FAST ROTATORS IN 3D MHD WIND SIMULATIONS

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ATELIER SIMULATIONS SF2A 2016

STELLAR WINDS: UBIQUITOUS IN THE HR DIAGRAM

Red Giants/Massive stars



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Cool stars on the MS

Theory+ in-situ measurements of the Solar Wind[Parker 1958]+ Lyman Alpha absorption spectrum[Velli 1994][Linsky & Wood 1996]

[Wood et al. 2004]

STELLAR WIND BRAKING



STELLAR WIND BRAKING

Empirical braking law

[Kawaler 1988] [Bouvier et al 1997]

$$\frac{dJ}{dt} = K \min(\Omega_{\star}, \Omega_{\text{sat}})^2 \Omega_{\star}$$

What is the role of the magnetic field ? $R_X \propto B^2 \propto \Omega_\star^2 \propto R_o^{-2}$?



Theory

[Schatzmann 1962] [Weber & Davis 1968]

$$\frac{dJ}{dt} = \frac{dM}{dt} \Omega_{\star} r_A^2$$

$$v(r_A) = v_A \qquad v_A = \frac{B}{\sqrt{4\pi\rho}}$$

Angular momentum transport by the wind = braking !

3D SIMULATIONS

PLUTO

+

A modular code for computational astrophysics

Ideal MHD / Polytropic EoS _

- HLL Riemann Solver _
- Constrained transport w/ background field
- **RK2** Time stepping —
- Cartesian grid uniform / stretched





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6 ZDI MAPS OF SOLAR TYPE STARS

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[Folsom et al. 2016]

Name	Age (Myr)	Period (days)	Mass (M_{\odot})	Radius (R_{\odot})	$T_{\rm eff}$ (K)	$\langle B_r \rangle$ (G)	% dipole	% axis.
BD- 16351 TYC 5164-567-1 HII 296 DX Leo AV 2177 Sun 1996	$\begin{array}{r} 42\pm 6\\ 120\pm 10\\ 125\pm 8\\ 257\pm 47\\ 584\pm 10\\ 4570\end{array}$	$\begin{vmatrix} 3.3 \\ 4.7 \\ 2.6 \\ 5.4 \\ 8.4 \\ 28 \end{vmatrix}$	$\begin{array}{c} 0.9 \\ 0.9 \\ 0.9 \\ 0.9 \\ 0.9 \\ 0.9 \\ 1.0 \end{array}$	$\begin{array}{c} 0.9 \\ 0.9 \\ 0.9 \\ 0.9 \\ 0.9 \\ 0.9 \\ 1.0 \end{array}$	$5243 \\ 5130 \\ 5322 \\ 5354 \\ 5316 \\ 5778$	$33.0 \\ 48.8 \\ 52.0 \\ 21.3 \\ 5.4 \\ 1.1$	60 78 57 69 57 35	$5 \\ 78 \\ 50 \\ 1 \\ 4 \\ 75$
North Pole	Equator	South Pole	ق BD-16351	North Pole	Equator	South Pol	e 50 40 30 20 10 50 50 40 30 20 10 50 50 10 50 -10 -20 -30 -30 -40 -50 -50	DX Leo
North Pole	Equator	South Pole	ق TYC 5164	North Pole	Equator	South Pol	e 20 16 12 8 4 0 -4 -8 -12 -16 -20	AV 2177
North Pole	Equator	South Pole	<u>96</u> HII 96	North Pole	Equator	South Pole	a 3.0 2.4 1.8 1.2 0.6 0.0 -0.6 -1.2 -1.8 -2.4 -3.0	Sun

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B VS AGE



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CORONAL RECIPES



$$T = T_{\odot} \left(\frac{\Omega_*}{\Omega_{\odot}}\right)^{0.1} \qquad n = n_{\odot} \left(\frac{\Omega_*}{\Omega_{\odot}}\right)^{0.6}$$

[Holzwarth & Jardine 2007]
[Réville et al. in prep]

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REACHING A STEADY STATE



SUN



AV 2177



DX LEO



HII 296



TIC 5164



BD- 16351



VELOCITY DISTRIBUTION AT 25 R



SPATIAL DISTRIBUTIÓN



'SUPER' FAST STREAMS



SUPERRADIAL EXPANSION



$$f_{\rm exp} = \frac{A_2}{A_1} \frac{r_1^2}{r_2^2} \sim 100 - 1000$$

CIRS IN THE EQUATORIAL PLANE ?





- Fast wind vs slow streams
- Corotation Interaction Regions
- Current sheet and polarity reversals

DEPENDENCE ON ROTATION RATE

 $\Omega_{\rm sat}\sim 8\Omega_\odot$ (Coherent for $0.9M_\odot$) [Gallet & Bouvier 2015] [Matt et al. 2015]

[Réville et al. in prep]



~one order of magnitude each

CONCLUSIONS

- Slow, intermediate and fast wind components appears for fast rotators with intense magnetic fields
- Superradial expansion in the supersonic regime with non-axisymmetry and fast rotation !
- Slow and fast wind can encounter in the equatorial plane and form CIRs.
- 3D simulations of stellar winds follow Réville et al. 2015a formulation
- Angular momentum and mass loss vary approximately like $\,\Omega^3_{\star}$ and $\,\Omega_{\star}$

OPEN FLUX

