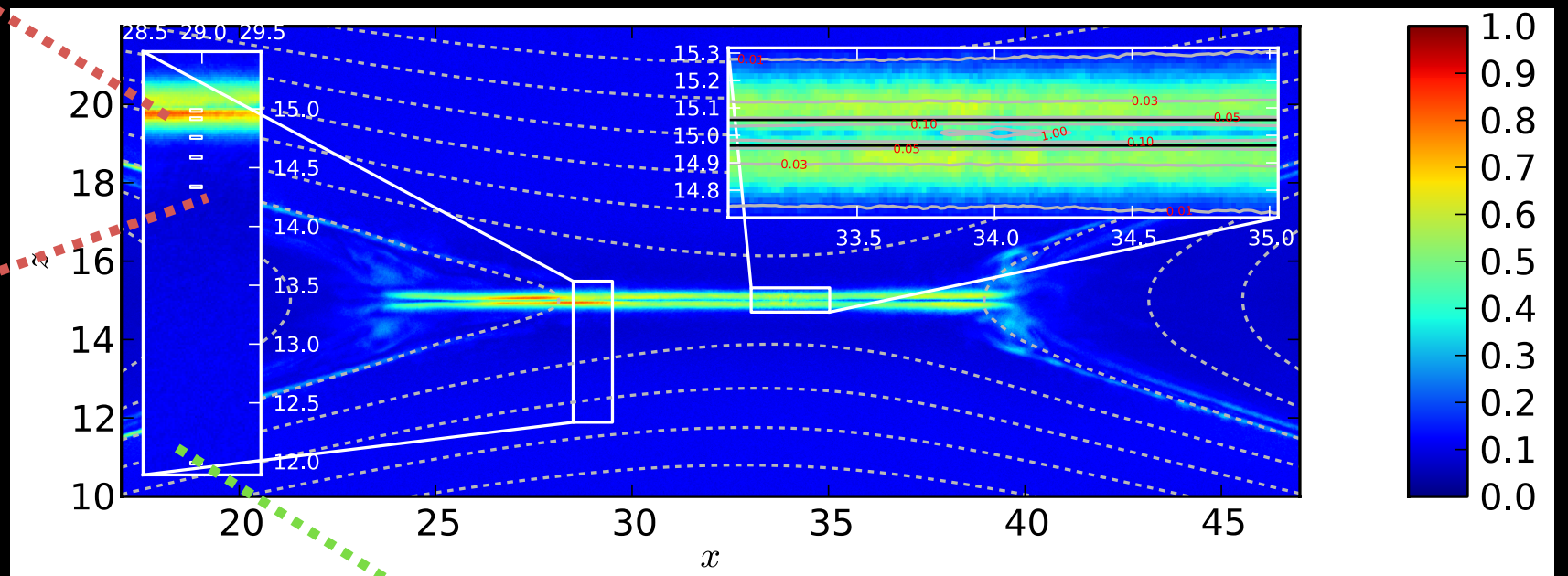
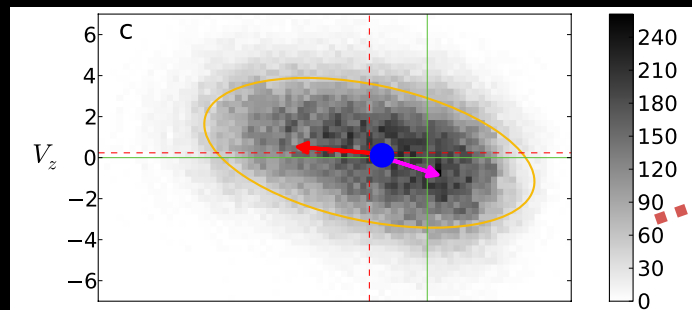
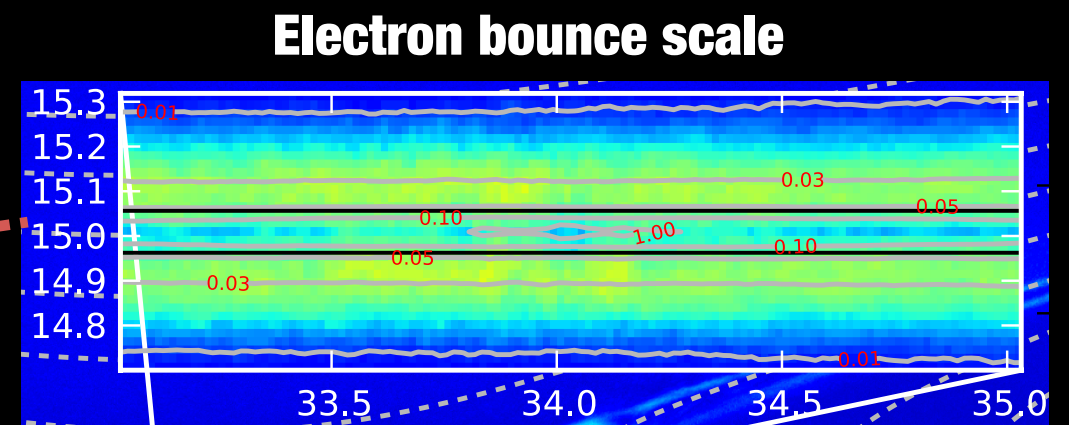
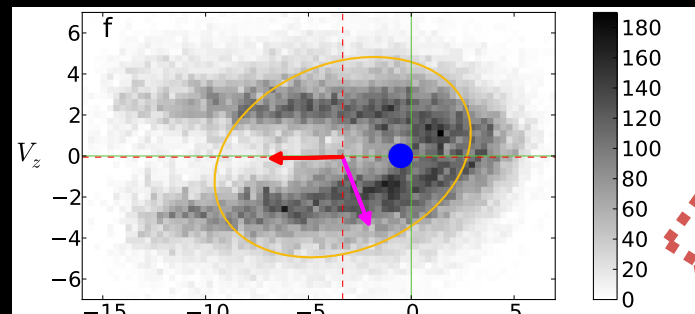
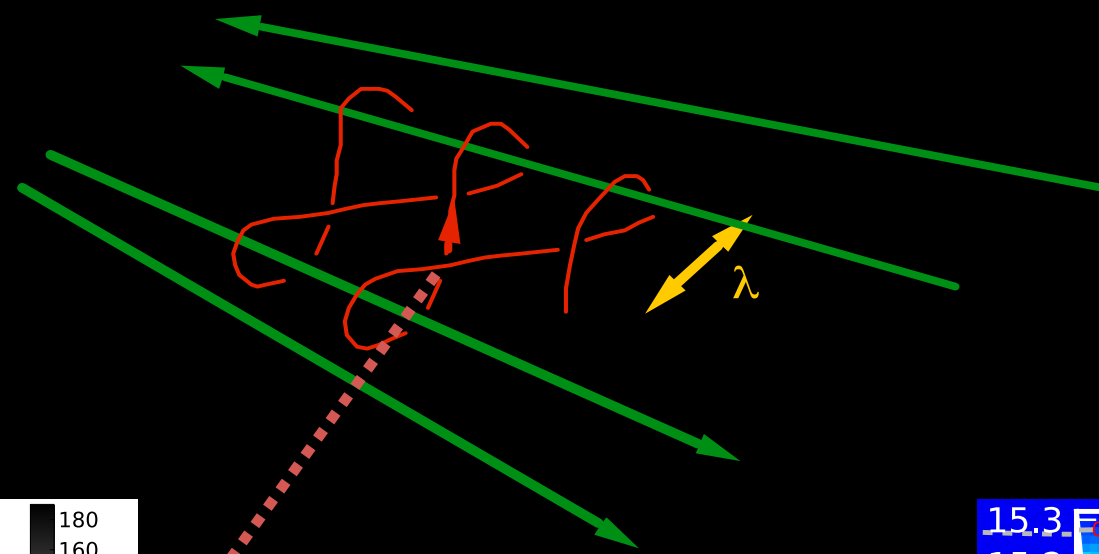
complicated anisotropic $T_{\parallel} > T_{\perp}$

$$T_{\parallel} > T_{\perp}$$

$$\begin{pmatrix} P_{\parallel} & 0 & 0 \\ 0 & P_{\perp} & 0 \\ 0 & 0 & P_{\perp} \end{pmatrix}$$

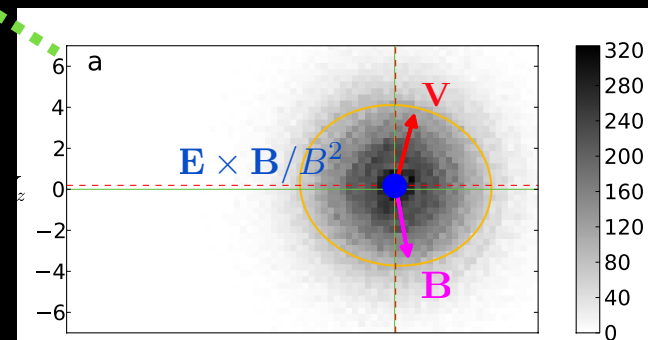
Generally true as long as $\lambda \gg \rho_L$ and $\omega \ll \omega_c$

ELECTRON NONGYROTROPY [HESSE ET AL. 2010, AUNAI ET AL. 2013]



$$\mathbf{E} = -\frac{1}{n_e e} \nabla \cdot \mathbf{P}_e$$

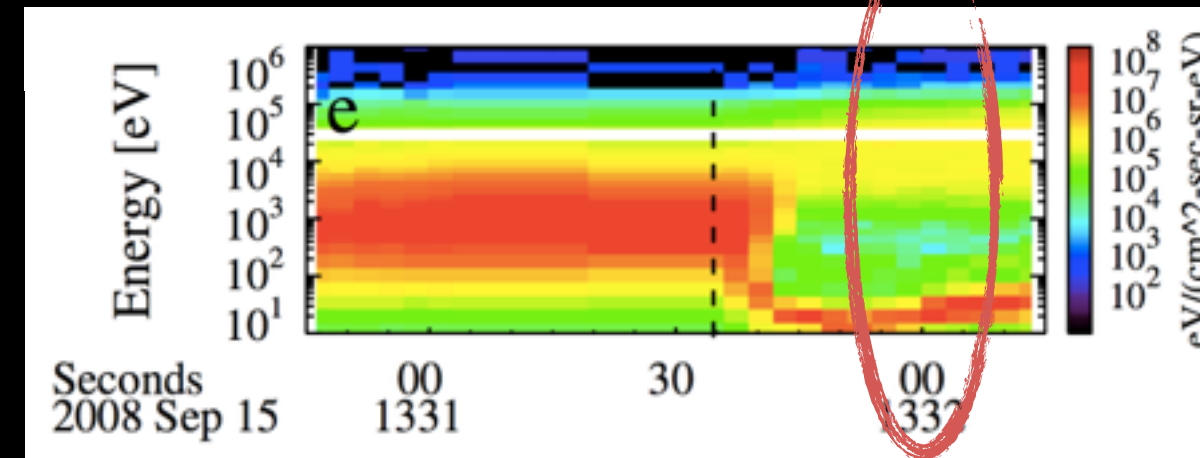
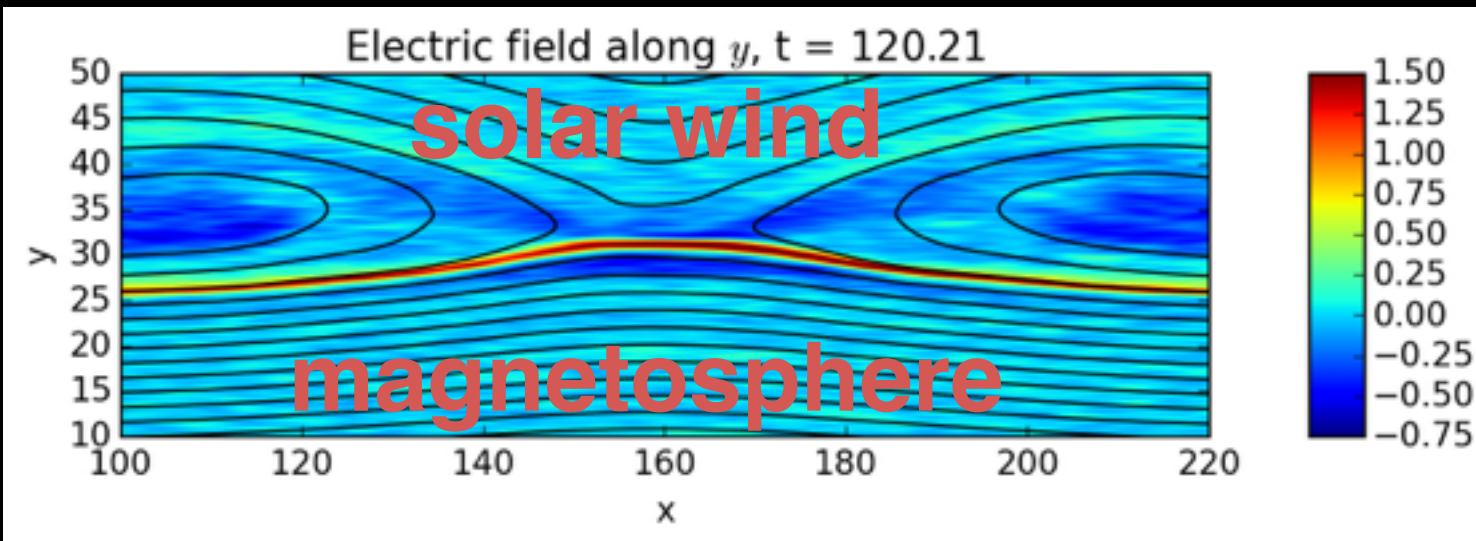
$$\mathbf{E} = \frac{1}{2en_e} L^2 \frac{\partial v_{ex}}{\partial x} \nabla^2 (m_e n_e v_{ey})$$



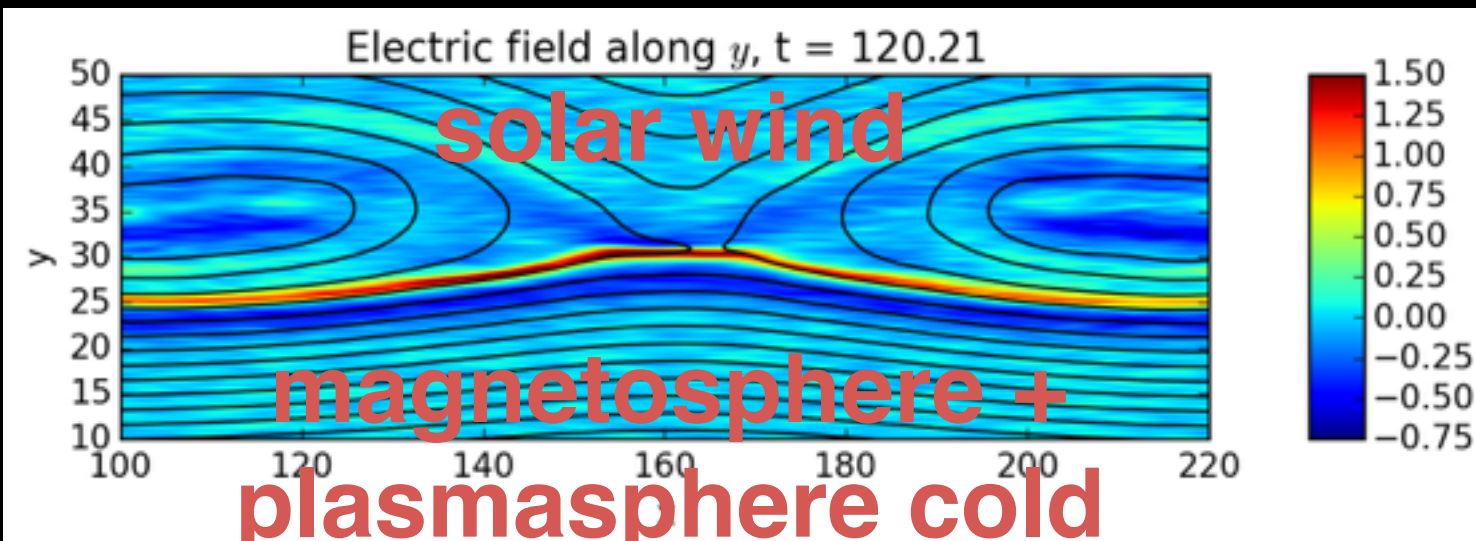
MAGNETOSPHERIC DARK MATTER

[DARGENT+ IN PREP]

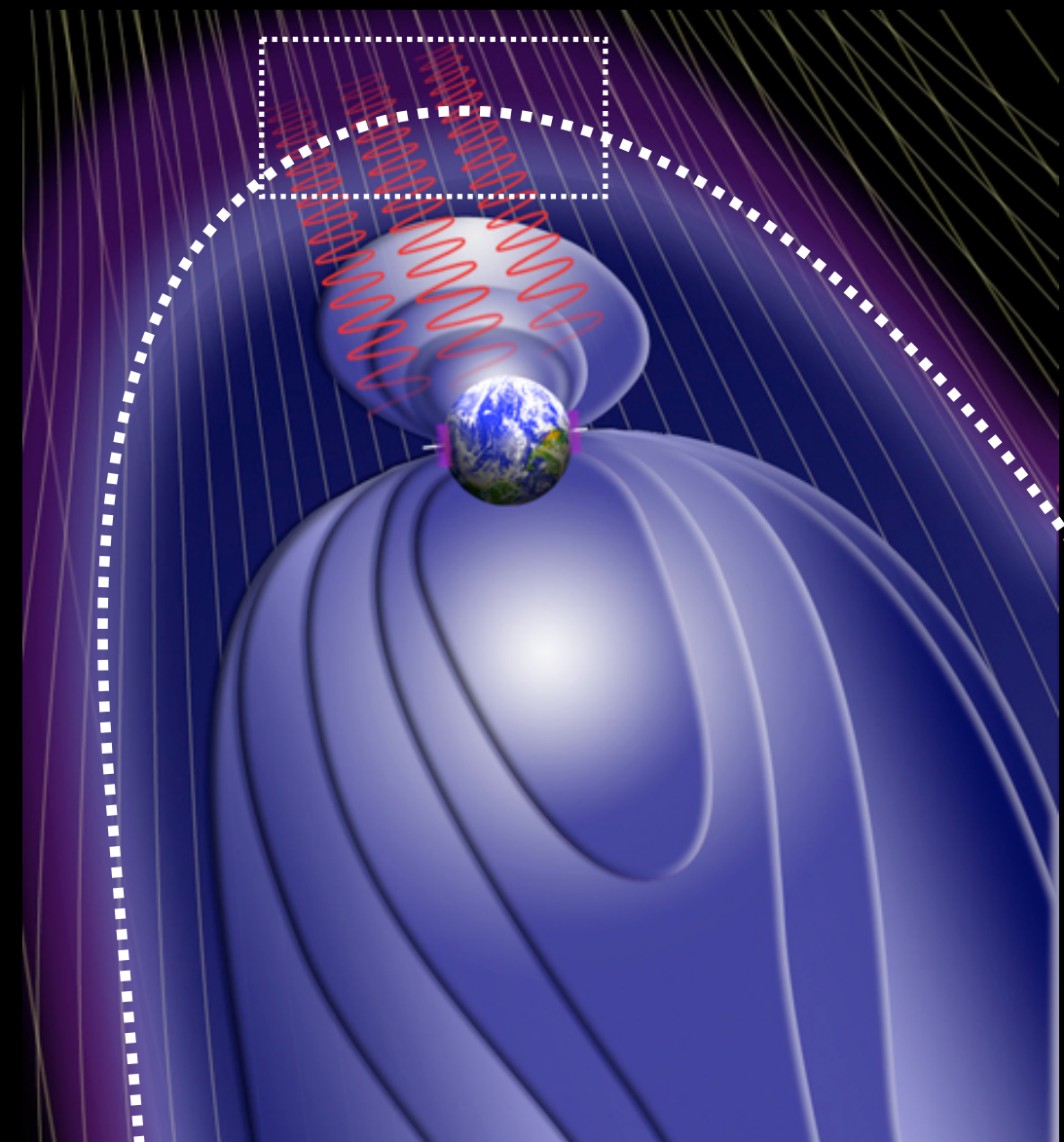
Impact of cold ions on reconnection



[Walsh+ GRL 2014]



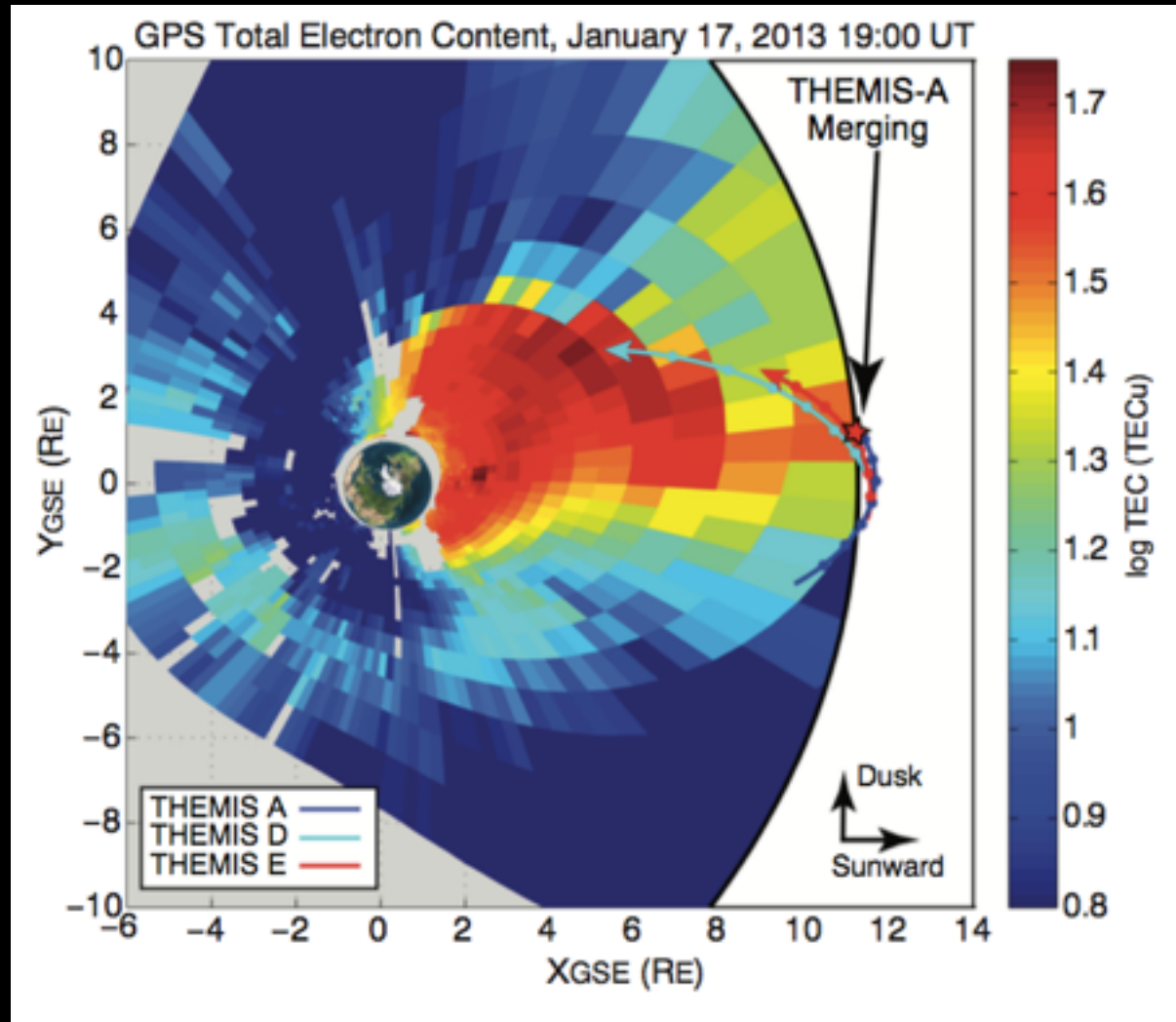
ions



MAGNETOSPHERIC DARK MATTER

Plasmaspheric plume

[Walsh et al. Science 2014]

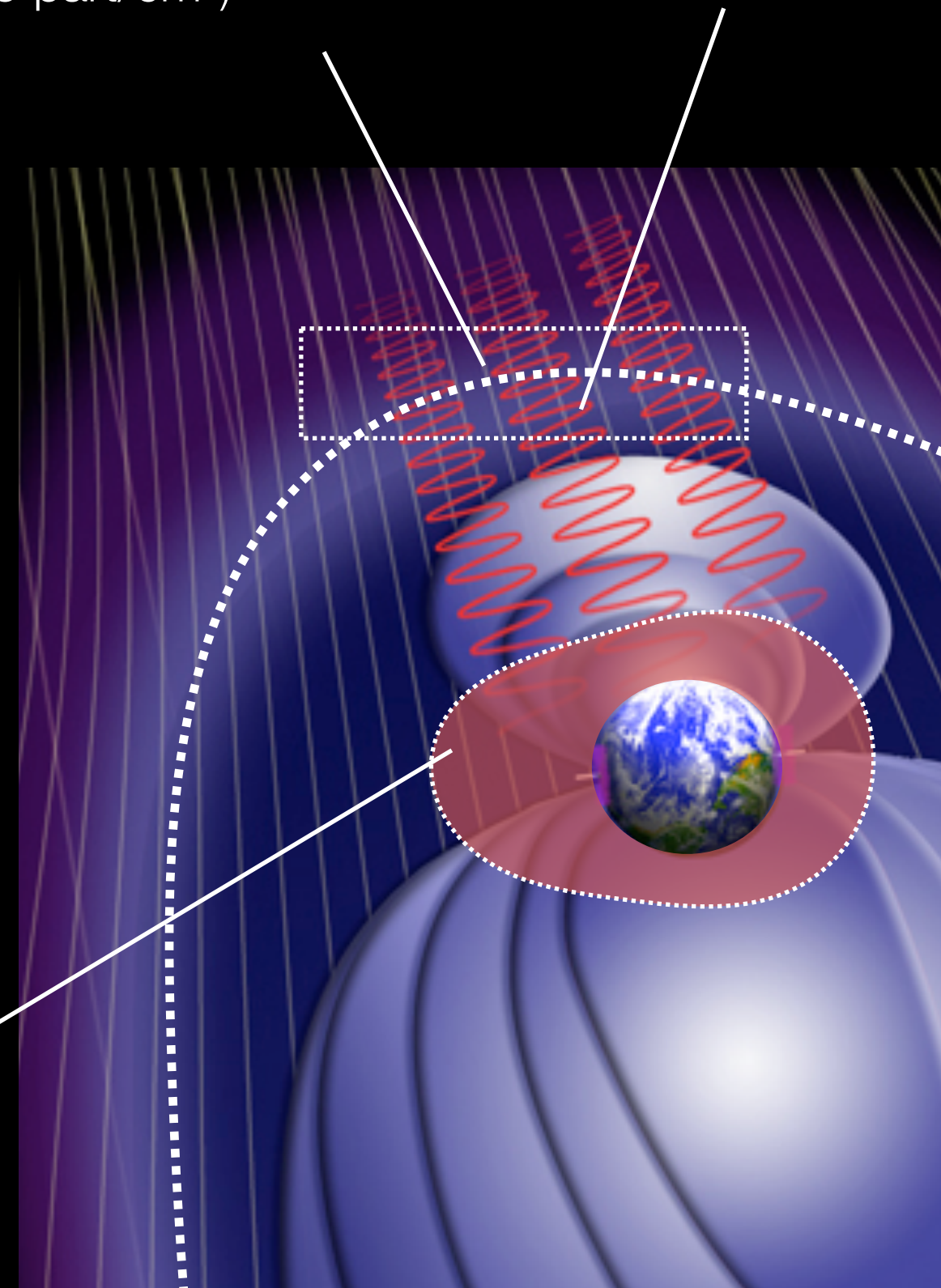


Plasmaspheric plume touching the magnetopause in storm times

Plasmasphere plasma (>10 part/cm³, 5eV)

Solar Wind (5 part/cm³)

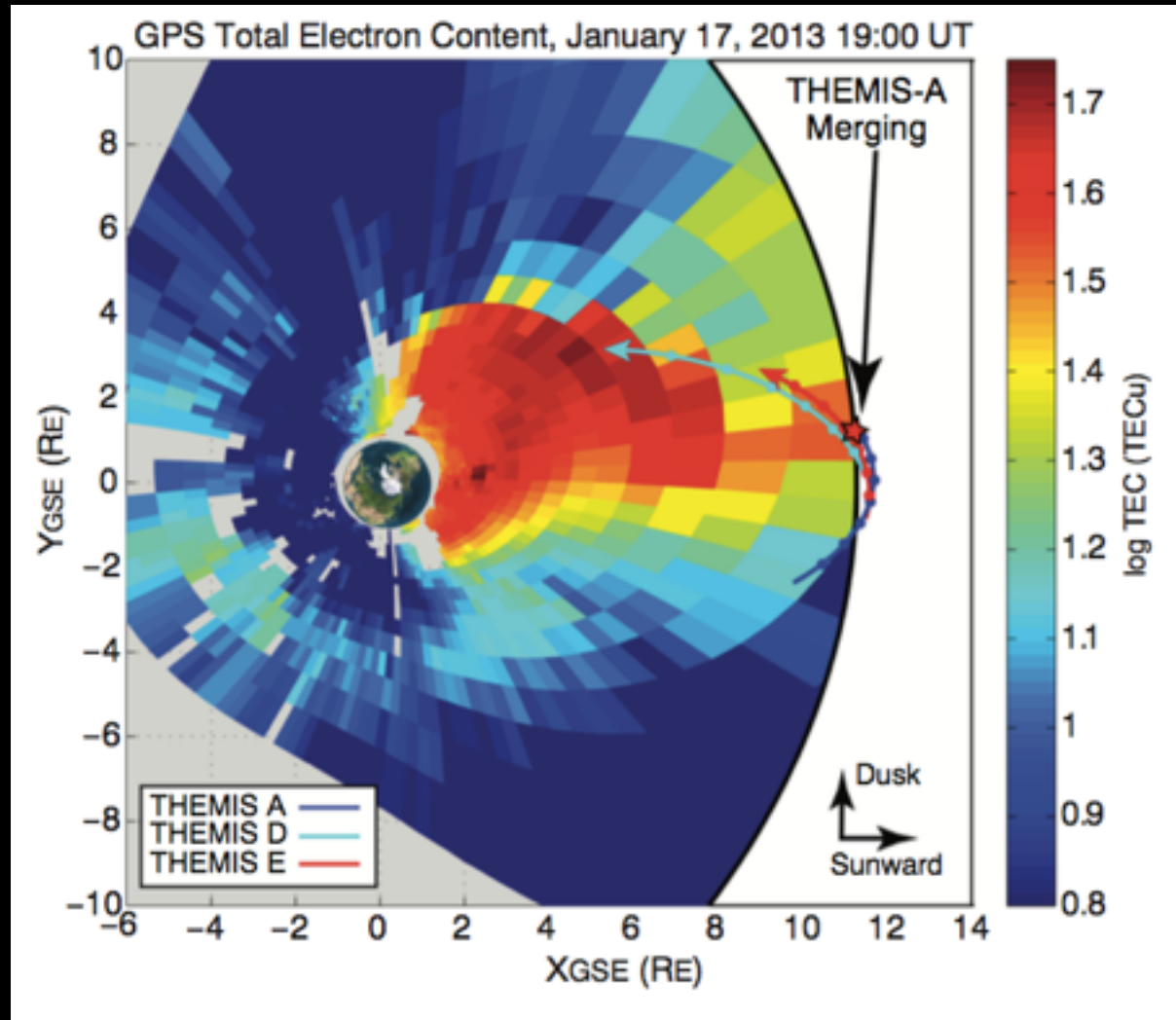
Magnetospheric plasma (<1 part/cm³, 1keV)



MAGNETOSPHERIC DARK MATTER

Plasmaspheric plume

[Walsh et al. Science 2014]

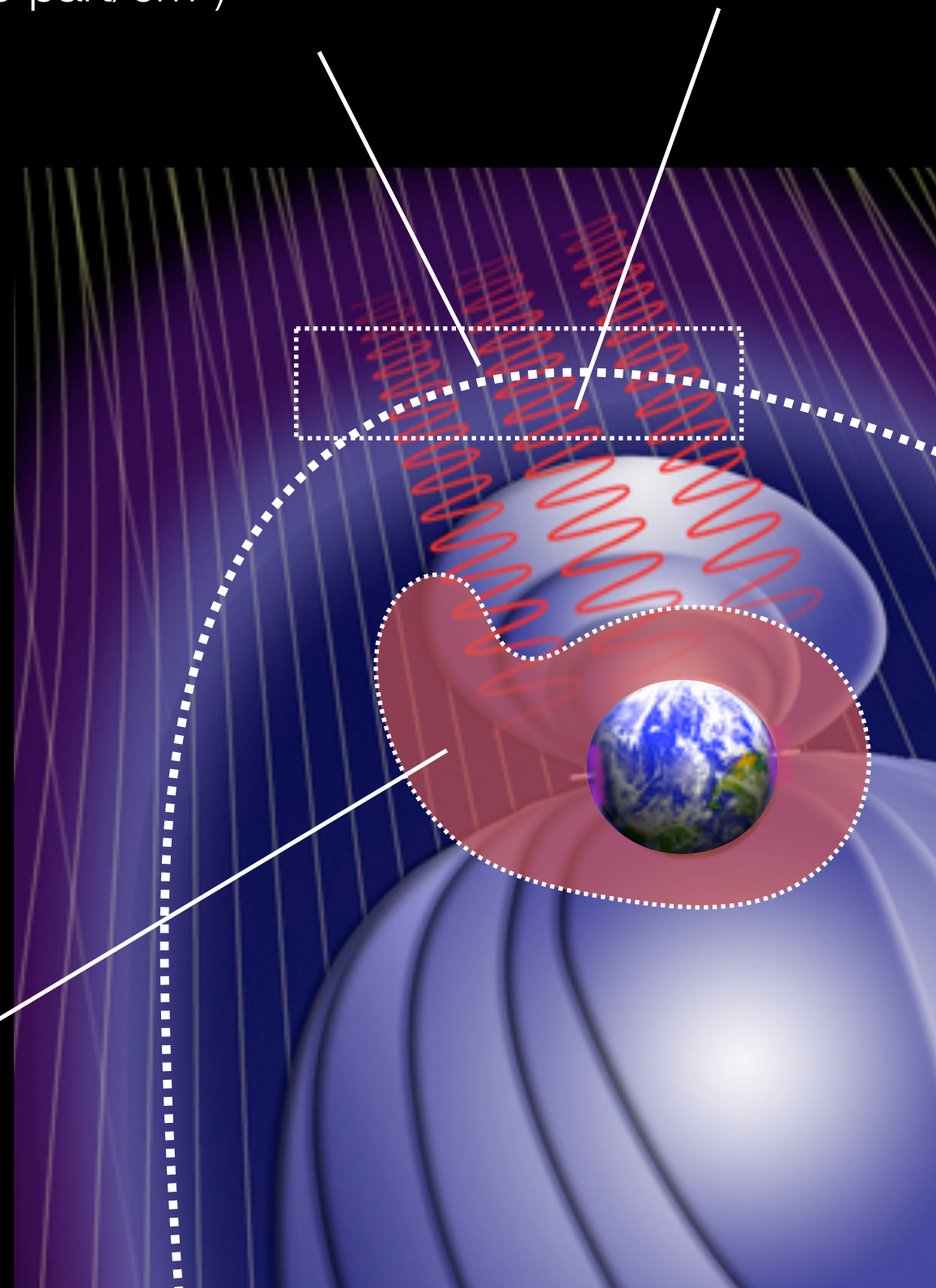


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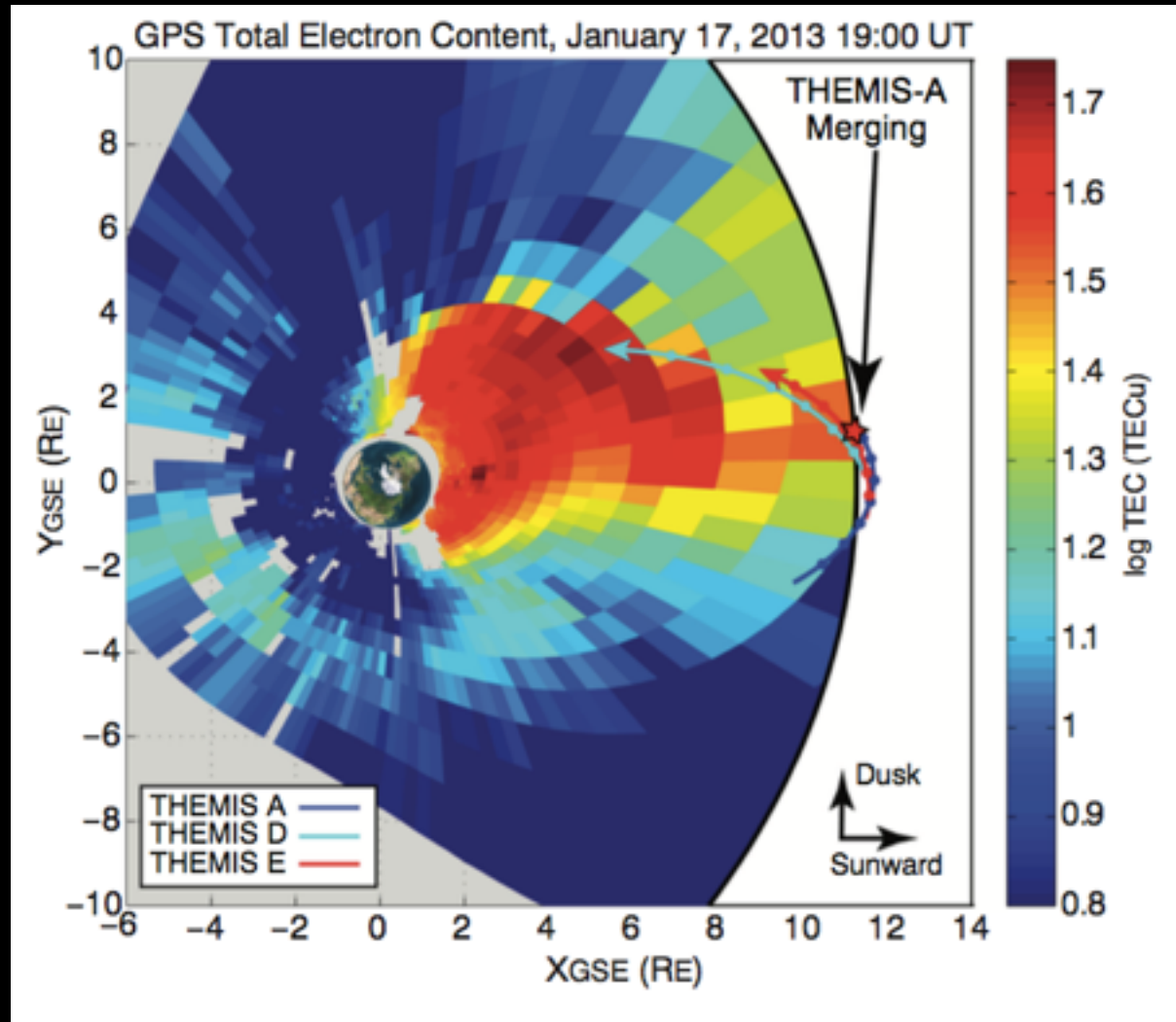
Magnetospheric plasma (<1 part/cm³, 1keV)



MAGNETOSPHERIC DARK MATTER

Plasmaspheric plume

[Walsh et al. Science 2014]

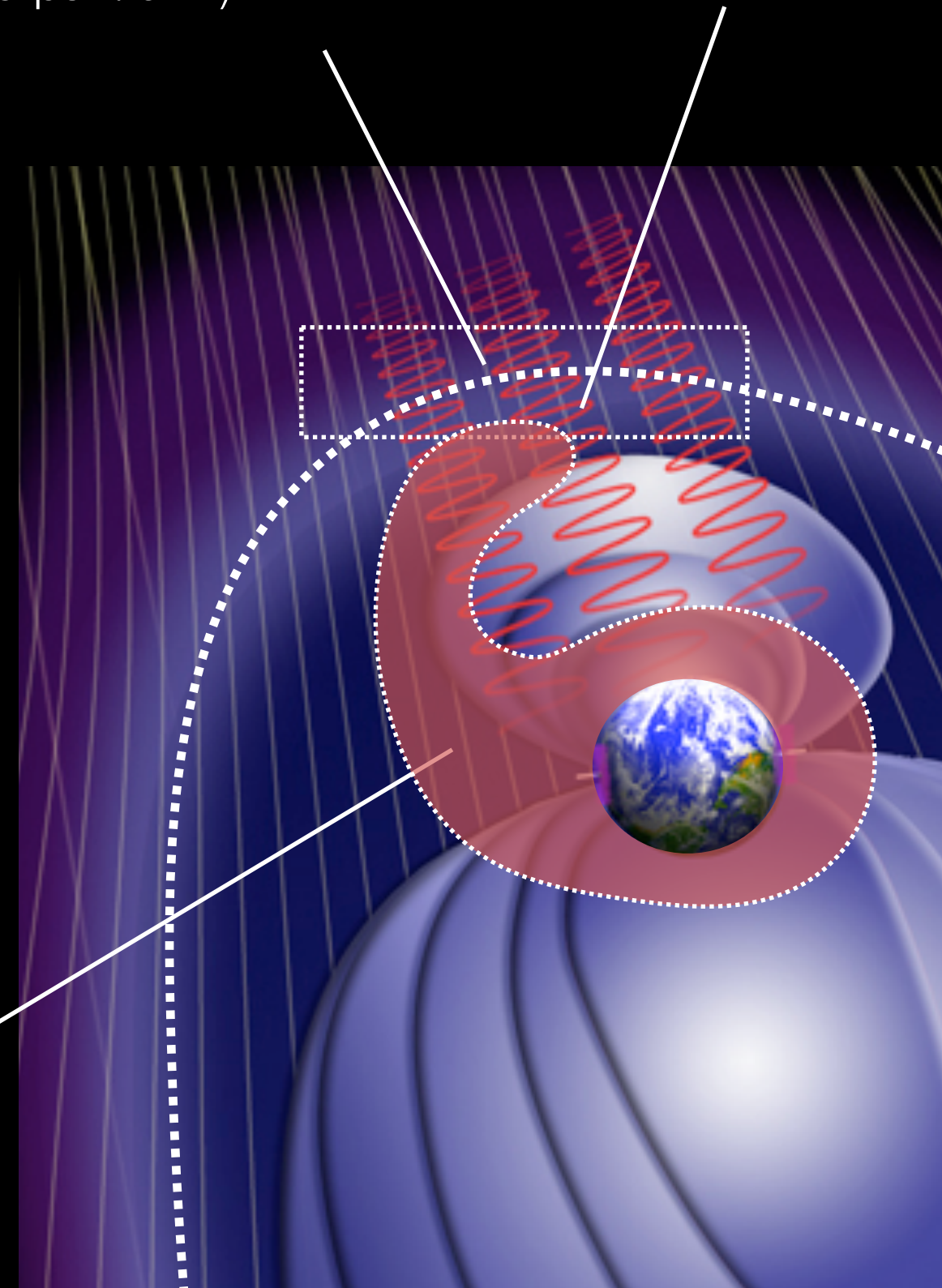


Plasmaspheric plume touching the magnetopause in storm times

Plasmasphere plasma (>10 part/cm³, 5eV)

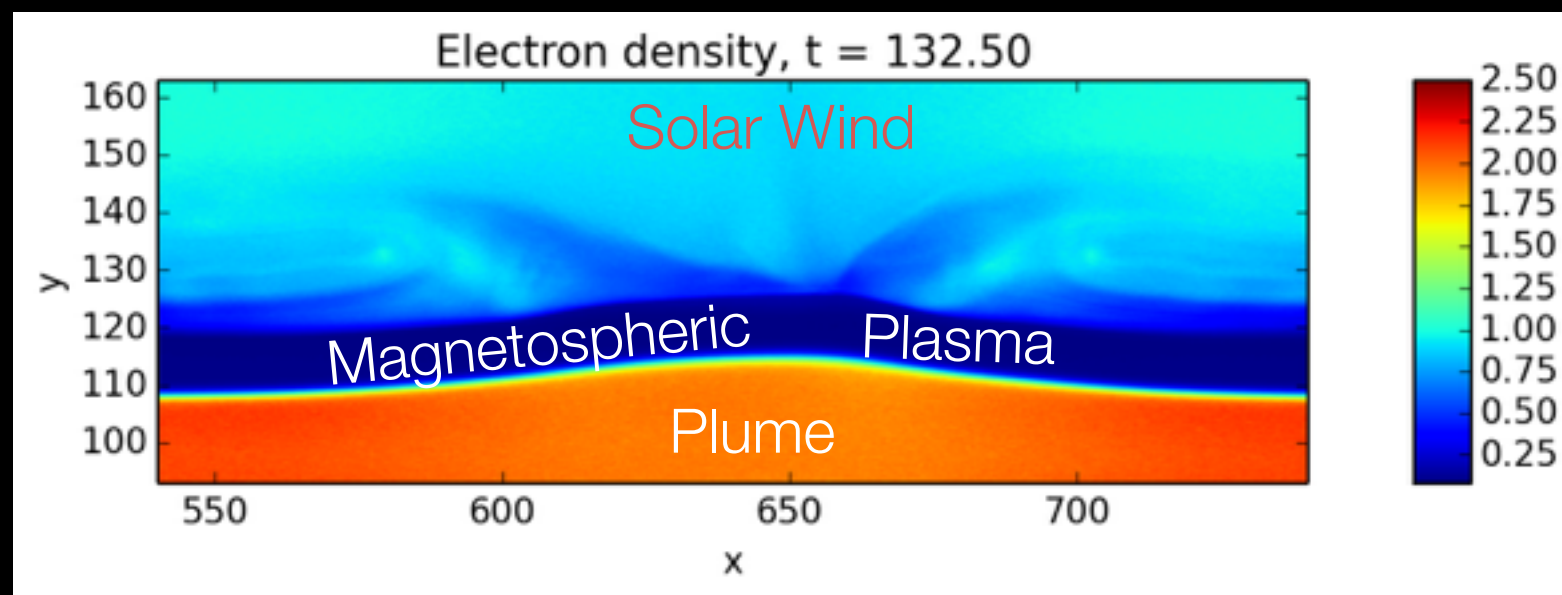
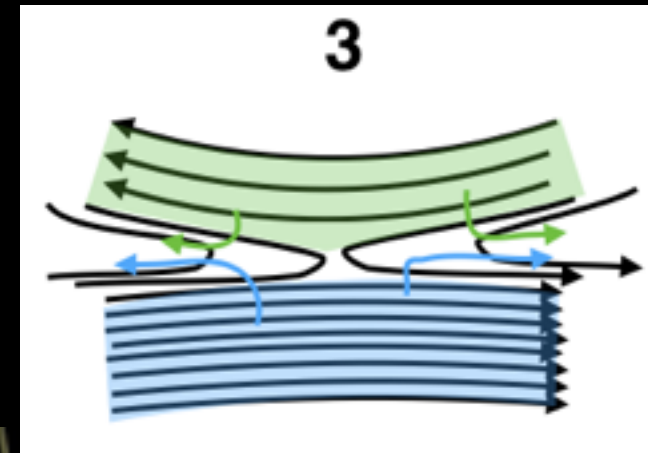
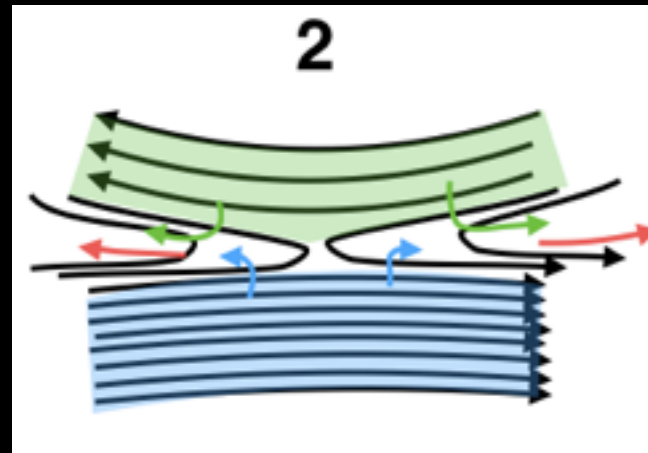
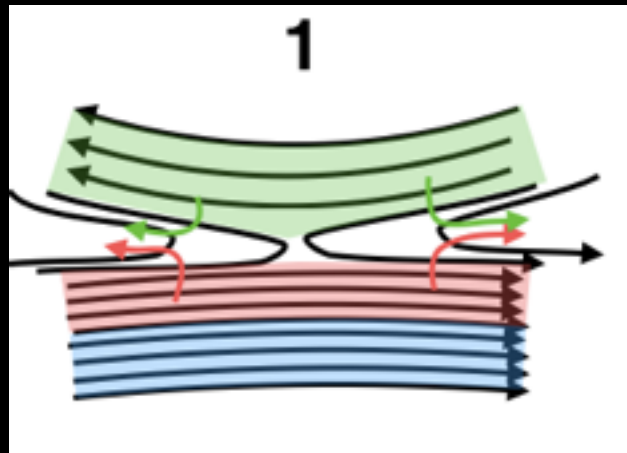
Solar Wind (5 part/cm³)

Magnetospheric plasma (<1 part/cm³, 1keV)

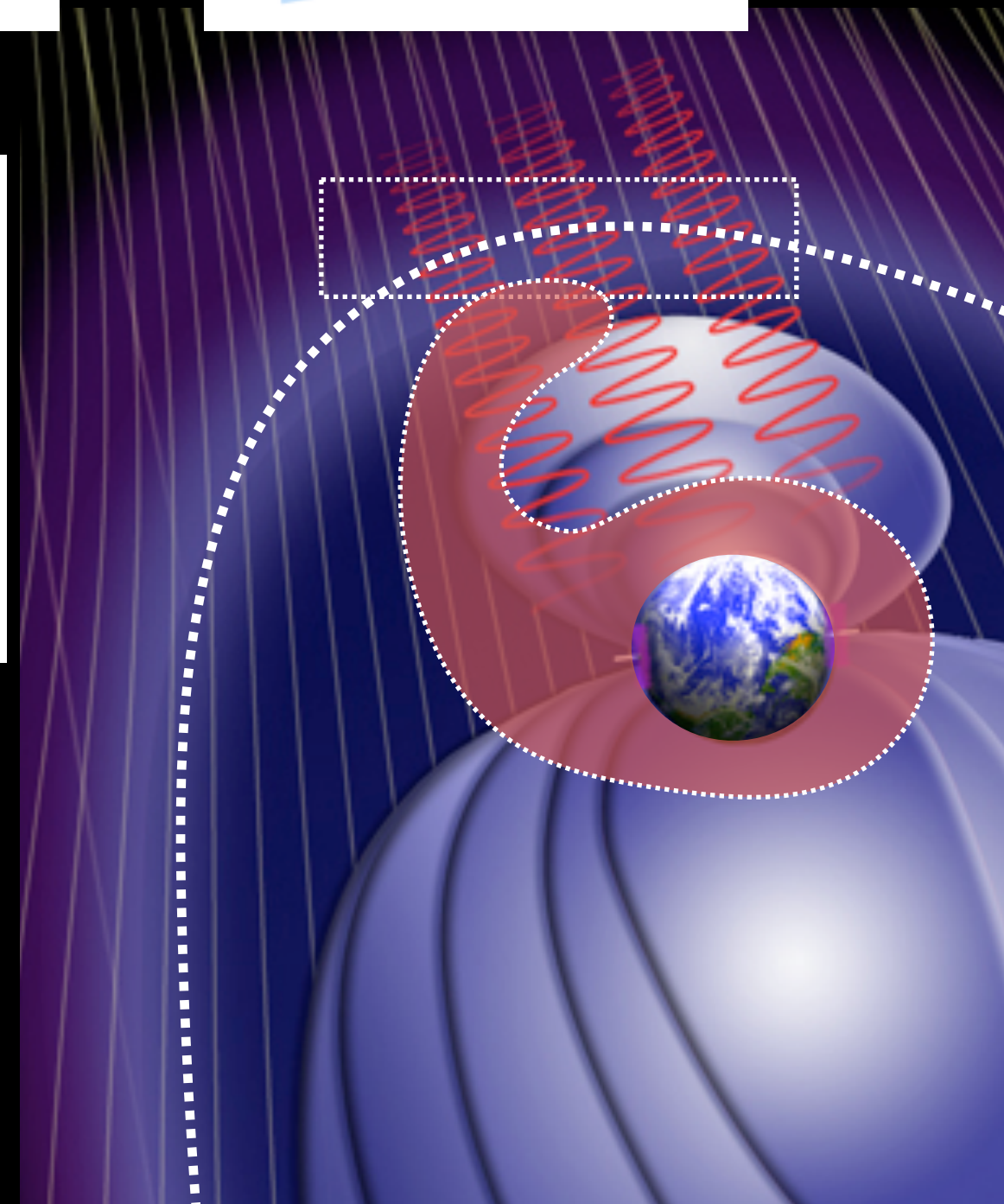


MAGNETOSPHERIC DARK MATTER

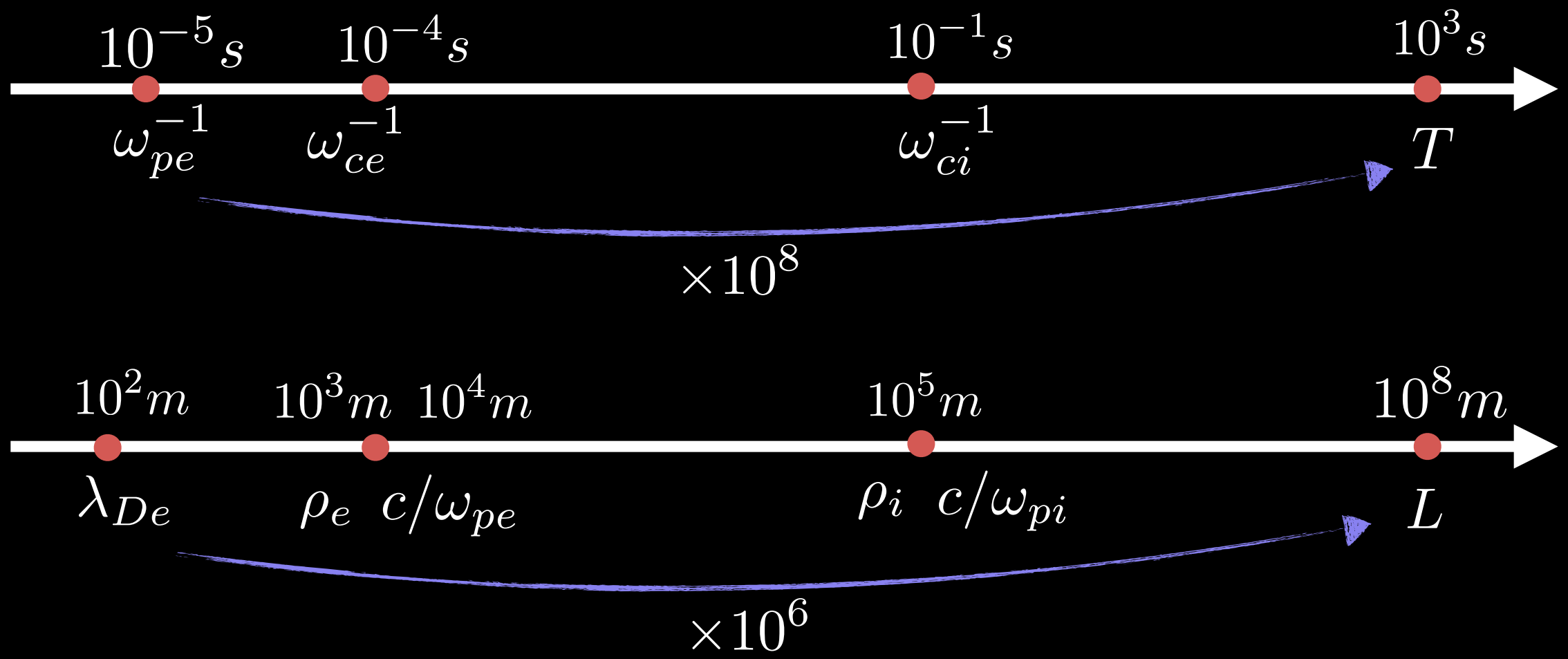
Plasmaspheric plume



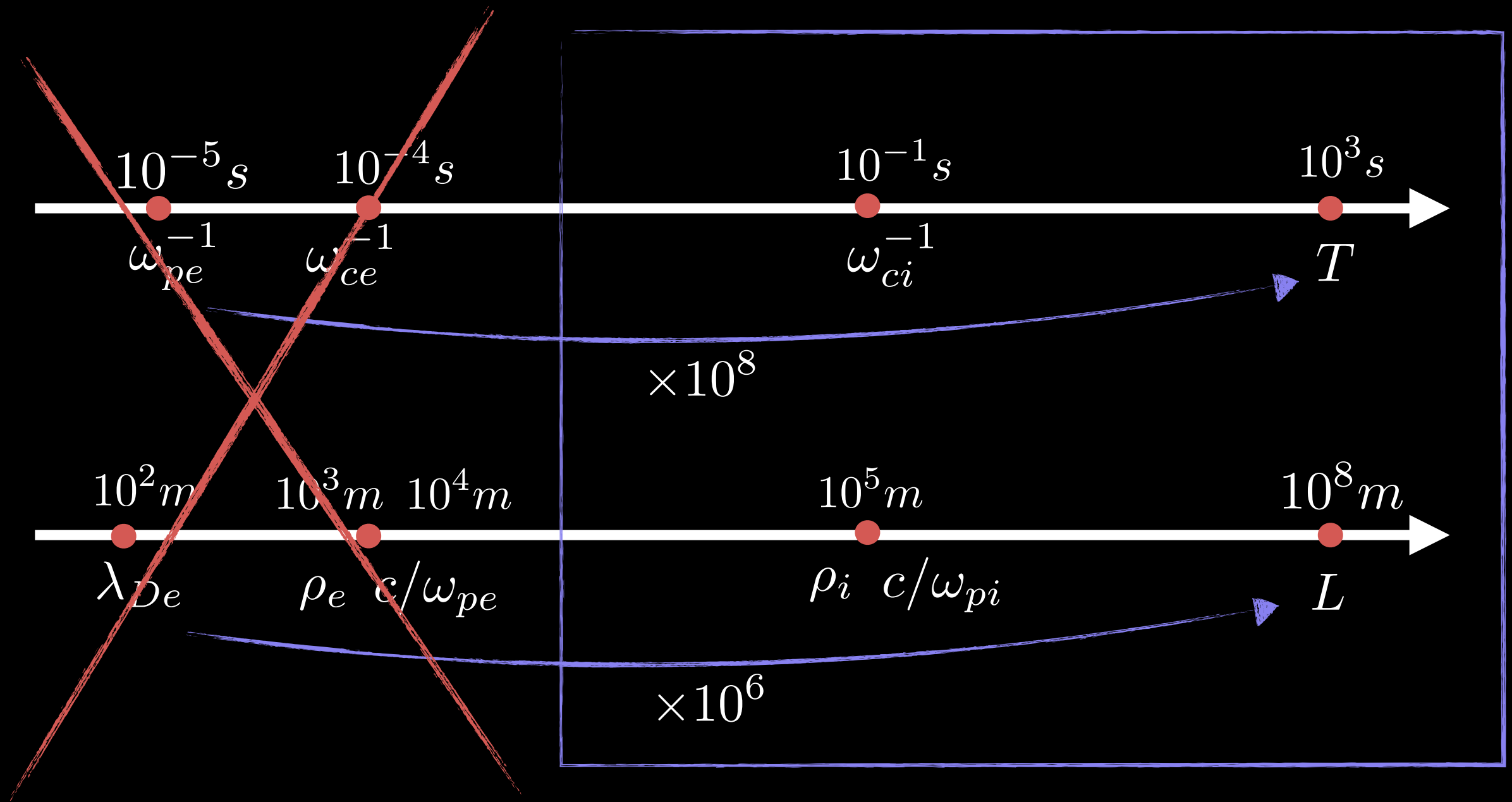
25600x10240 cells
3.3e10 macroparticles
10e6 CPU hours on Curie NF
with 16384 cores
350To field only data



KINETIC MODELING



KINETIC MODELING

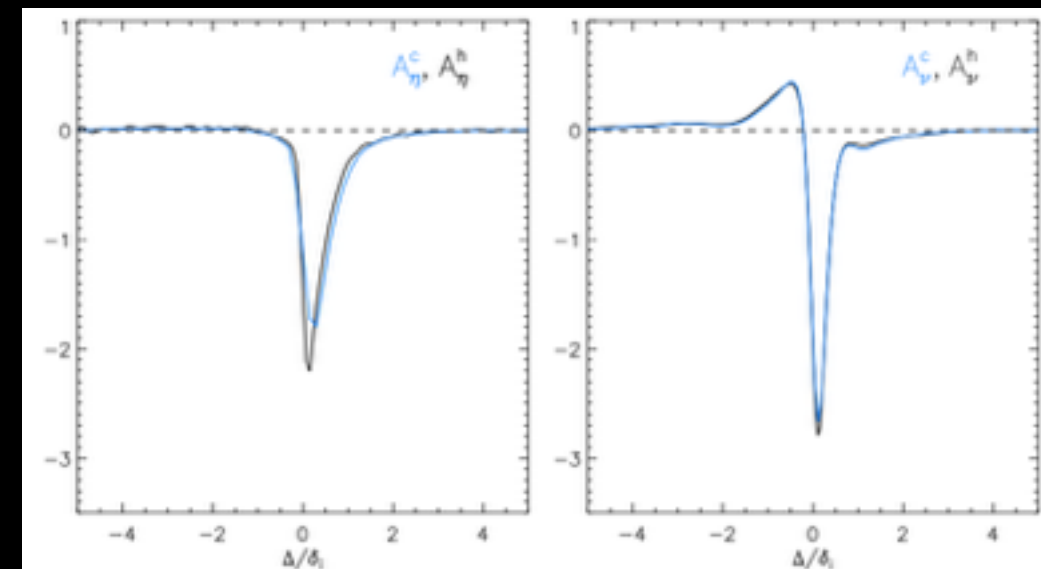
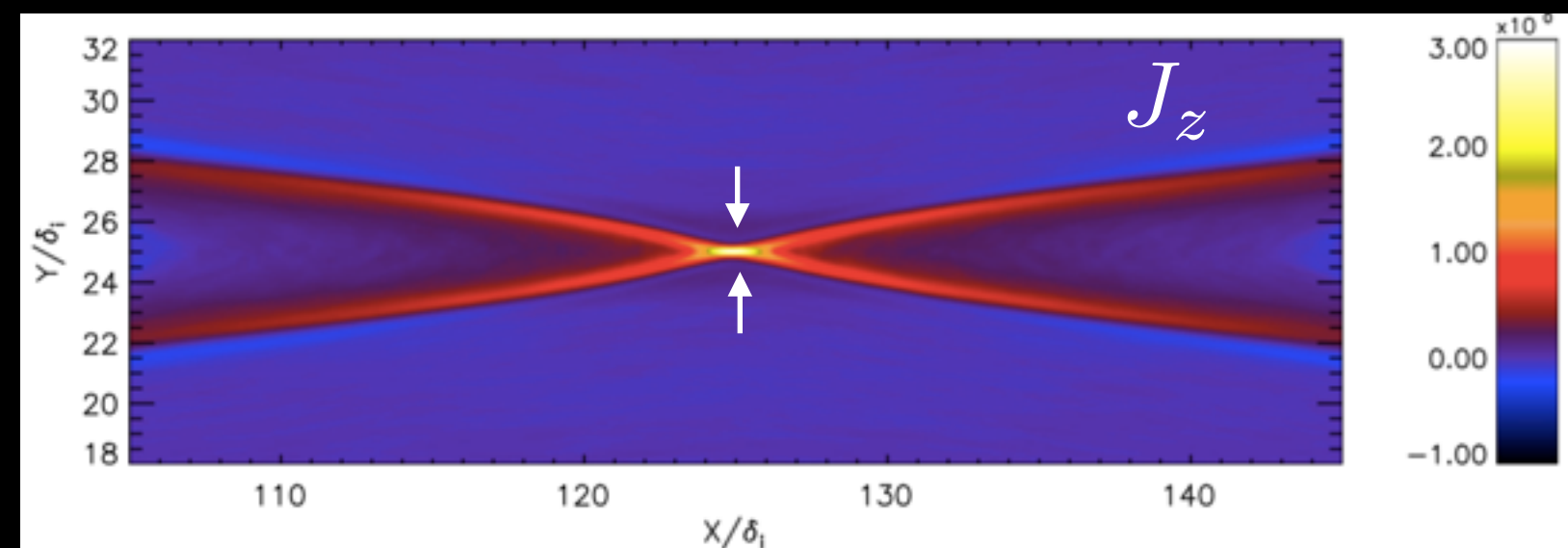


Can we use transport coef. and forget about electron kinetic physics?

« Hybrid » codes

SCALES IN HYBRID CODES

$$\mathbf{E} = -\mathbf{v}_i \times \mathbf{B} + \frac{1}{ne} (\mathbf{j} \times \mathbf{B} - \nabla \cdot \mathbf{P}_e) + \mathbf{D}$$

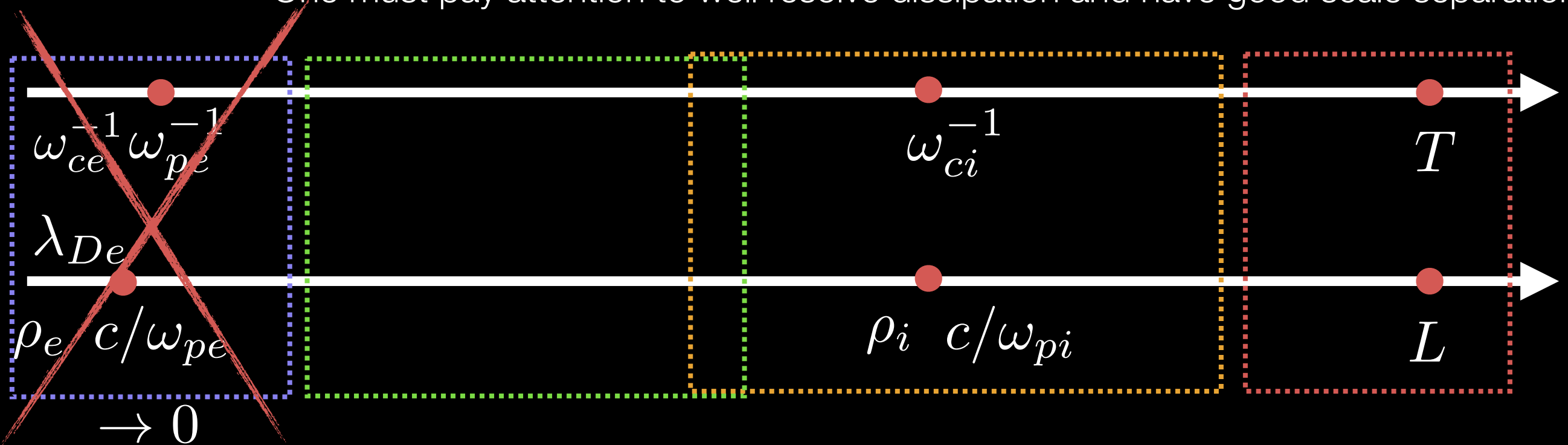


$$\mathbf{D} = \eta \mathbf{j}$$

$$\mathbf{D} = -\nu \nabla^2 \mathbf{j}$$

[AUNAI ET AL. 2013A]

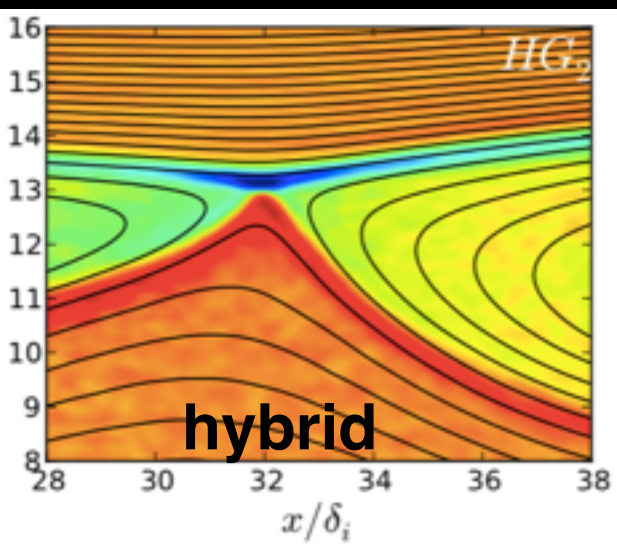
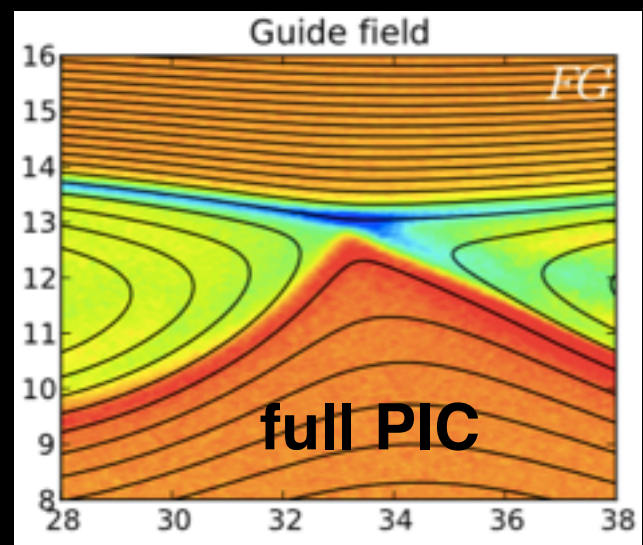
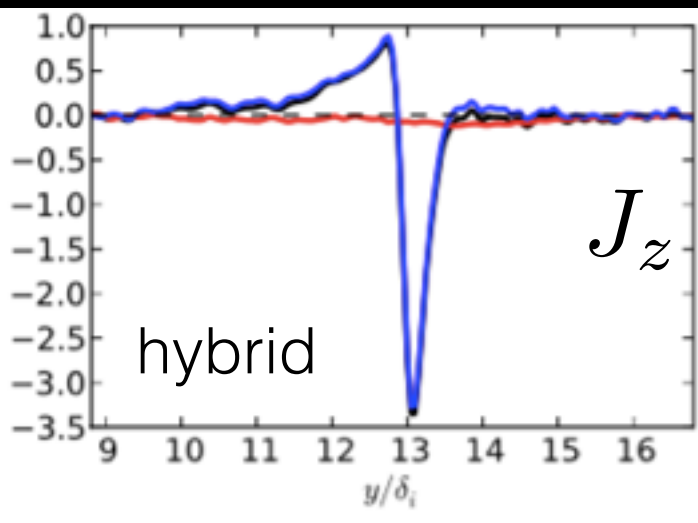
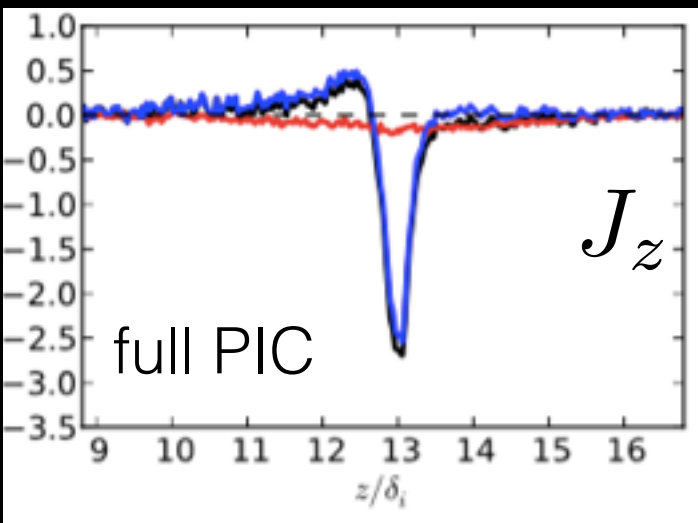
One must pay attention to well resolve dissipation and have good scale separation



HYBRID RUNS VS FULL PIC RUNS

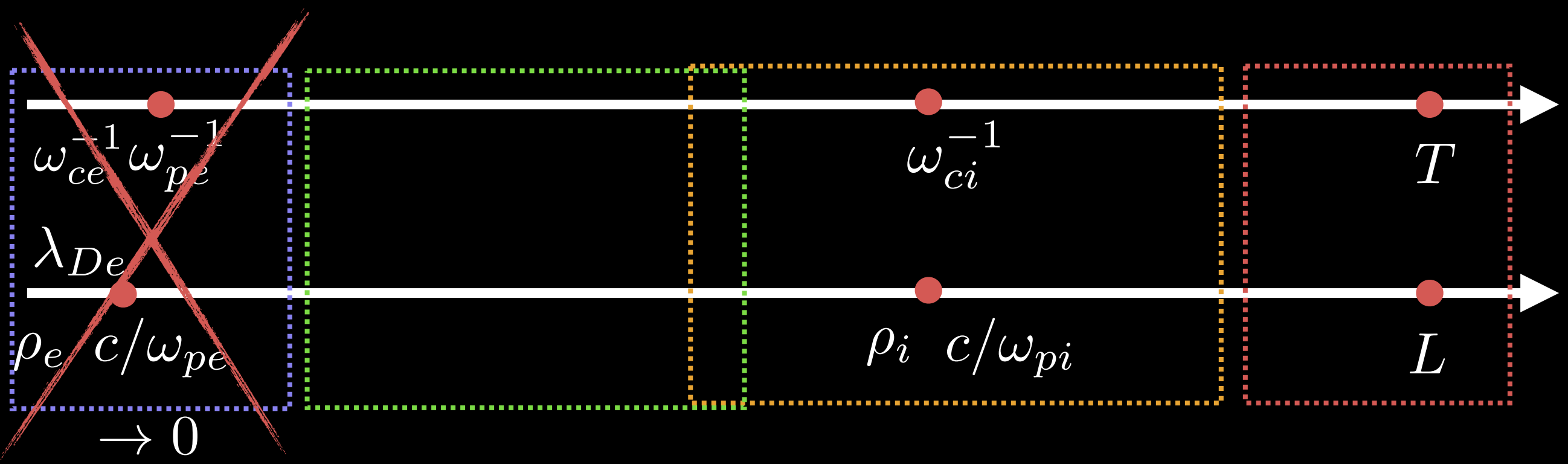
$$\mathbf{E} = -\mathbf{v}_i \times \mathbf{B} + \frac{1}{ne} (\mathbf{j} \times \mathbf{B} - \nabla \cdot \mathbf{P}_e) + \mathbf{D}$$

isothermal,
polytropic,
electron FLR..?



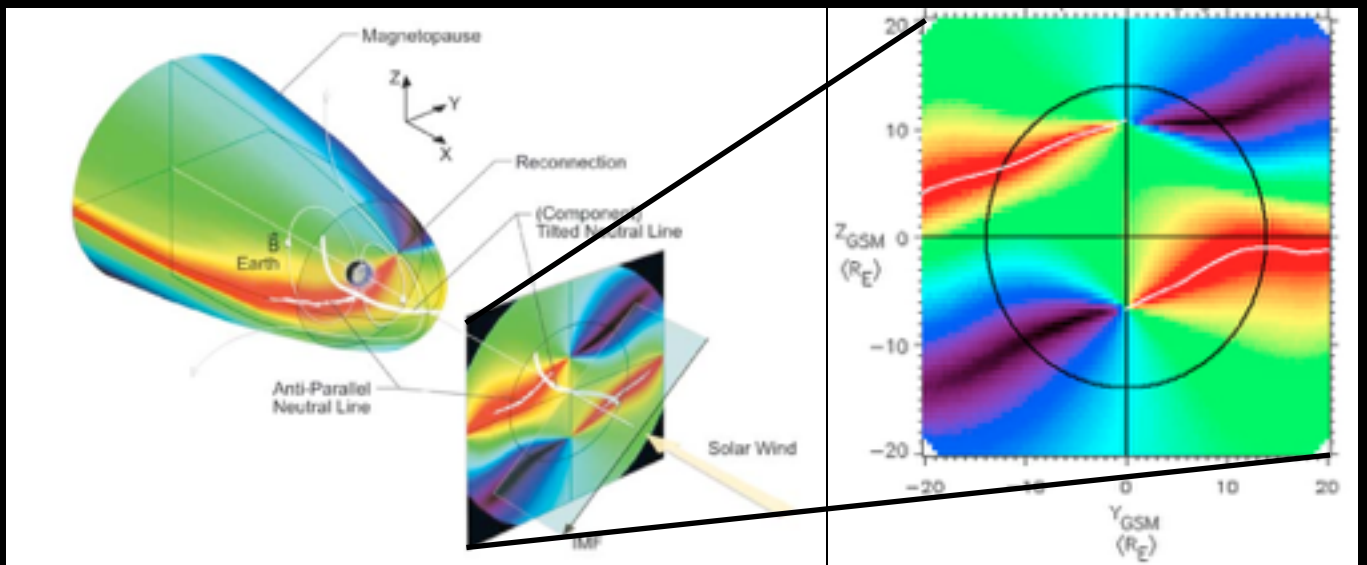
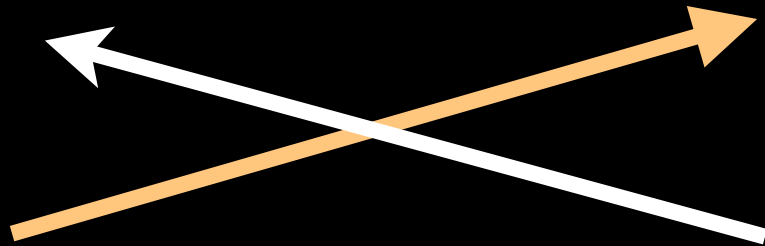
[AUNAI ET AL. 2013B]

full PIC and hybrid PIC lead to a very similar evolution of asymmetric reconnection

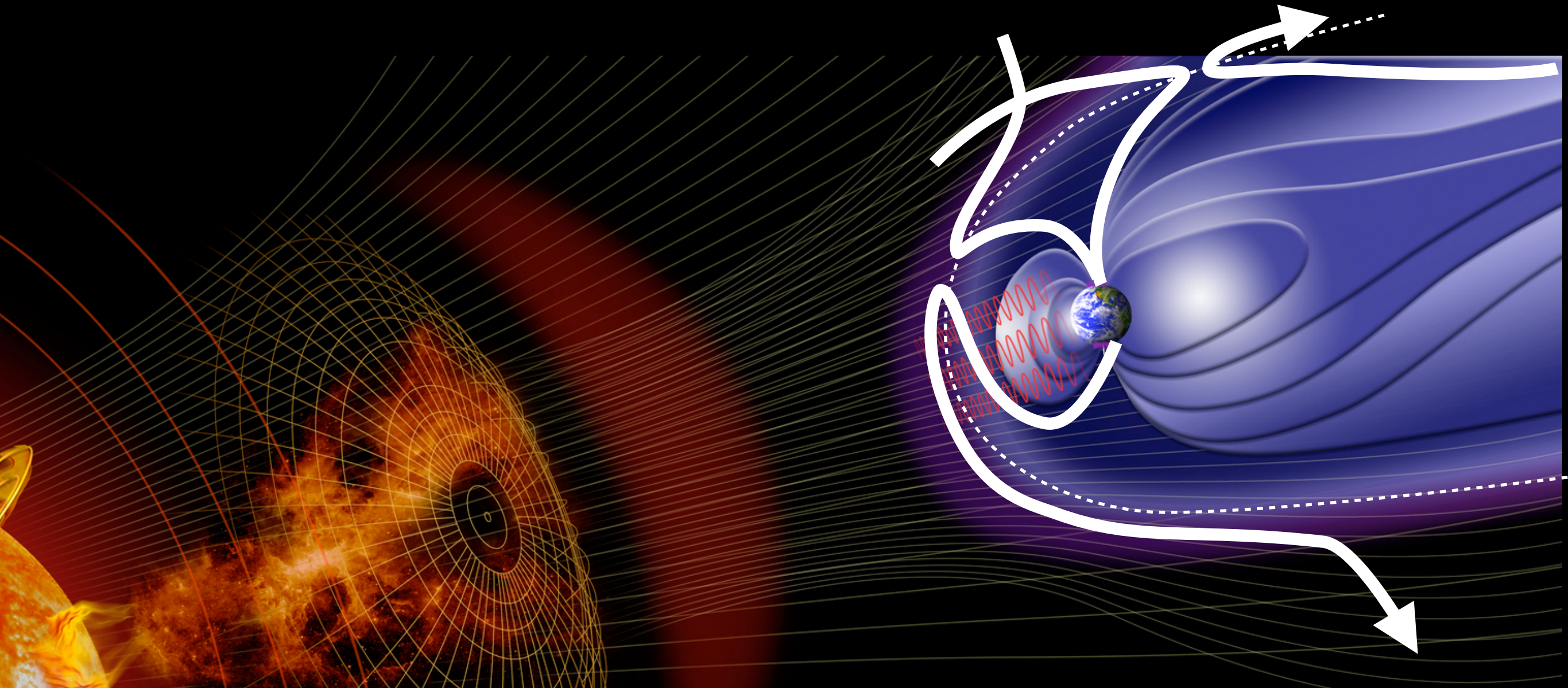


ROLE OF THE IMF ORIENTATION

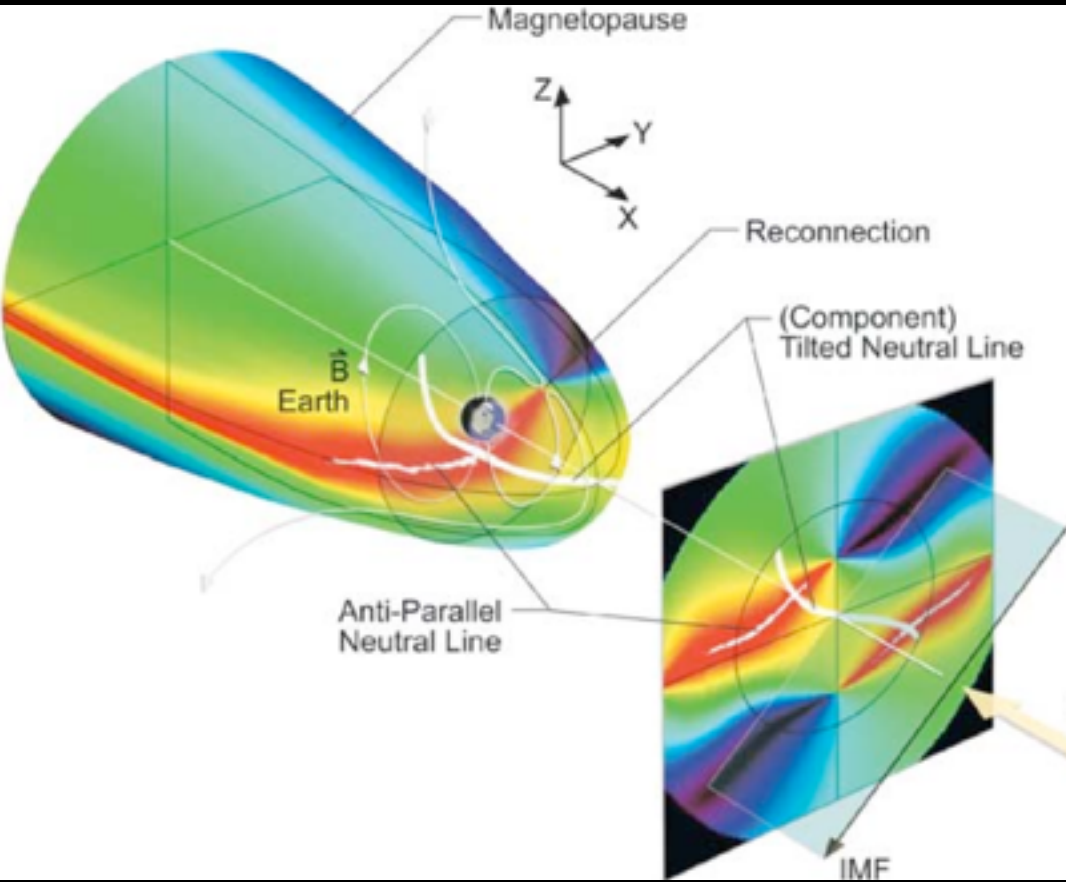
IMF -> local magnetic shear



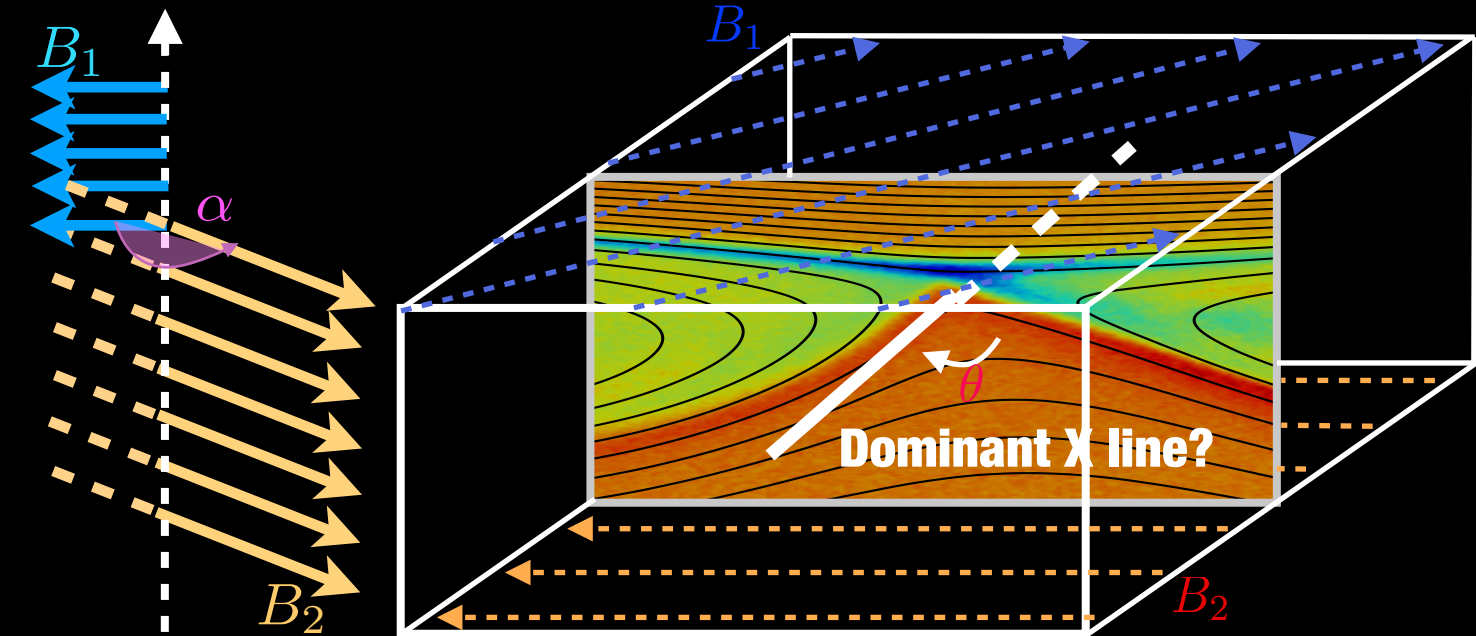
[TRATTNER ET AL. JGR (2010)]



RECONNECTION AT THE MAGNETOPAUSE

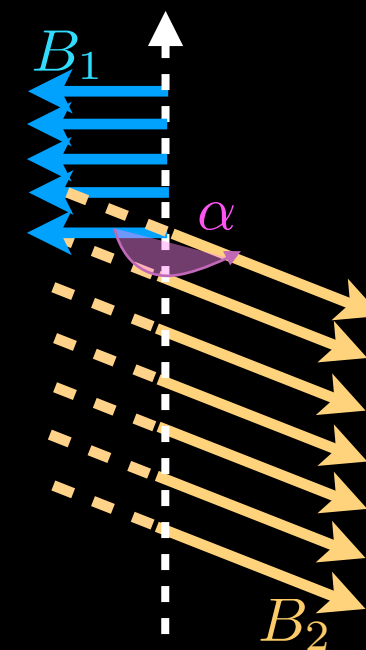
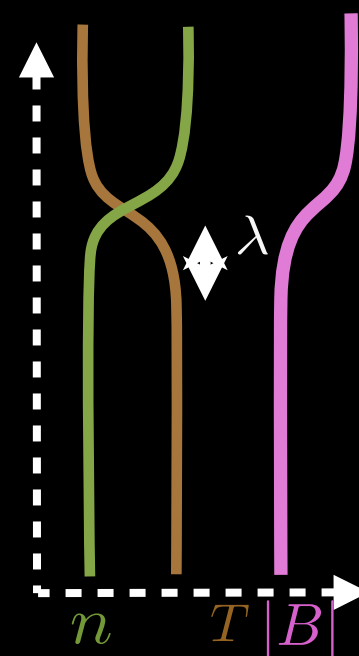
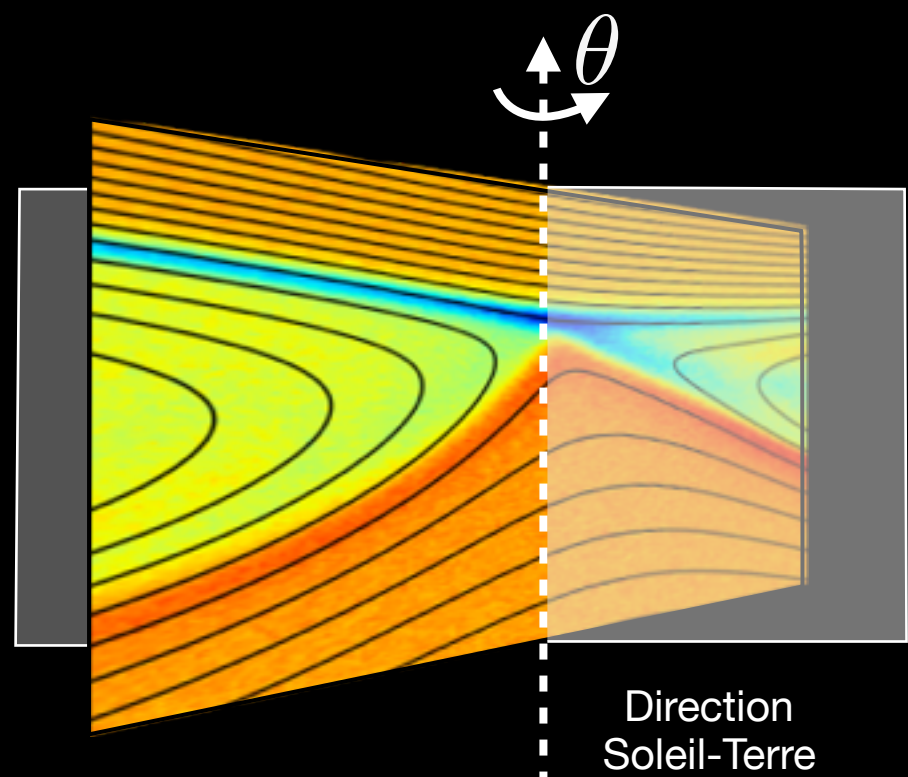


- WHERE DOES IT START ? AND WHY ?
- HOW DOES IT SPREAD?
- HOW DOES IT EVOLVE?
- HOW DOES IT AFFECT TRANSPORT?
- ETC.
- HOW DOES IT COUPLES TO SOLAR WIND?
- ETC.

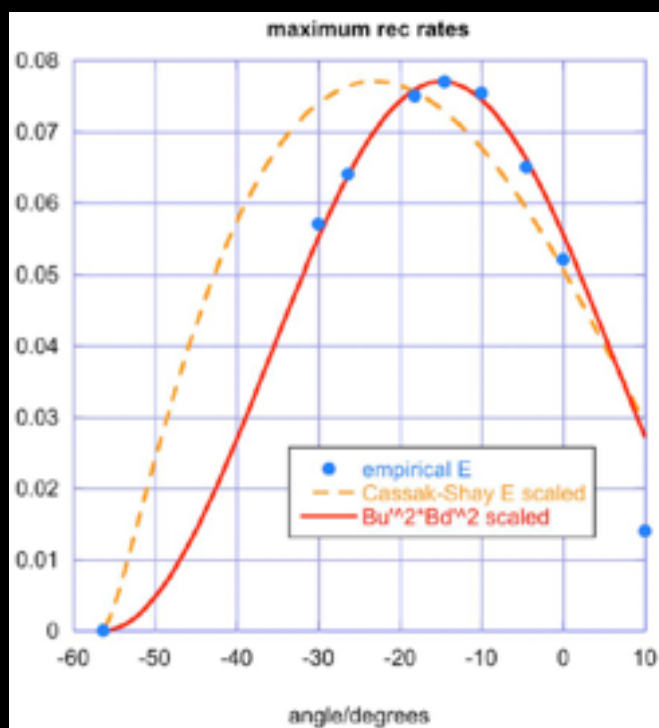


How does reconnection orient itself?

IF 2D... WHAT'S THE RECONNECTION PLANE ORIENTATION?

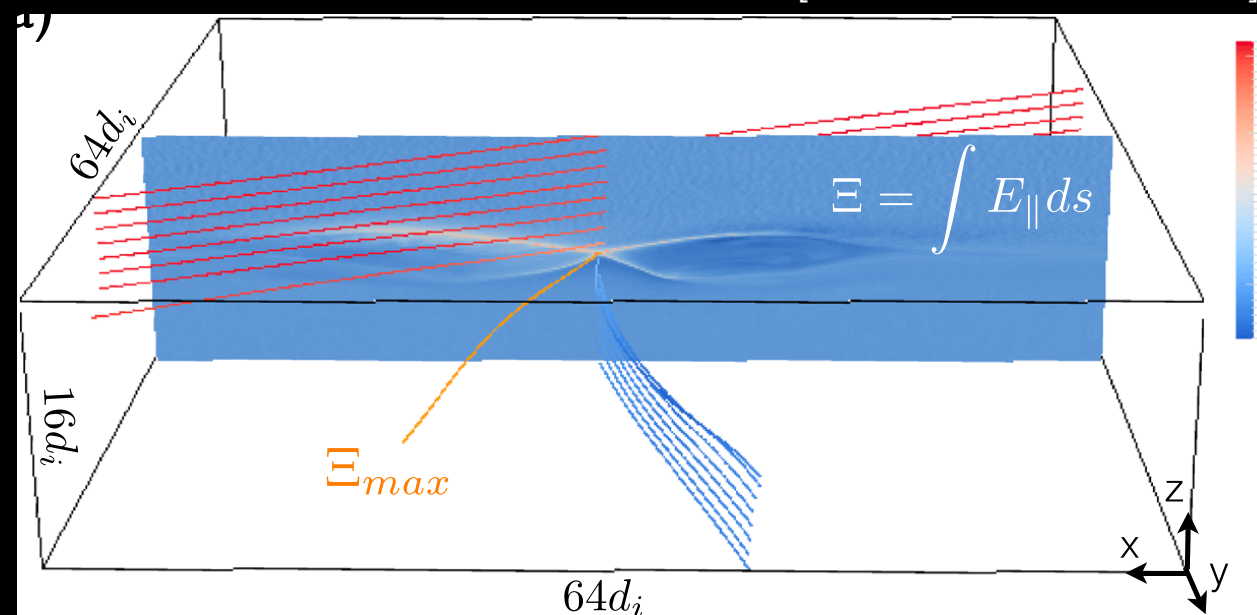


FIND THE « FASTEST PLANE »

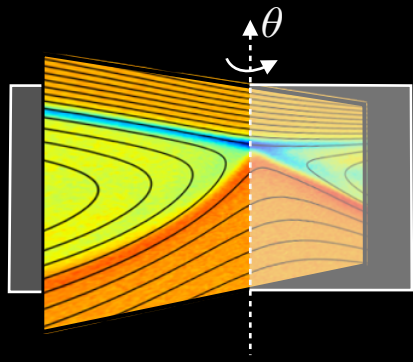


[HESSE+ PHYS. PLAS. 2013]

[LIU+ PHYS. PLAS. 2015]



$$\max(B_{1x}(\theta)^2 B_{2x}(\theta)^2) \quad \text{X line along bisector}$$

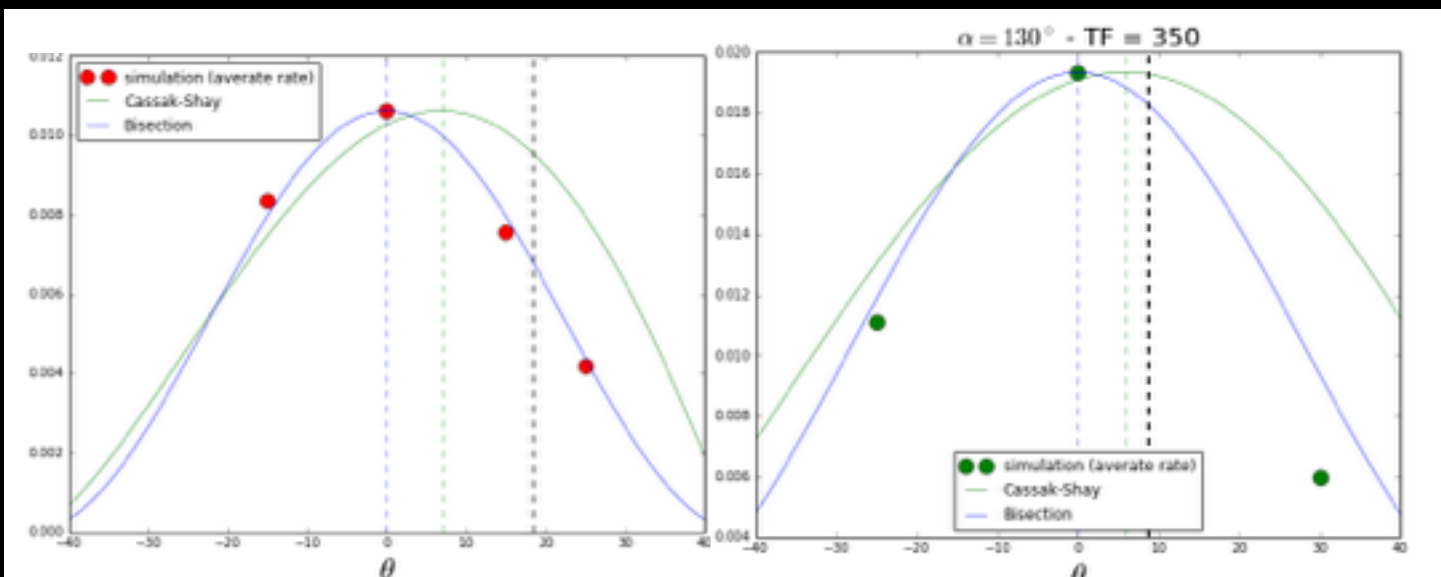
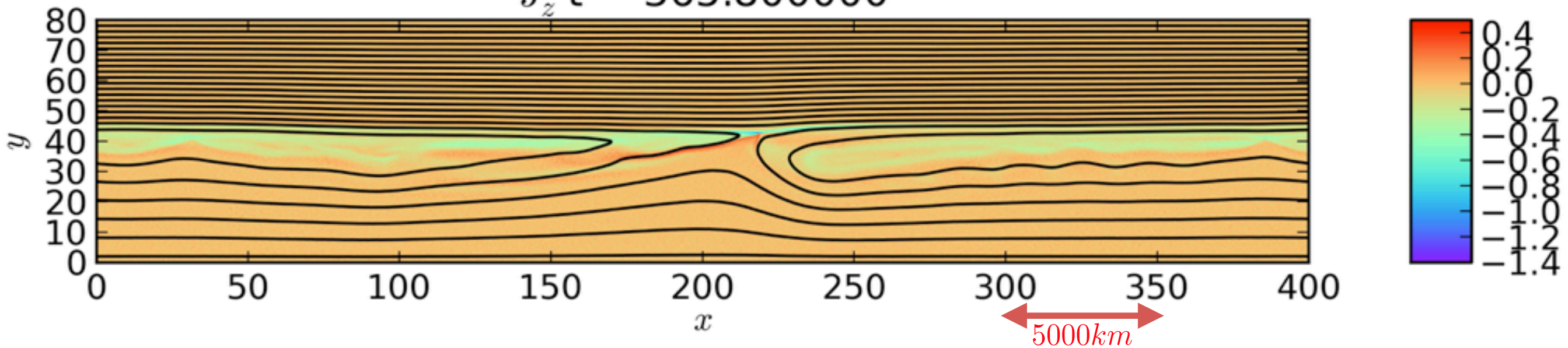


simulation
plane
rotation

B shears, 90° and 130°
different asymmetry

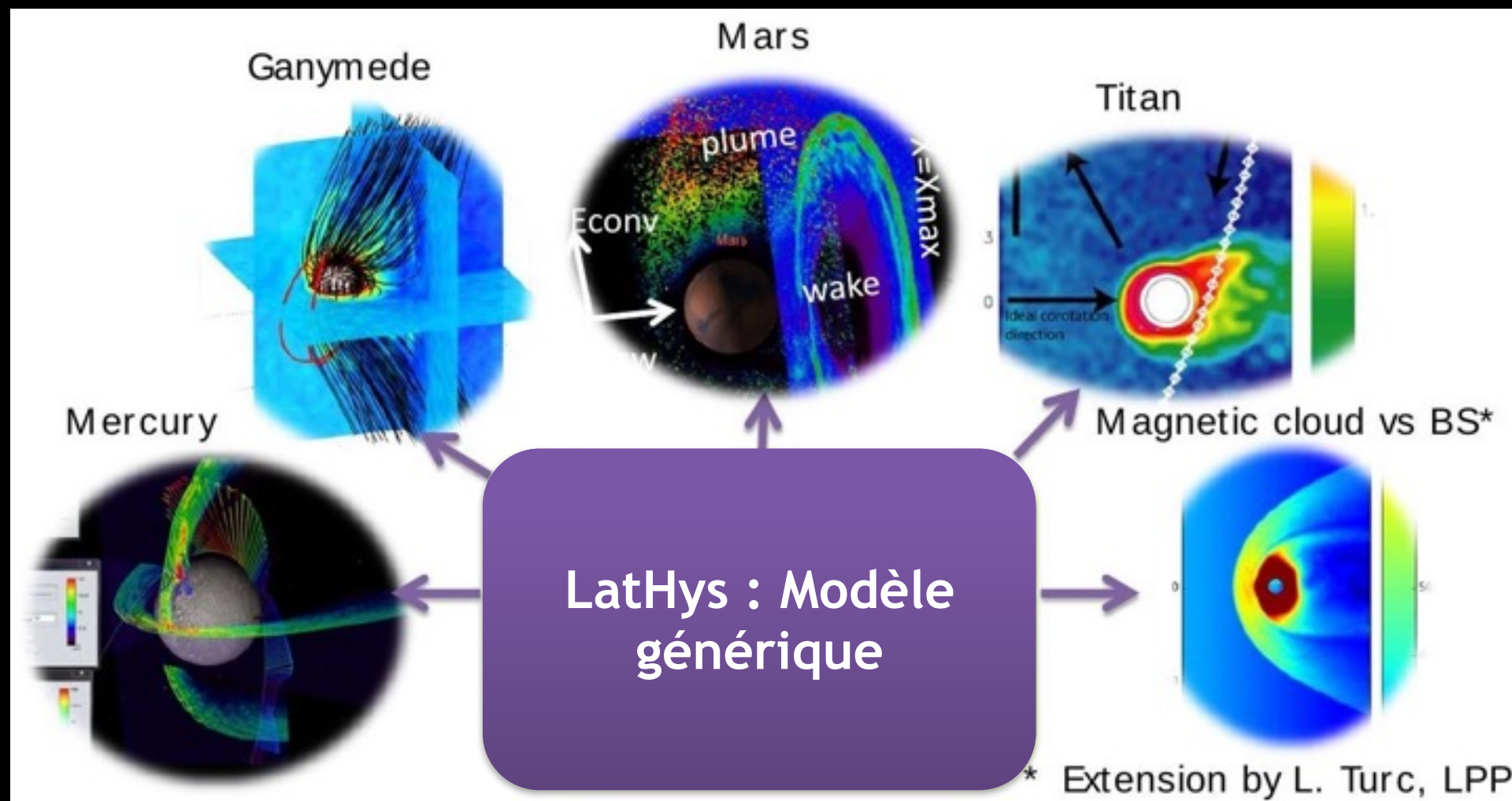
$\Delta x = 0.1\delta_i$
0.5e9 macroparticles
7x 80000hcpu

$J_z t = 365.800000$



Reconnection rate as a function of
the plane orientation

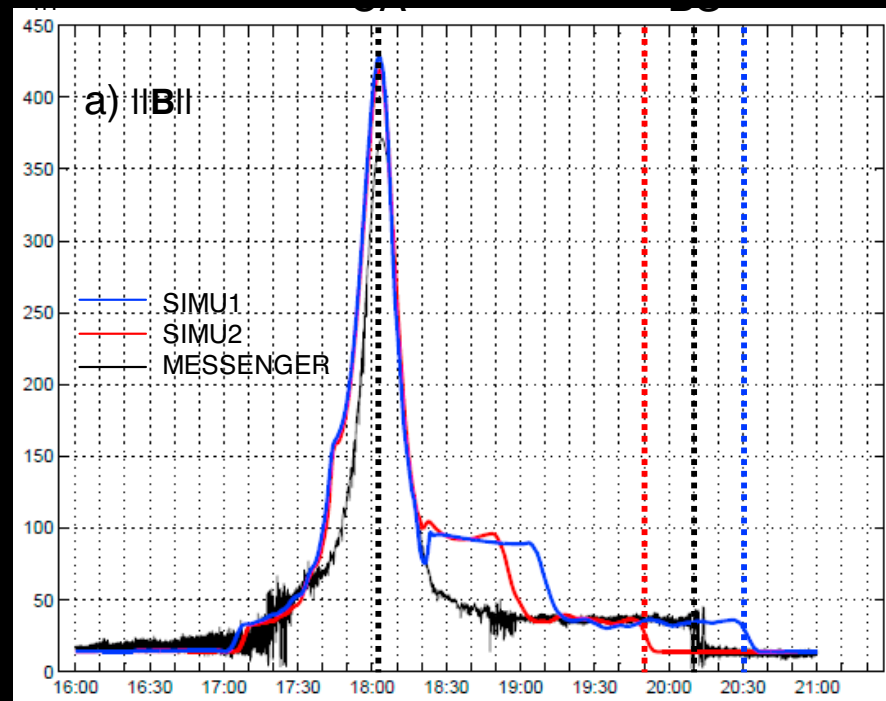
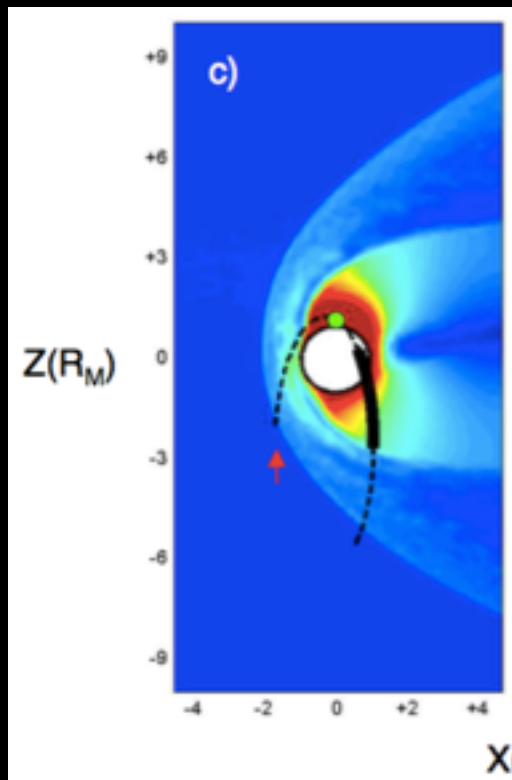
Bisecting upstream fields lead to faster rates



Mercury's magnetosphere simulation

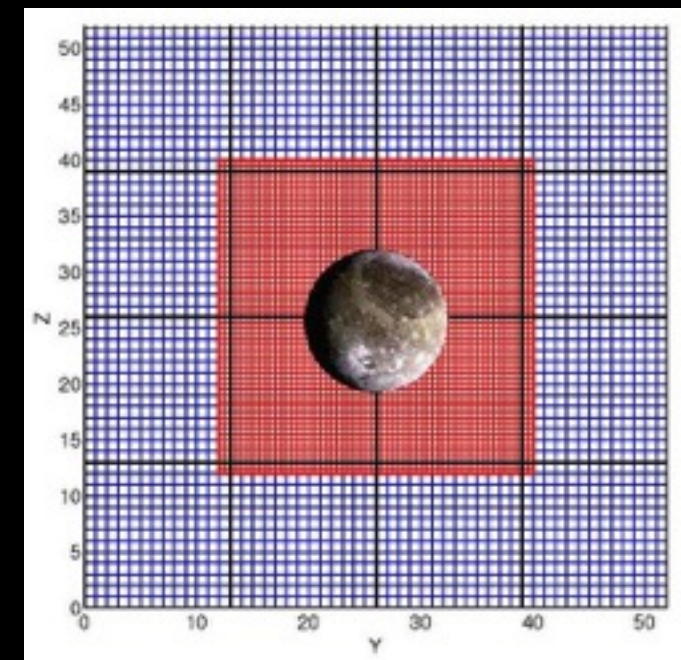
Solar wind interaction with different dipolar or multipolar intrinsic field

$$\Delta x = \delta_i \text{ [RICHER ET AL. 2012]}$$



Comparisons to Messenger data

[LECLERCQ+ 2015]

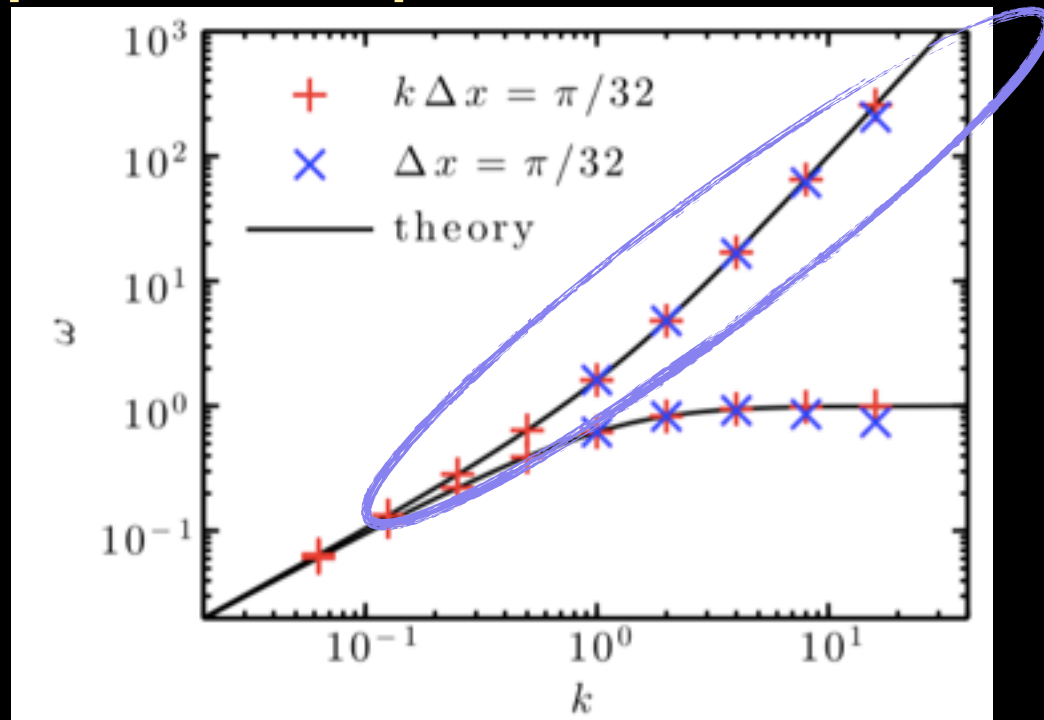


Ganymede with 2 grids

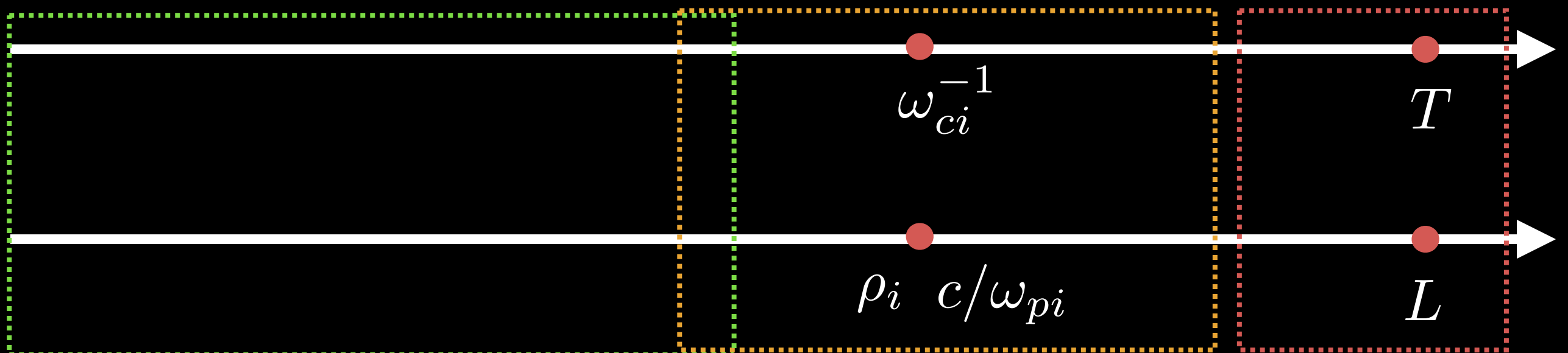
WHISTLER WAVES KILLERS

$$\mathbf{E} = -\mathbf{v}_i \times \mathbf{B} + \frac{1}{ne} (\mathbf{j} \times \mathbf{B} - \nabla \cdot \mathbf{P}_e) + \mathbf{D}$$

[Kunz et al. 2014]



$w \propto k^2$
 $dt \propto dx^2$ Very strong constraint on Hybrid codes (and Hall MHD codes)



HYBRID CODES

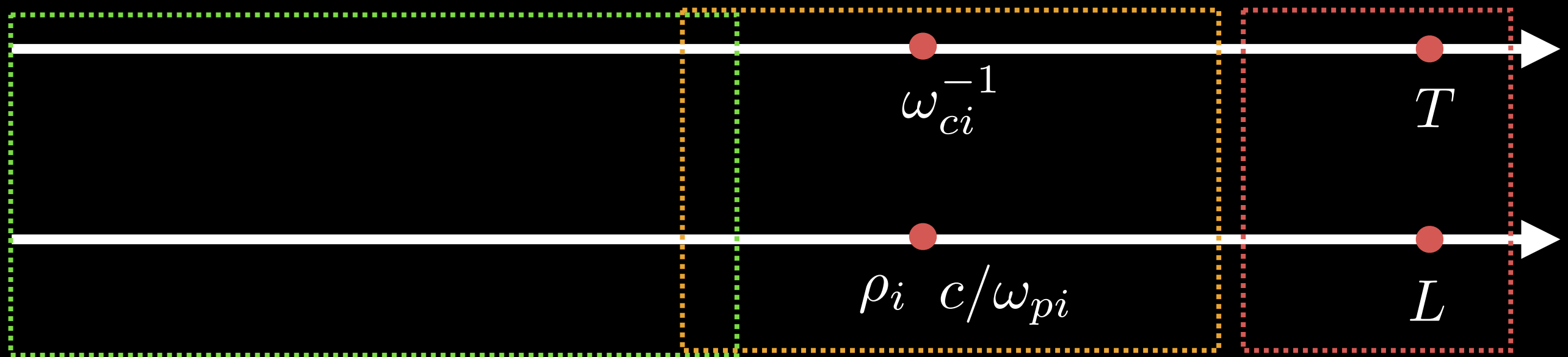
do not successfully fill the gap between small and large scales

$$\mathbf{E} = \boxed{-\mathbf{v}_i \times \mathbf{B}} + \boxed{\frac{1}{ne} (\mathbf{j} \times \mathbf{B} - \nabla \cdot \mathbf{P}_e)} + \boxed{\mathbf{D}}$$

Processes simulations:

scale separation + local process scales
struggle to have large scales

$\Delta x = 0.1\delta_i$ ←→

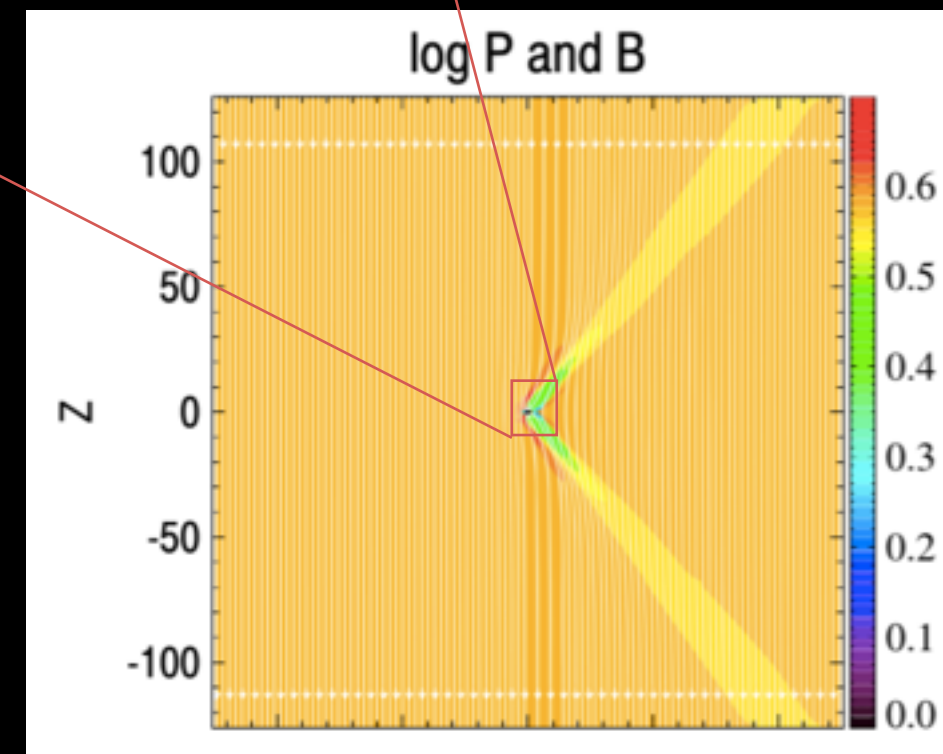
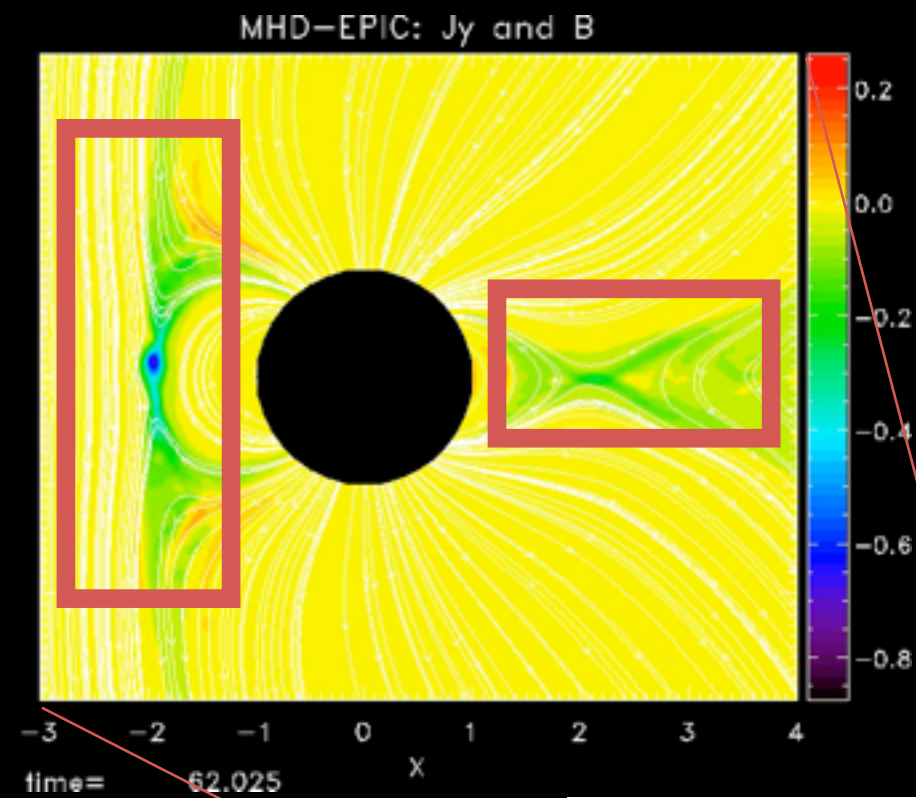
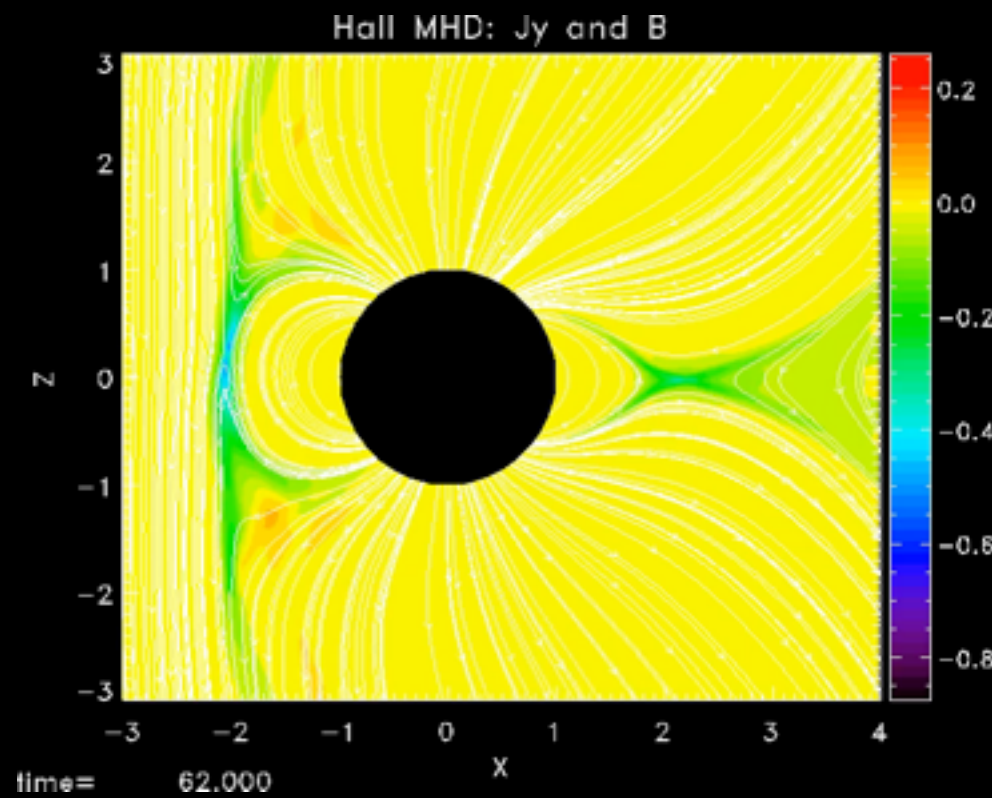


$\Delta x = \delta_i$ ←→

Global simulations

Have relevant global effects
struggle to handle processes

3D (implicit) fully kinetic embedded in a MHD domain for Ganymede simulation



- Implicit PIC
- different space/time resolution (here identical)
- Fixed PIC domains

$$\Delta x \approx 2\delta_e$$

1.5e9 particles

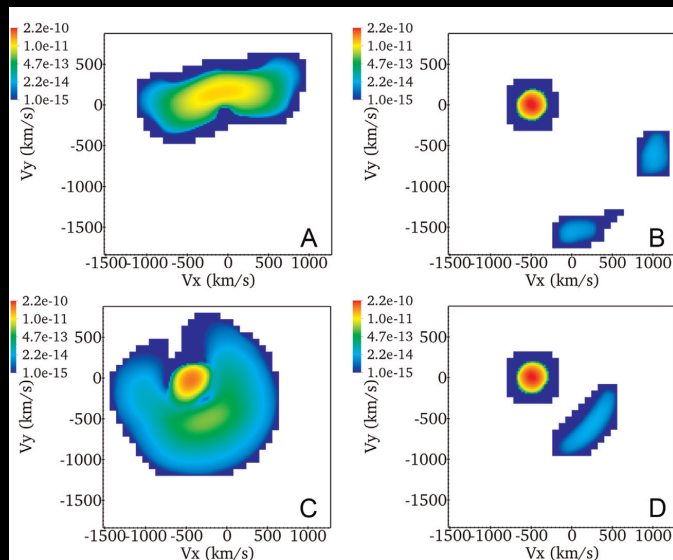
Global simulations of Earth magnetosphere

Vlasov hybrid : mesh velocity space ! Huge memory consumption

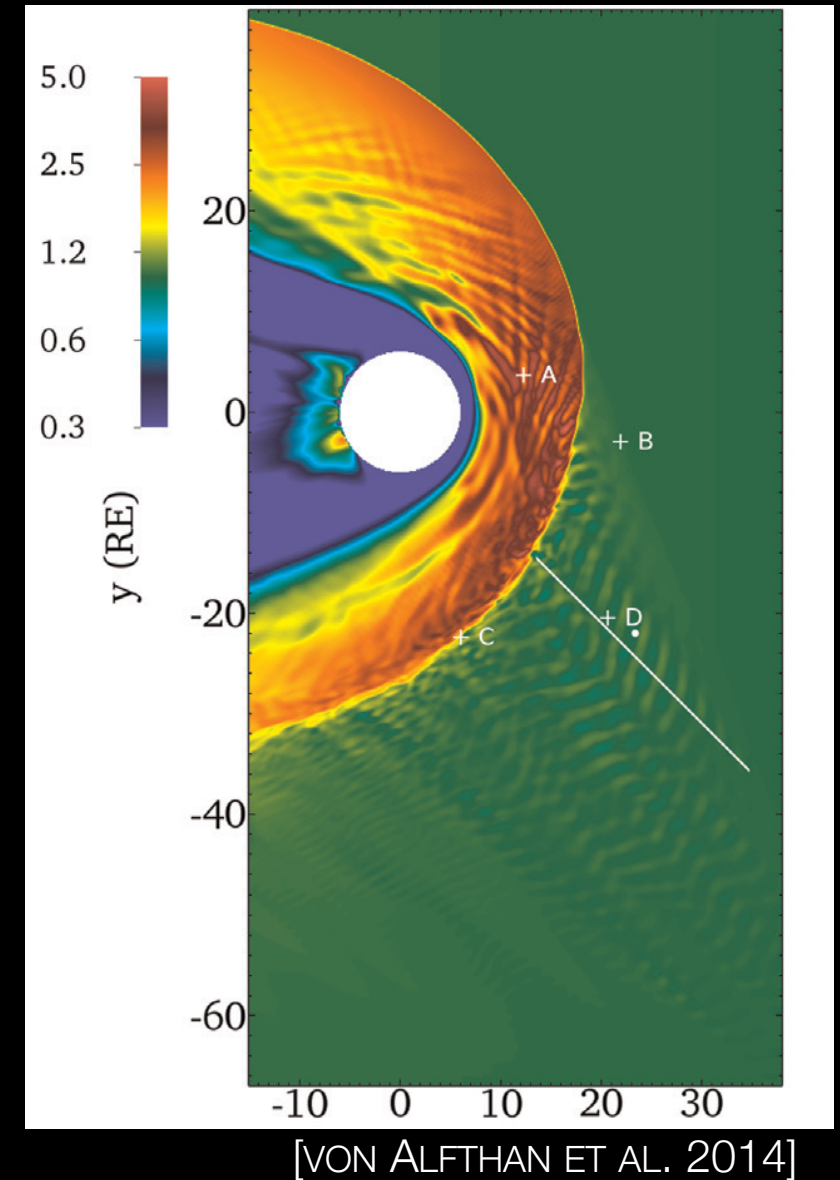
3D : $1000^3 * 100^3 = 10^{15}$ phase space cells!

Only 2D3V simulations (so far) : 10^{12} cells!

MPI/OpenMP + Dynamic load balancing (Zoltan)



Proton distribution functions from meshed velocity space

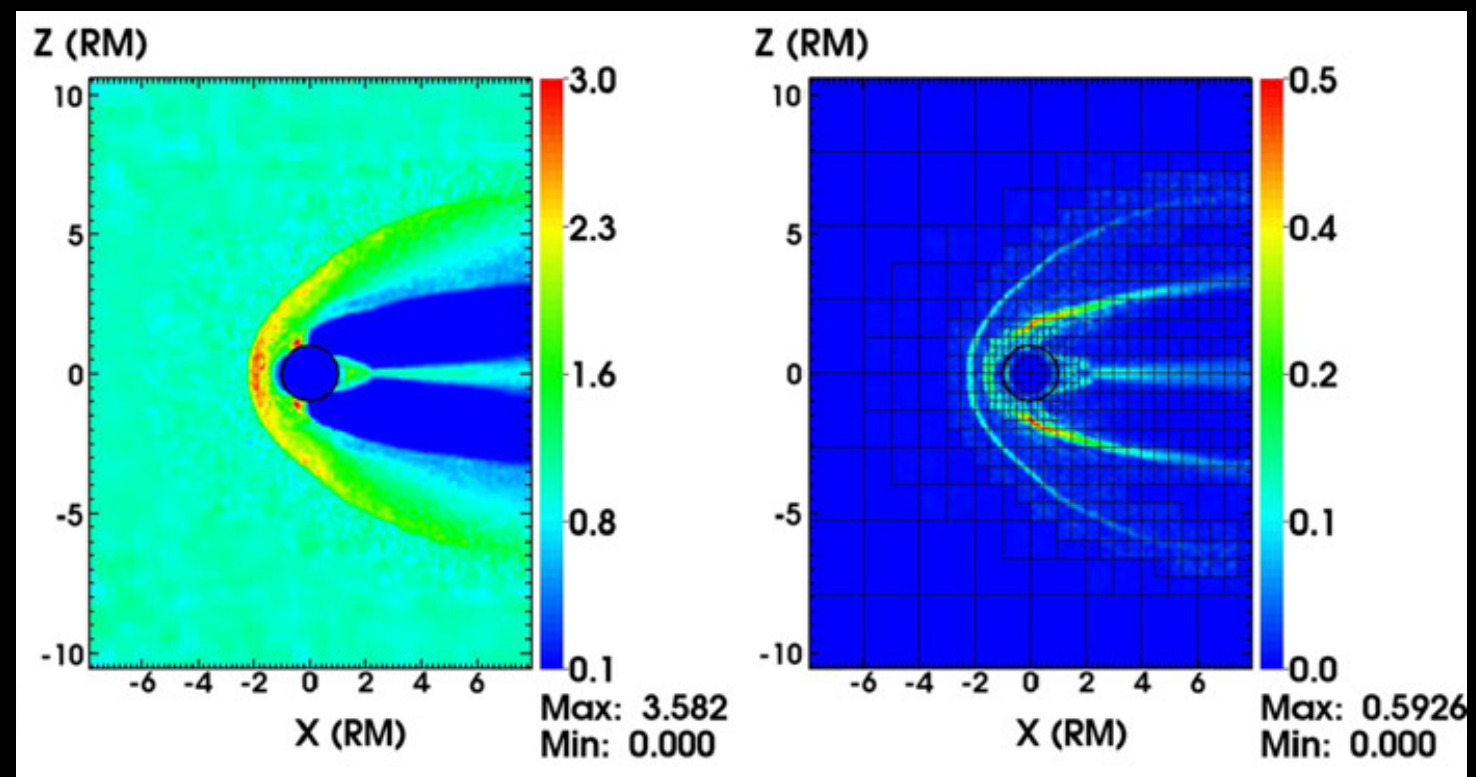


Adaptive Mesh capability

Not trivial for kinetic

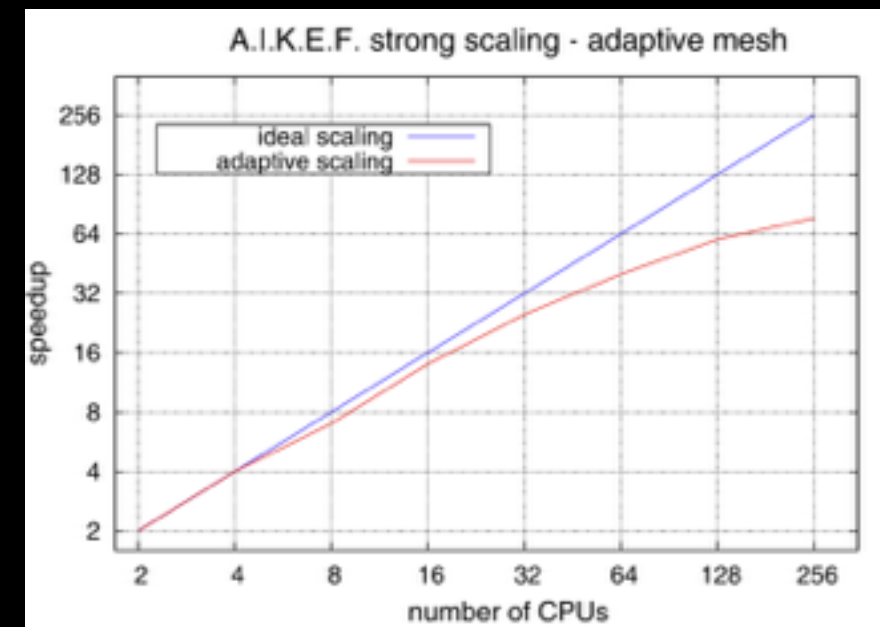
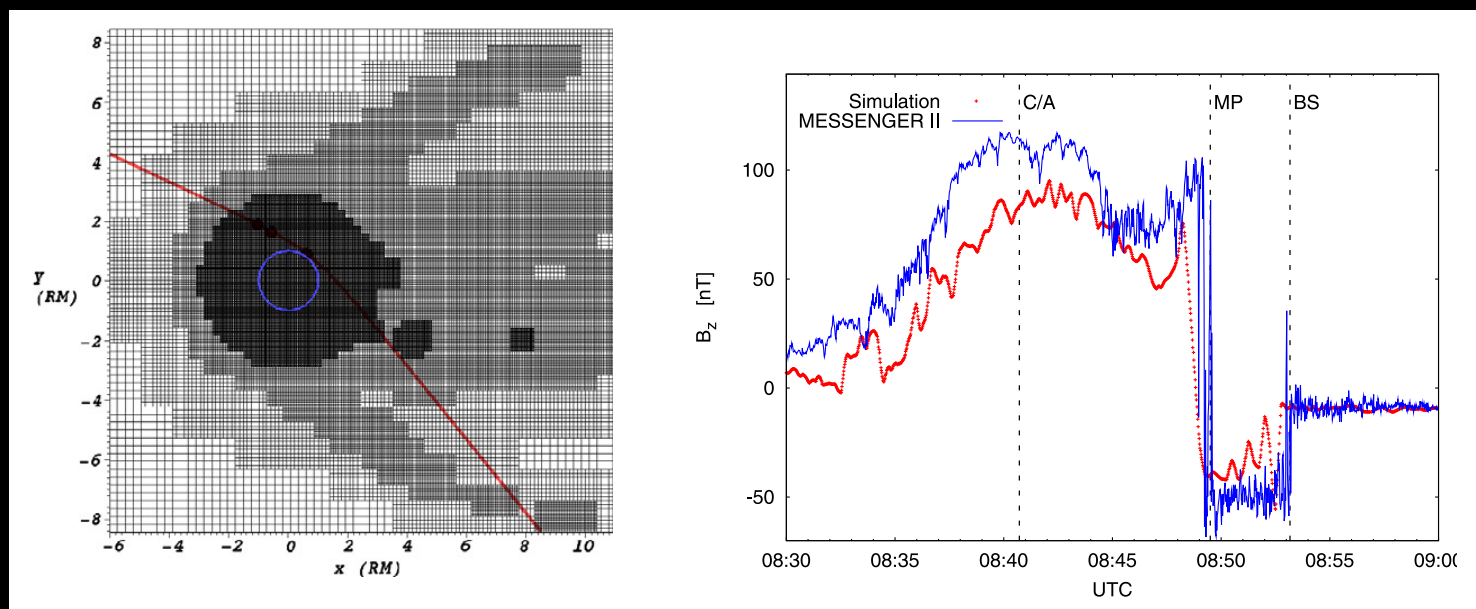
- dispersive waves
- merge/split macroparticles

Complicated load balancing



Comparison to Messenger data
Sharp magnetopause and shock

Proof of concept but no scalability
for large number of cores



Hybrid code for space/astro/laboratory plasmas

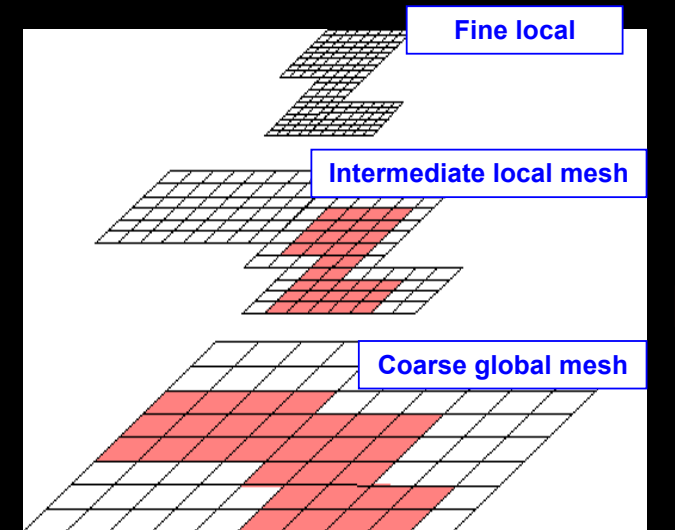
3 years project

full time research engineer expert on PIC codes

First release's objective: 3D hybrid code with excellent scalability up to 10^4 cores

Open Source C++ Versatile code

Big brother of fully kinetic code SMILEI



SAMRAI Patch AMR library

PHARE Team

Andrea Ciardi

Roch Smets

Nicolas Aunai

Mathieu Drouin

A. Bourdon

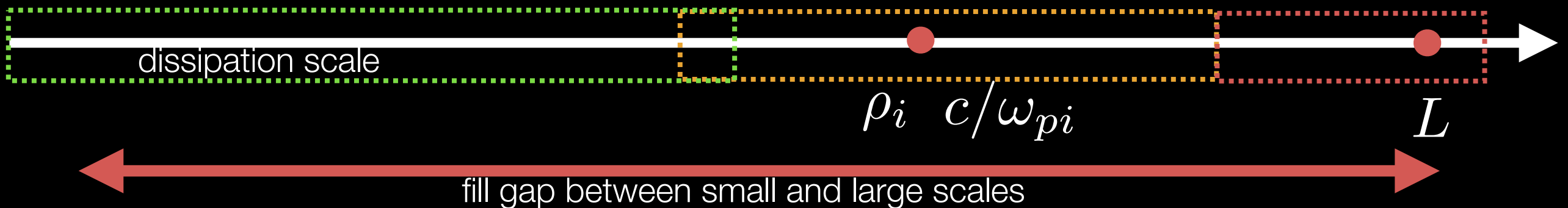
C. Briand

P-Q. Elias

C. Riconda

P. Savoini

T. Vinci



mi/long-term:

sheath models

electron physics (full pressure tensor, radiative cooling, code coupling...)

vacuum regions

thermal conduction (anisotropic)

Laser energy deposition

radiation transport